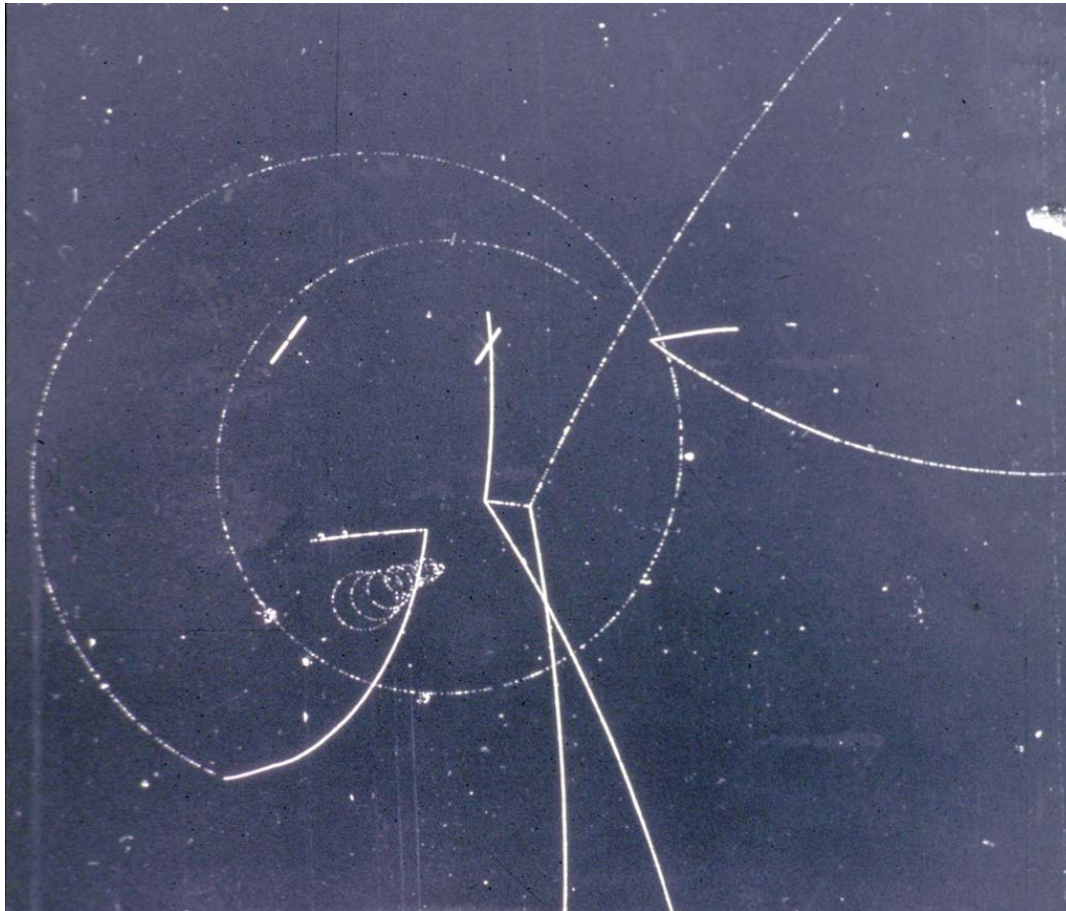


# Next Part of Course: How detectors work



... starting with  
tracking of  
charged particles

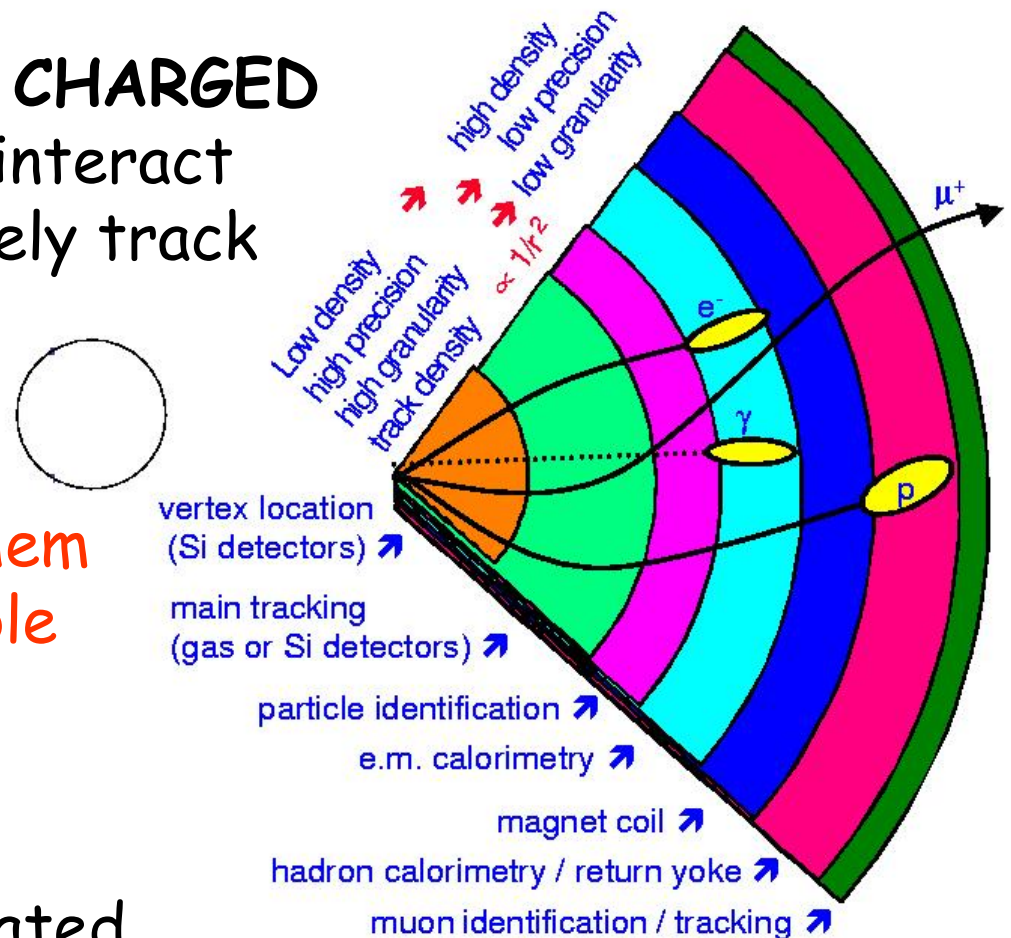
... an old subject  
with applications  
way beyond particle  
physics!

**Today: Gaseous  
tracking detectors**

Annihilation of an antiproton in the 80 cm Saclay liquid hydrogen bubble chamber. A negative kaon ( $K^-$  meson) and a neutral kaon ( $K^0$  meson) are produced in this process as well as a positive pion ( $\pi^+$  meson).

# Tracking Detectors in Context

- To detect a particle, we have to make it interact with our detector!
- Tracking detectors detect **CHARGED PARTICLES** ... want them to interact as little as possible to precisely track the particle trajectory in conditions as close to vacuum as possible.
- In calorimeters, we want them to interact as much as possible to stop the particle and measure all of the energy it leaves behind.
- Trackers are therefore located inside calorimeters!
- Also often provide an important role in triggering events



# Interaction of Charged Particles with Matter

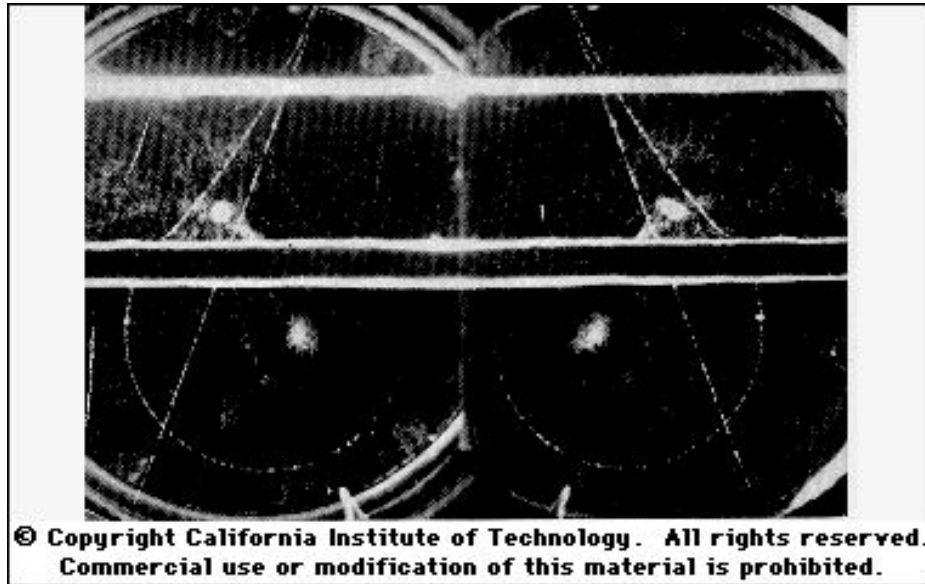
- Multiple Coulomb (electromagnetic) Scattering
  - Ionisation
  - Bremsstrahlung (especially electrons) - see calo lecture
  - Nuclear Interactions (hadrons) - see calo lecture
- 
- Charged particle detectors rely on **IONISATION**.
  - Measurement accuracy usually limited by Multiple Coulomb Scattering
  - The measured quantity is the **MOMENTUM** (see next time)

Tracking detectors should ....

- be made from low density material
- have minimal dead material between them and the interaction



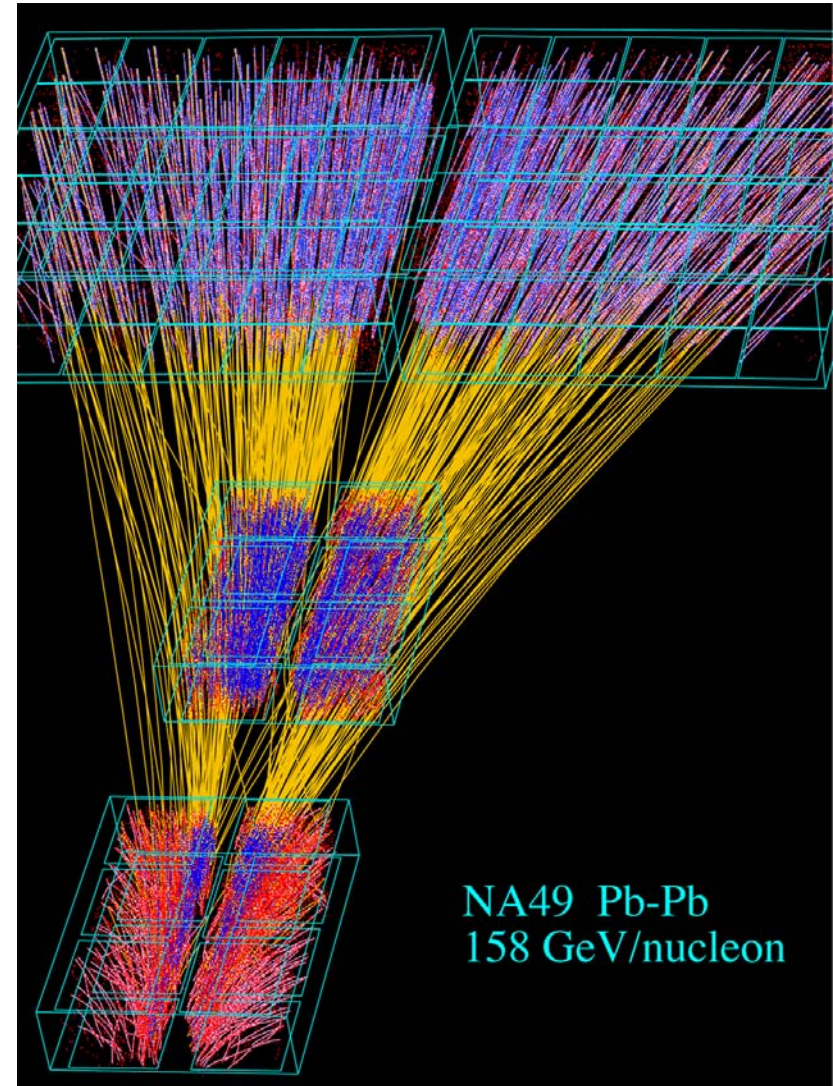
# A Hundred years of Particle Tracking



## 1900: Cloud Chamber

Supersaturated vapour condenses to tiny liquid droplets around ions

Different centuries, same principle!... persuade the particle to ionise and collect the resulting charge



## 2000: Time Projection Chamber:

>1000 tracks!

# Energy Loss by Ionisation in Gas

- Primary energy loss by ionisation of atoms leads to creation of ion-electron pairs a gas volume.
- Number of **primary ionisation pairs is small**
- Primary ionisation depends on particle type and medium
- **Bethe Bloch formula** describes this over much of the interesting kinematic range (basically from Rutherford scattering, with some quantum and relativistic corrections (see eg Fernow, Perkins or Particle Data book).

$$\frac{dE}{dx} \sim C \cdot \left( \frac{z}{\beta} \right)^2 \cdot \ln \gamma$$

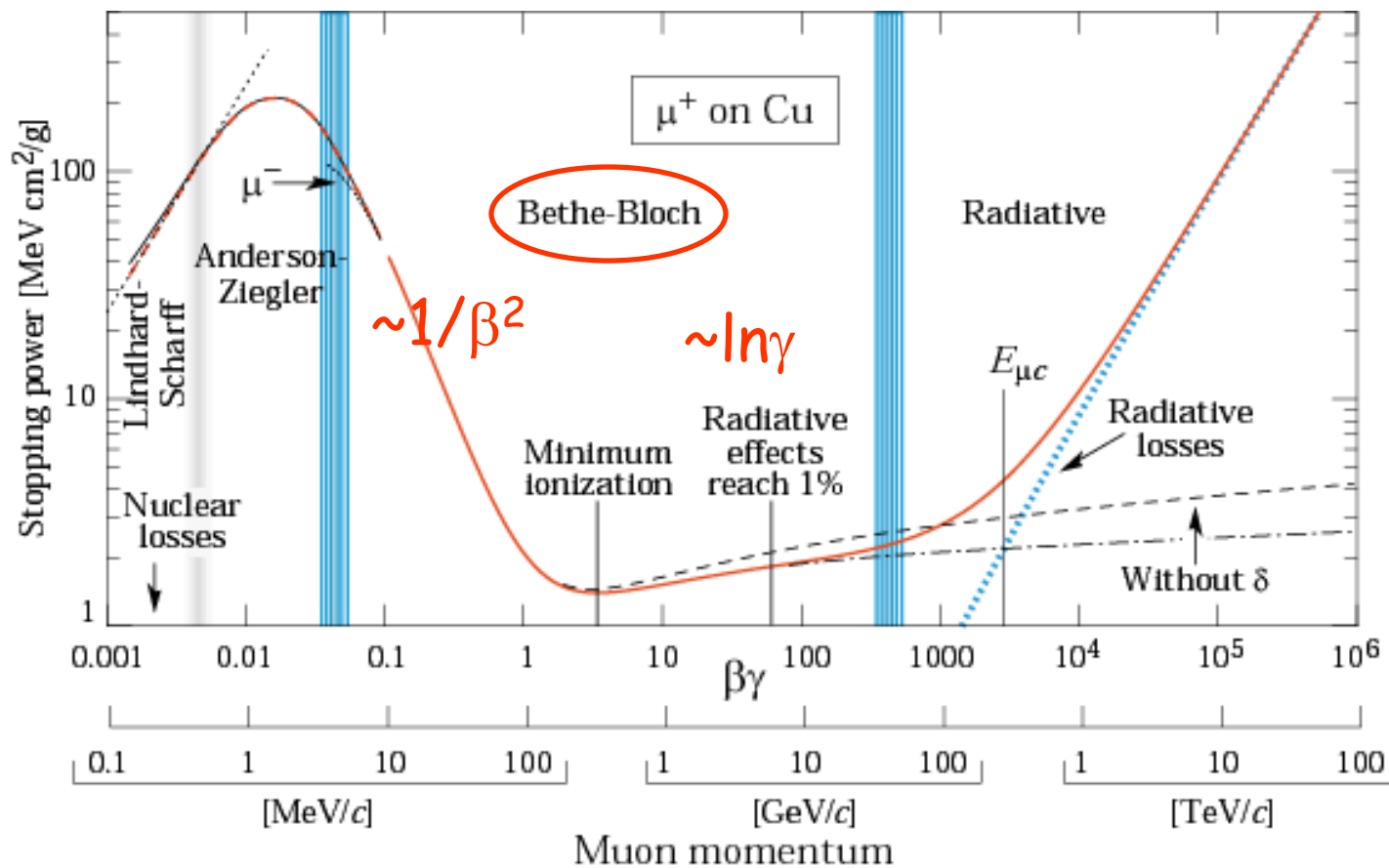
$$(\beta = v/c, \gamma = 1/\sqrt{1-\beta^2})$$

- Depends quadratically on charge and velocity of particle, but not its mass.  
→ Particles with same momentum but different mass can be distinguished!
- Constant C depends on gas

~1/β<sup>2</sup> at low momentum, ~lnγ at high mom, minimum in between

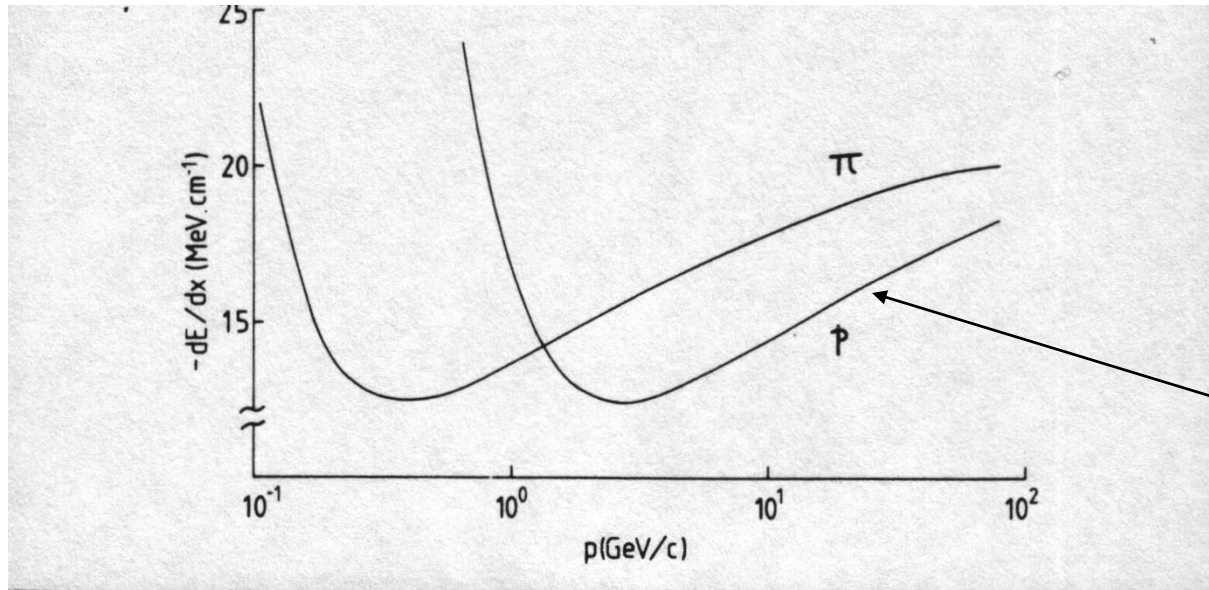
# Example ... $dE/dx$ for a Muon

$$\frac{dE}{dx} = K Z^2 \frac{Z}{A} \frac{1}{\beta^2} \left[ \frac{1}{2} \ln \frac{2m_e c^2 \beta^2 \gamma^2 T_{\max}}{I^2} - \beta^2 - \frac{\delta}{2} \right]$$



Muons often said to be minimum ionising particles, since their  $dE/dx$  lies in the minimum region over huge momentum range

# Particle Identification with $dE/dx$



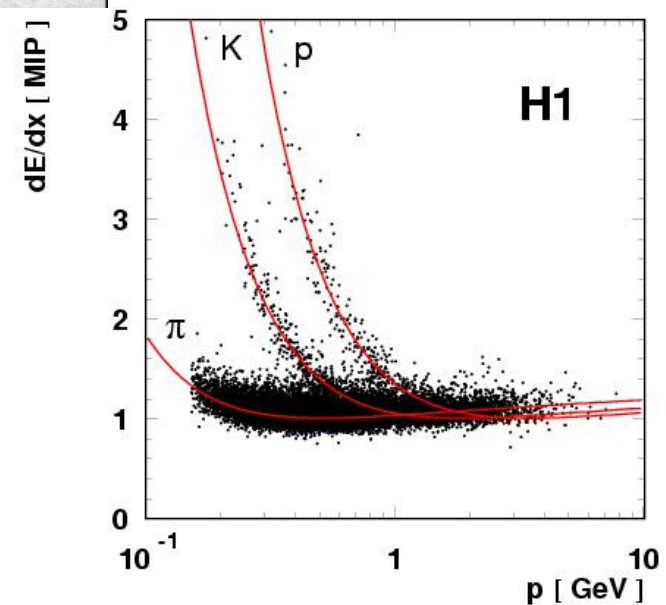
Ionisation deposit  
per unit distance

$$\frac{dE}{dx} \sim C \cdot \left( \frac{z}{\beta} \right)^2 \cdot \ln \gamma$$

Relativistic rise

$\sim \log \gamma$

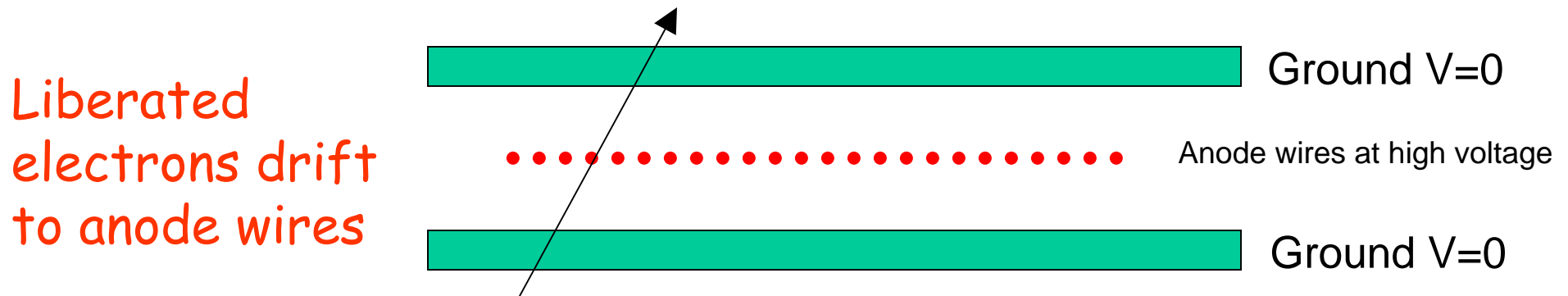
Example from H1 experiment  
...  $dE/dx$  used to distinguish  
kaons, pions, protons at low  
momentum





# Ionisation Signal Collection with Electric Field

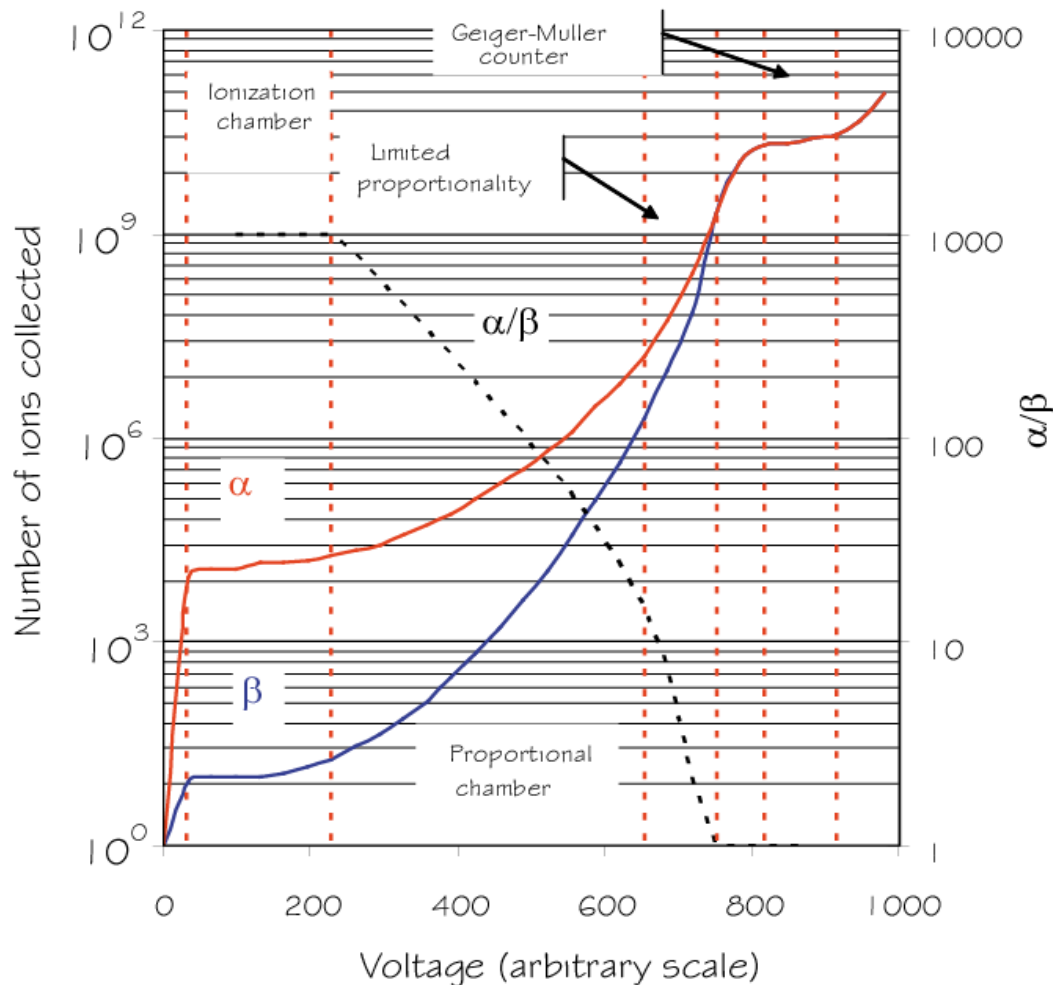
... most common modern method of collecting the ionisation ...  
Ionisation chamber consists of gas to be ionised in 'drift space', enclosed in uniform electric field.



- Close to the anode the field is strong: the electrons are accelerated such that they produce secondary electrons, which make more electrons via Bremsstrahlung etc  
.....an **AVALANCHE** resulting in a large **GAIN**!
- Use dense inert gases (e.g. Argon) with various admixtures



# Gas Detector Operation Modes



Response curves for  $\alpha$  (highly ionising) and  $\beta$  (~ minimum ionising) particles

□ **Ionisation mode:** No gas multiplication, signal from primary electrons only (used in dosimetry)

□ **Proportional mode:** Signal proportional to energy loss of particle ( $dE/dx$ ). Gain of order  $10^5$  (used in most detectors).

□ **Limited proportionality:** Space charge effects of ions alter effective electric field.

□ **Geiger Mode:** Electric breakdown of gas. Recombination of ions result in photo-emission. Avalanches merge  $\rightarrow$  spark emission (damages detector!)

# Geiger Mode

- Modern detectors don't use Geiger mode
- Sparks in sensitive detectors are damaging!

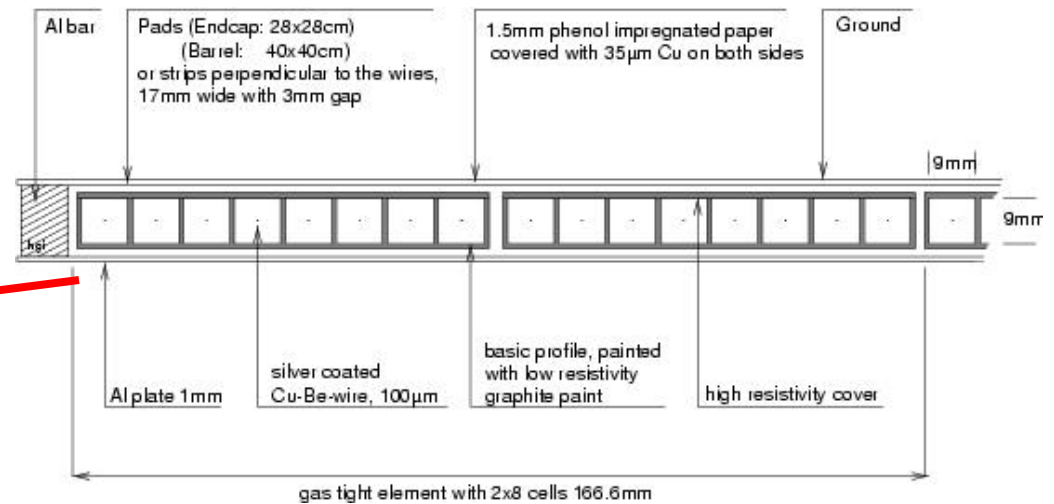


.... but Spark Chambers are  
a great way of visualising  
particles such as cosmic muons

See e.g. the Birmingham Spark  
Chamber project (Dr Wilson)

# Limited Streamer Tubes

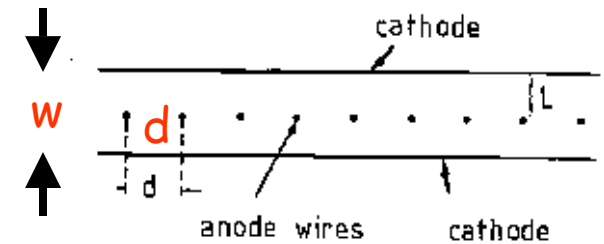
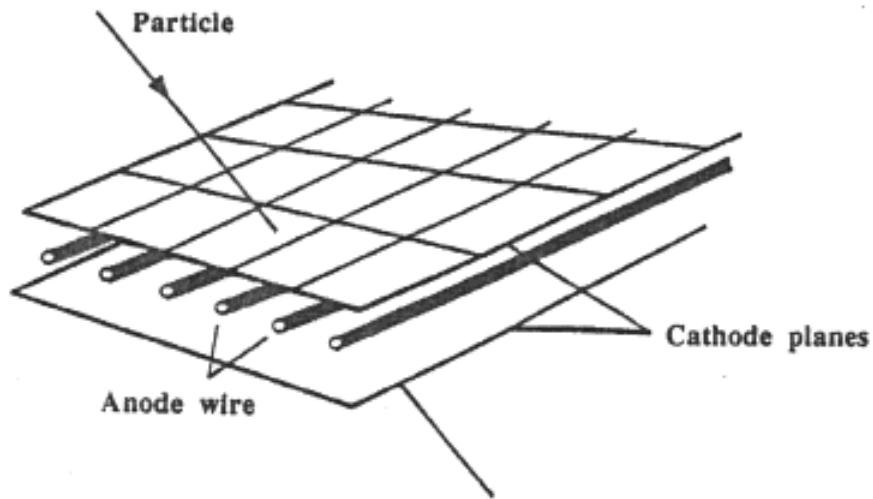
- H1 muon detectors operate in limited proportionality mode
- Iron return yoke of magnet instrumented with gas chambers
- Thick wires, highly quenched gas



- Signal no longer proportional to primary ionisation (→ no particle ID, but who cares, we know they are muons!)
- Easy to build, large & efficient signal, simple electronics

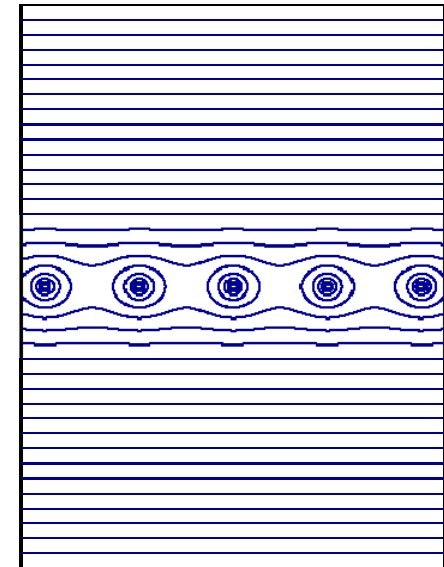
# Multi-Wire Proportional Chambers

G. Charpak et al. 1968, Nobel Prize 1992



Typically  $d=2\text{mm}$ ,  $w=8\text{mm}$

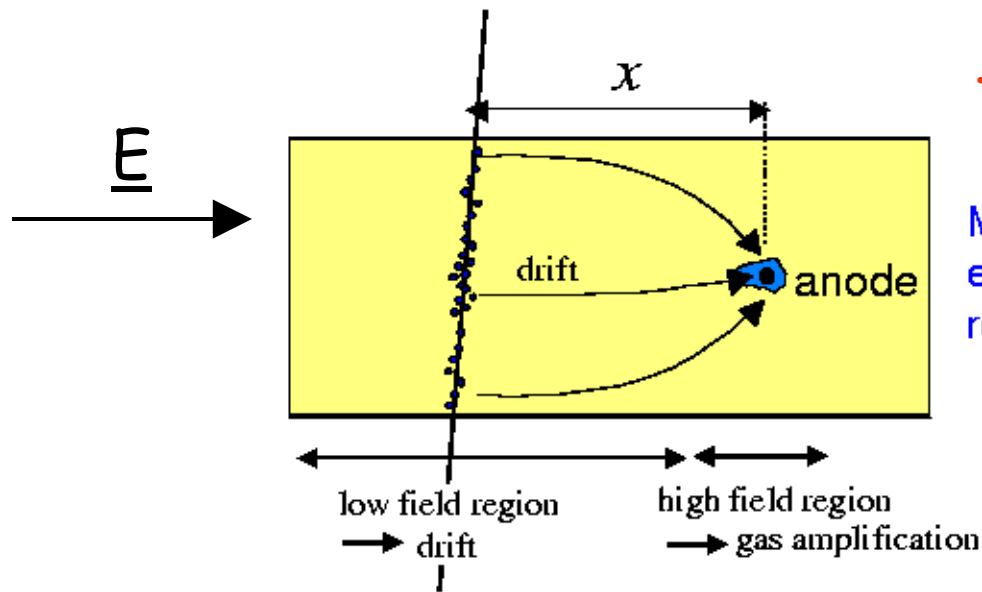
Field map:  
Low field  
between  
anodes



- Large number of electrically isolated cells
- **Proportional mode**. - 1D info, multi-layers for precision and 3D signal
- Digital readout of anode pulses
- Fast response, **ideal for triggering**
- Poor spatial resolution  $\sim 500\mu\text{m}$ , determined by (but less than) cell size.



# Drift Chambers and Precision Tracking



Much wider wire spacing  
than MWPCs

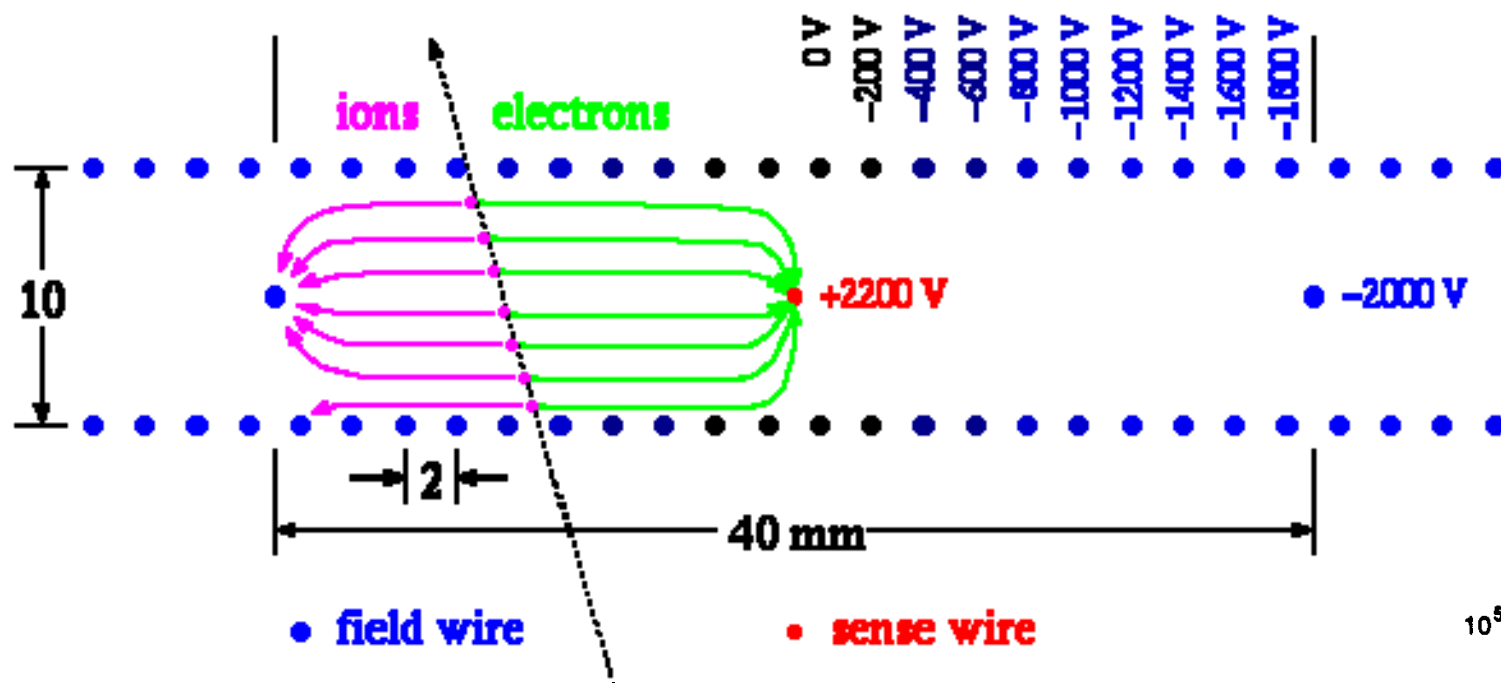
Measure arrival time of  
electrons at sense wire  
relative to a time  $t_0$ .

$$x = \int v_D(t) dt \sim v_D \cdot \Delta t$$

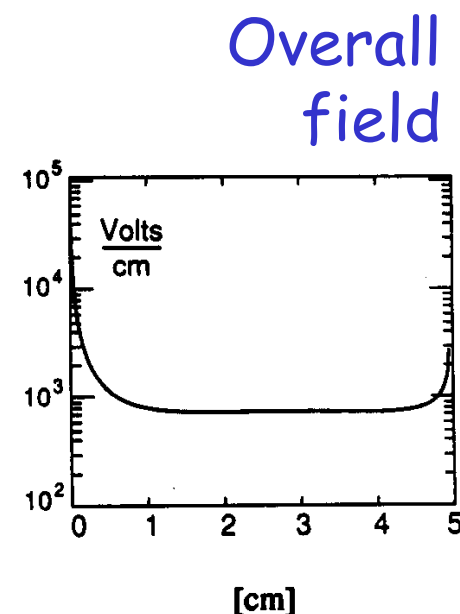
- Electrons drift towards anode with precisely known velocity, determined by gas mixture and field.
- Measuring signal arrival time gives precise spatial information if we also know the primary interaction time (i.e. which bunch crossing) from other detectors such as MWPCs.
- Very uniform field between anode wires required for constant drift velocity

# Field Shaping in Drift Chambers

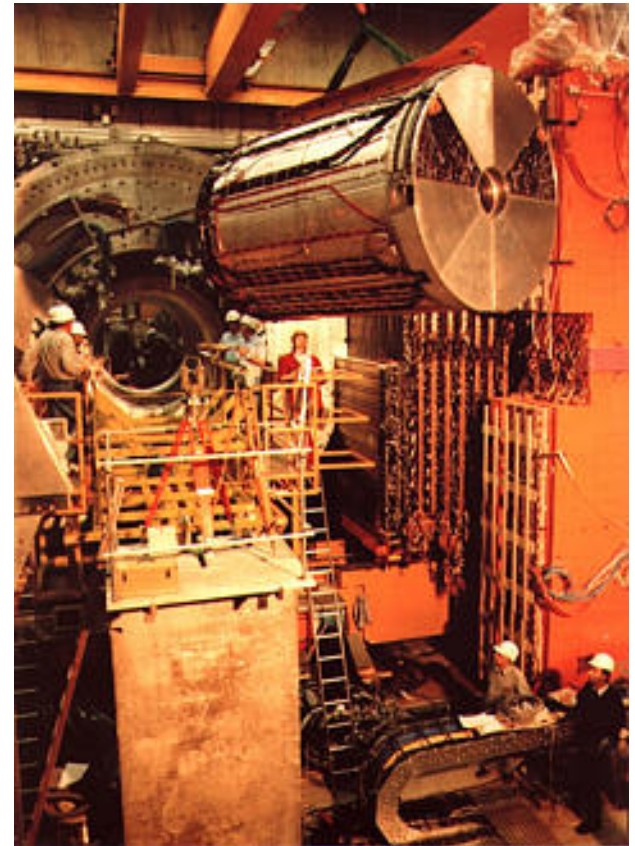
- Uniformity of drift field achieved by adding lots of field shaping wires in addition to anode wires ... it's complicated!
- Then electron drift velocity  $\sim$  constant, typically 5 cm / ms



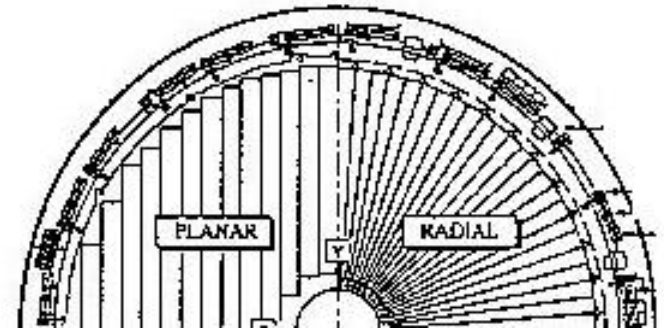
... end result is one precise coordinate perpendicular to wires...



# Drift Chamber Examples



- Planar chambers give coordinates of track intersection with plane
- Radials give  $r/\phi$  information
- Multiple layers with different wire orientations perpendicular to beam can give full 2D (transverse) trajectory information.
- Imagine the damage a single broken wire could do!



# Measurement of (z) Coordinate along Wire

Several methods available:

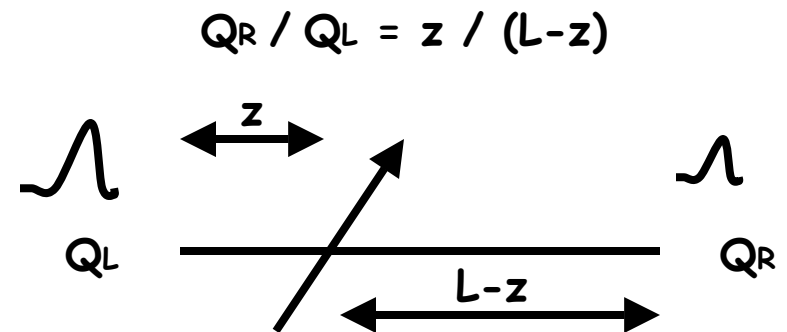
-**z-chambers**: just add more chambers with sense wires

perpendicular to beam-pipe ( $\sigma(z) \sim 200\mu\text{m}$ )

-**Charge division**: Read out charge

at both ends of sense wire

( $\sigma(z) \sim 1\%$  of track length,  $\sim 2\text{cm}$ )



- **z By Timing**: Similar idea, with timing of signals instead of  $Q$ .

-**Stereo chambers**: rotate end points of one end of sense wire

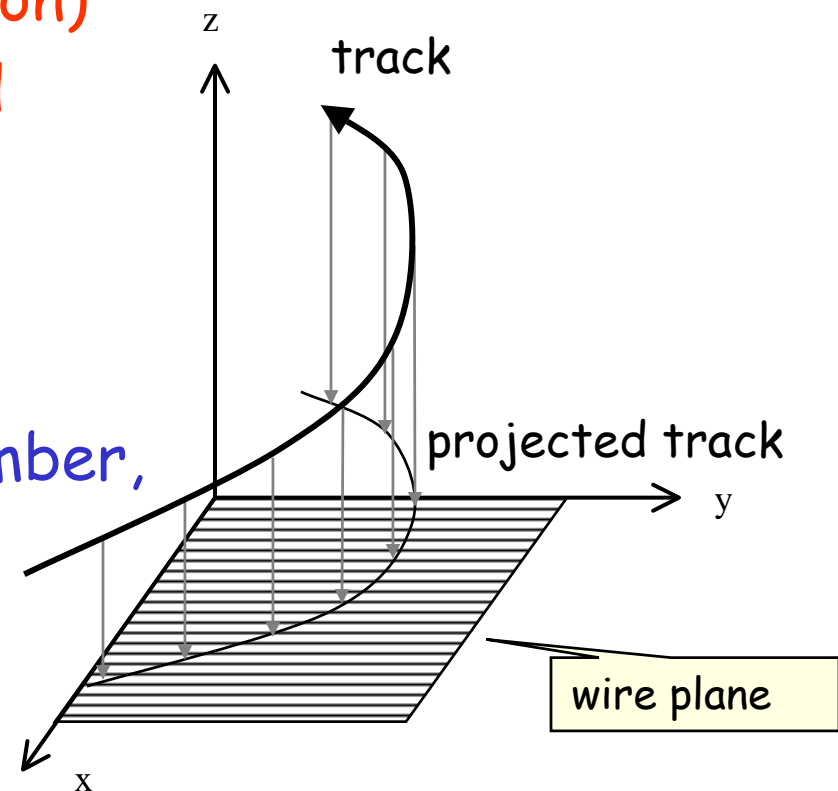
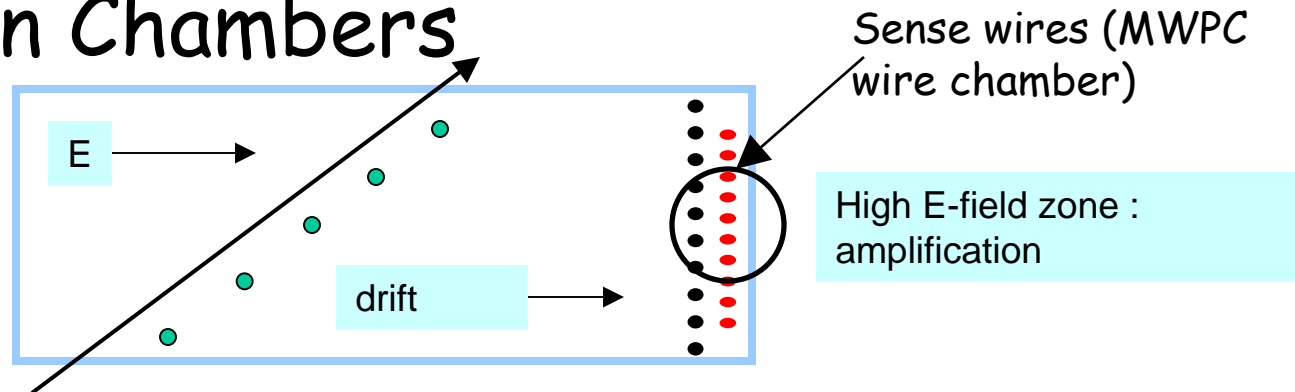
by small angle ... x-y measurement becomes a function of  $z \rightarrow$

can get information on  $z$  by comparing many wires ( $\sigma(z) \sim 1\text{mm}$ )

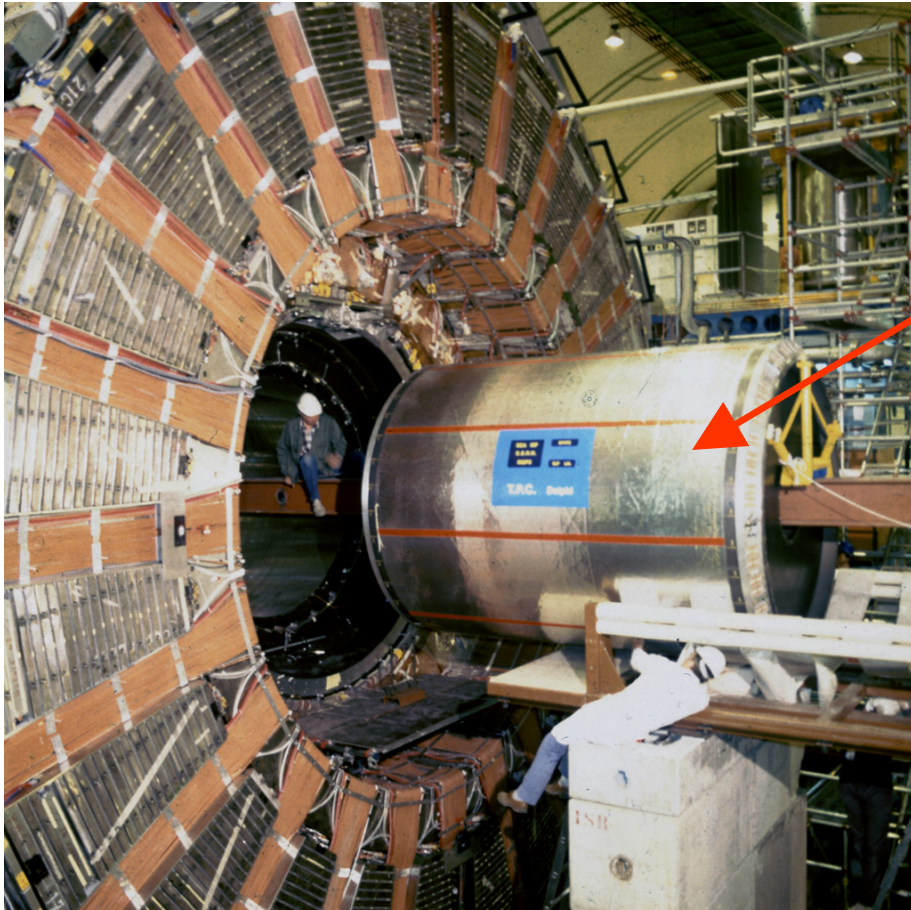


# Time Projection Chambers

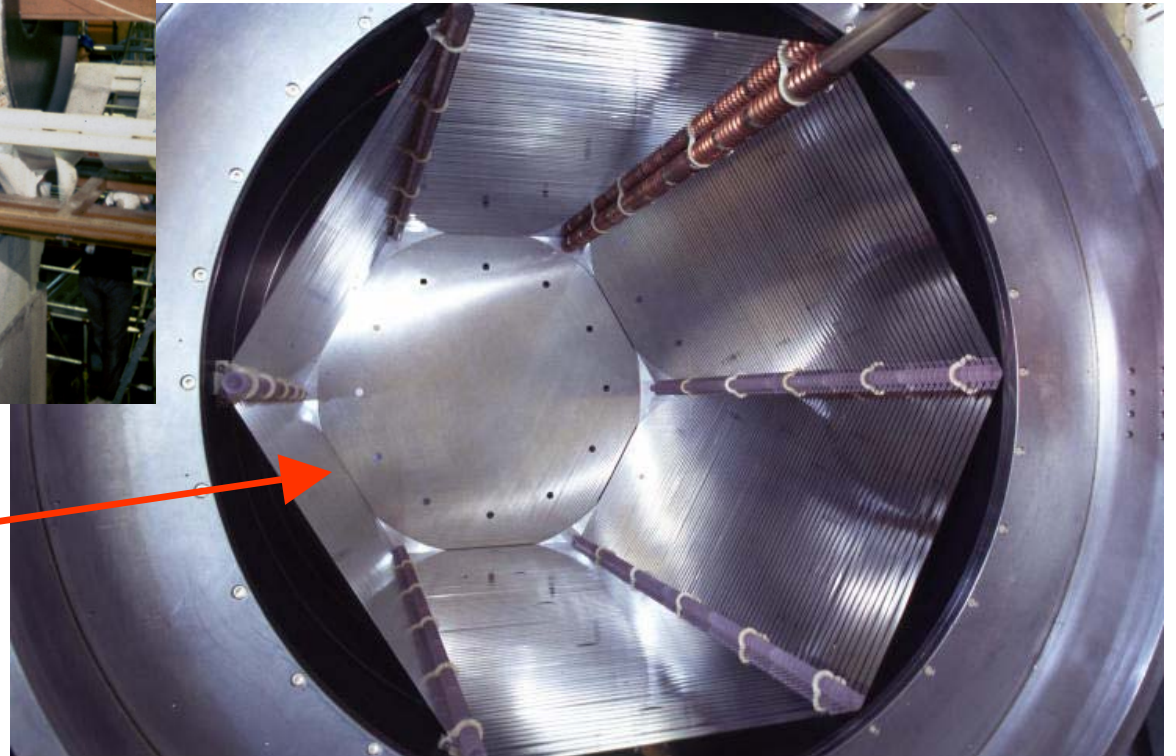
- Like a very long drift chamber, with MWPC at end (one chamber fills full tracking region)
- Accurate posn measurements and  $dE/dx$  (long drift time)
- Signal generated by avalanche
- close to wire
- $z$  from drift time,  $x$  from wire number,  $y$  e.g. from perpendicular cathode pads  $\rightarrow$  full 3D reconstruction ☺
- Long drift times  $\rightarrow$  slow readout (typically  $50 \mu s$ )
- Requires very homogeneous  $E$ ,  $B$  fields  $\rightarrow$  Faraday cage



# Time Projection Chamber Examples



TPC @ DELPHI (LEP)



Prototype field cage @ ALICE (LHC)

# Typical Track Detector Layout

- Gas filled detector
  - Momentum measurement
  - Many points
  - accuracy  $O(0.1\text{mm})$
- Semiconductor detector
  - Vertex determination
  - Few points
  - accuracy  $O(0.001\text{-}0.01\text{ mm})$

