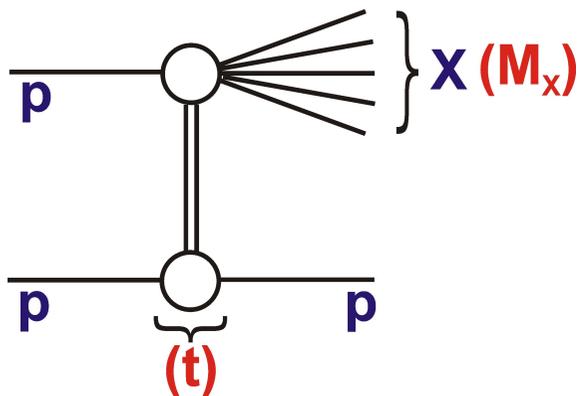
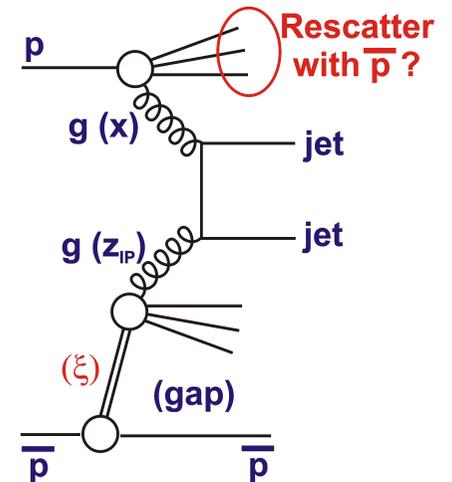


# Diffraction, [Elastic and Total] Cross Sections from early LHC Data

Paul Newman (University of Birmingham, ATLAS Collaboration)



Durham Seminar  
3 May 2012

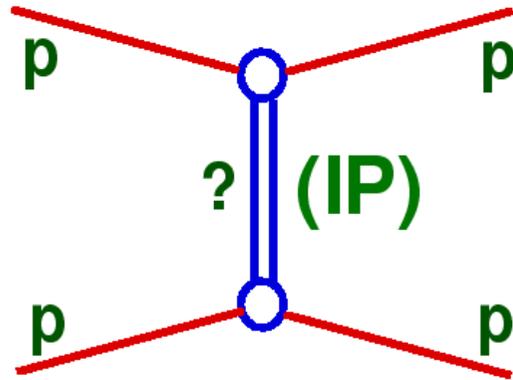


- Brief Introduction to Diffraction
- Soft diffractive cross sections at the LHC
- Relation to the total and total inelastic cross section
- First results on hard diffraction

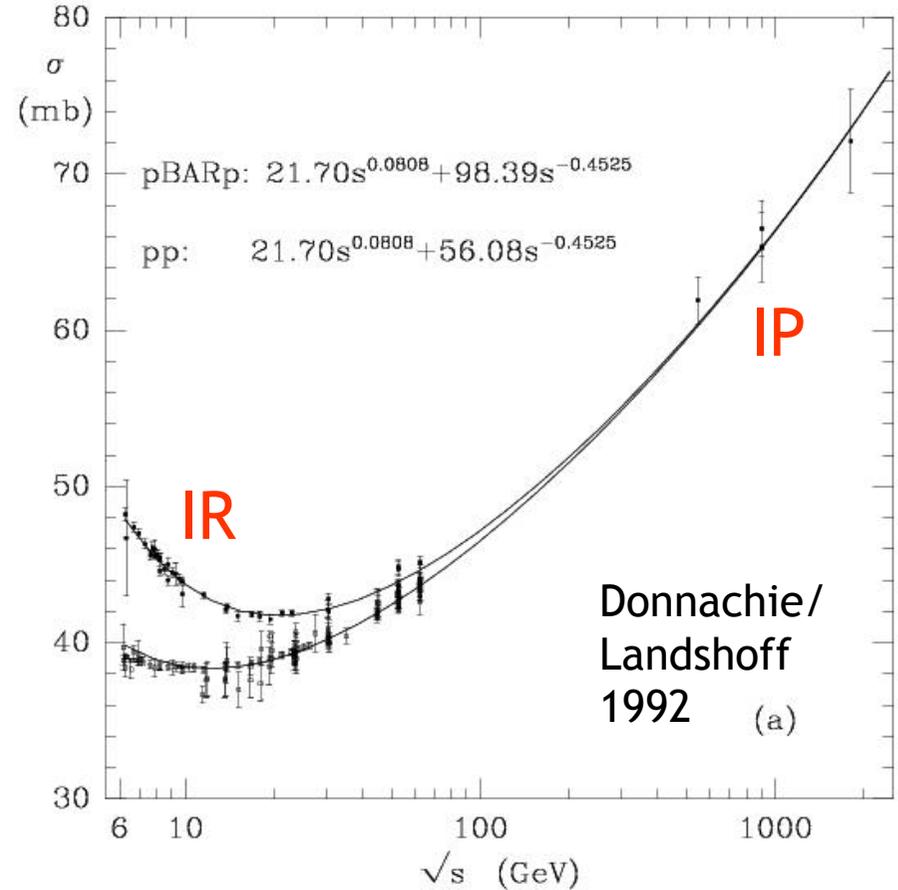
Thanks to many colleagues who worked on these data, especially to Tim Martin

# Diffraction, Vacuum Exchange and the Pomeron

What governs elastic scattering at high energies?



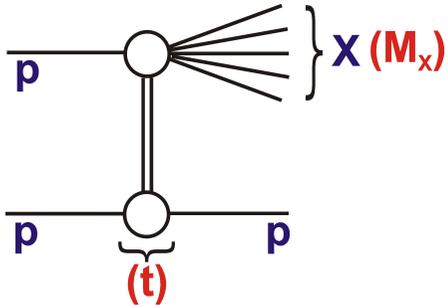
Closely related to the total cross section via the optical theorem



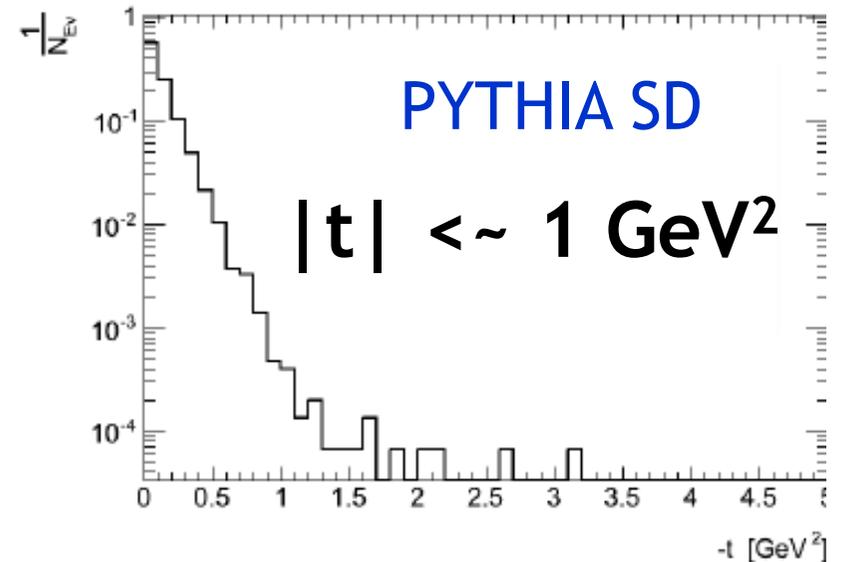
$$\sigma_{\text{tot}} = \frac{1}{2s} \sum_{\mathbf{X}} \left| \begin{array}{c} \text{A} \\ \diagdown \\ \text{---} \\ \diagup \\ \text{B} \end{array} \right|^2 = \frac{1}{2s} \sum_{\mathbf{X}} \begin{array}{c} \text{A} \\ \diagdown \\ \text{---} \\ \diagup \\ \text{B} \end{array} \approx \frac{1}{s} \begin{array}{c} \text{A} \\ \diagdown \\ \text{---} \\ \diagup \\ \text{B} \end{array} \alpha(0)$$

# Inelastic Diffraction and Kinematics

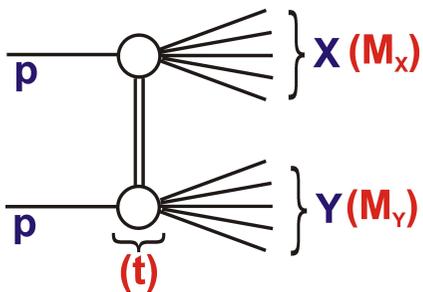
Single dissociation (SD),  $pp \rightarrow Xp$



$$\xi = M_X^2/s$$

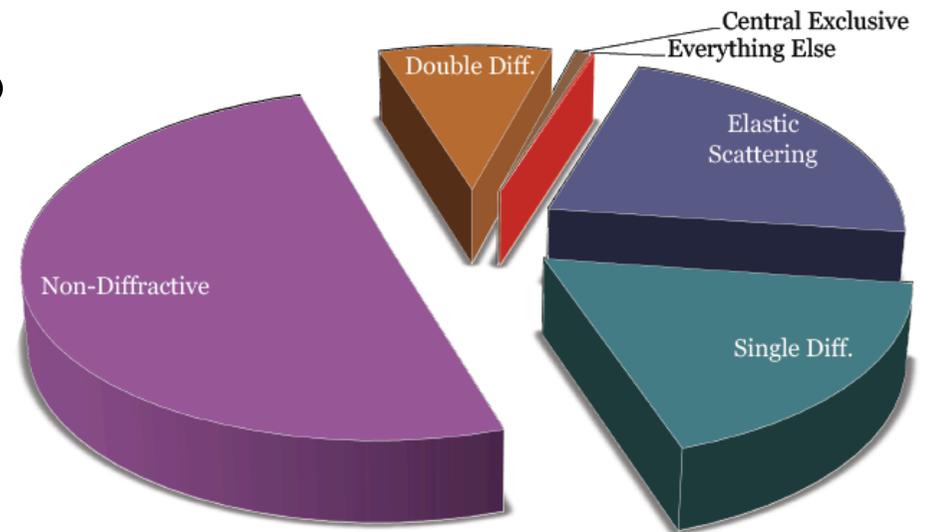


Double dissociation (DD),  $pp \rightarrow XY$



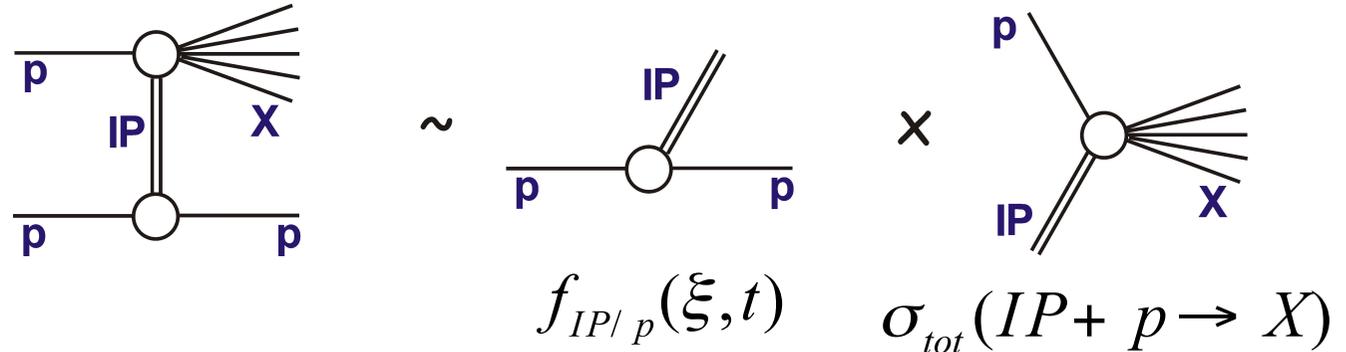
$$\xi_Y = M_Y^2/s$$

- At LHC energies,  $M_X, M_Y$  can range from  $m_p + m_\pi \rightarrow \sim 1$  TeV
- Diffractive channels together account for  $\sim$  half of total LHC cross section

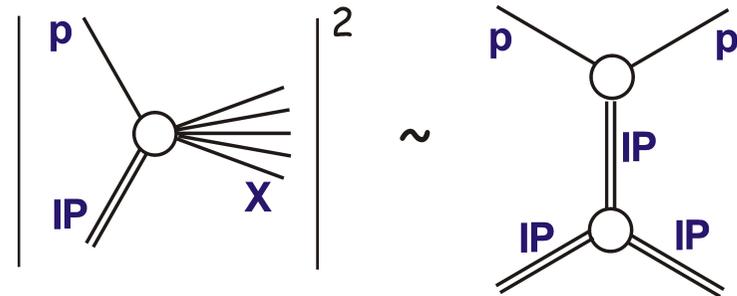


# Generalised Optical Theorem

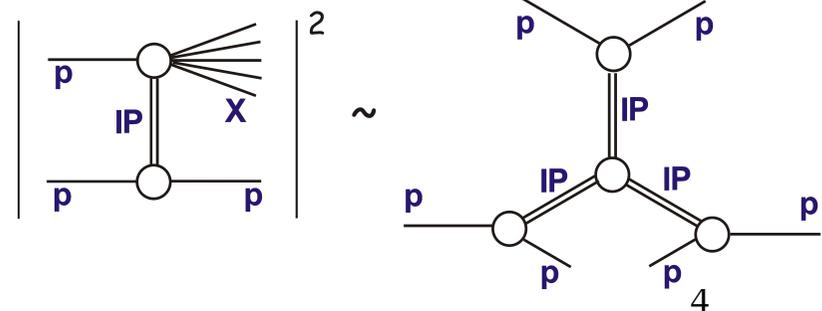
1) Factorise SD into a pomeron (IP) flux and a total p+IP cross section



2) Similarly to total pp cross section, relate total p+IP cross section to forward elastic amplitude via optical theorem



3) Calculate SD cross sections from triple pomeron amplitudes



[similar treatment for DD]

# “Standard Model” of Soft Diffraction

$$\left| \begin{array}{c} p \\ \text{IP} \\ p \end{array} \right|^2 \sim \begin{array}{c} p \\ \text{IP} \\ p \\ \text{IP} \\ p \end{array}$$

$$\frac{d\sigma}{d\xi dt} \propto \left( \frac{1}{\xi} \right)^{2\alpha(t)-\alpha(0)} e^{bt}$$

(fixed s)  $[\alpha(t) = \alpha(0) + \alpha' t]$

i.e.  $\frac{d\sigma}{d\xi} \propto \frac{1}{\xi}$  to first approximation

Deviations from this behaviour sensitive to  $\alpha_{\text{IP}}(t)$

$$\Omega_{ik} = \left[ \begin{array}{c} \rightarrow i \\ | \\ \rightarrow k \end{array} + \begin{array}{c} \rightarrow i \\ \text{Y} \\ \bullet \\ | \\ \rightarrow k \end{array} \right] M + \begin{array}{c} \rightarrow i \\ \text{Y} \\ \bullet \\ | \\ \rightarrow k \end{array} + \dots + \begin{array}{c} \rightarrow i \\ \text{Y} \\ \bullet \\ \text{Y} \\ \bullet \\ | \\ \rightarrow k \end{array} + \dots$$

... also sensitive to absorptive corrections (multiple soft exchanges in different configurations) e.g. Durham 3 channel eikonal analysis ...

# Uncertainties in LHC Predictions

## Single dissociation

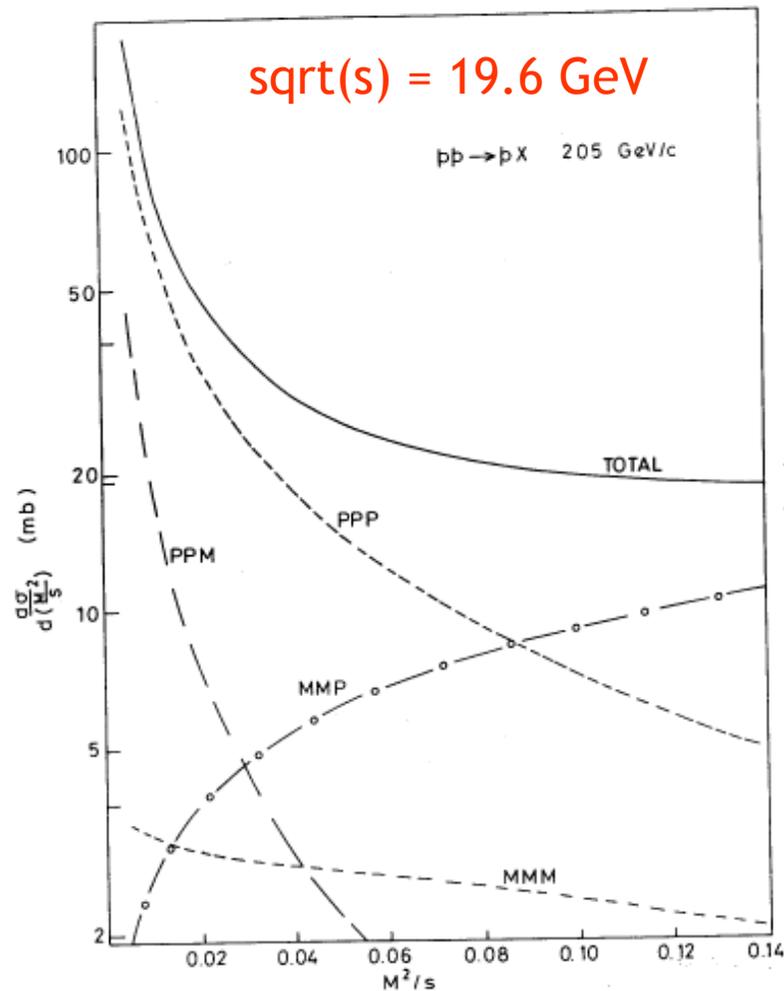
$$\sigma = 14\text{mb (PYTHIA8)}$$

$$\sigma = 10\text{mb (PHOJET)}$$

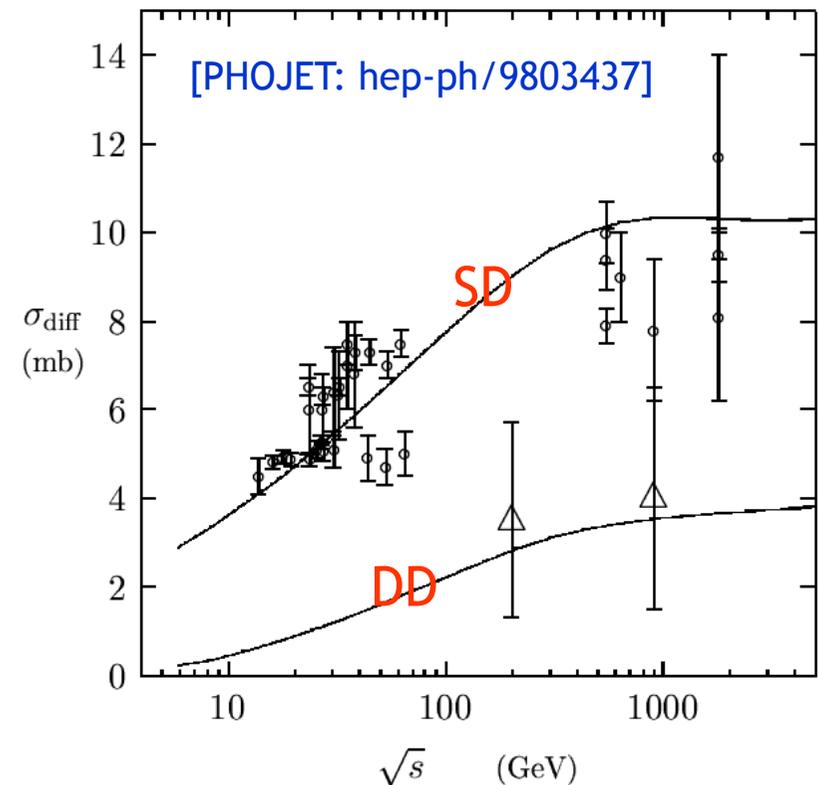
## Double dissociation

$$\sigma = 9\text{mb (PYTHIA8)}$$

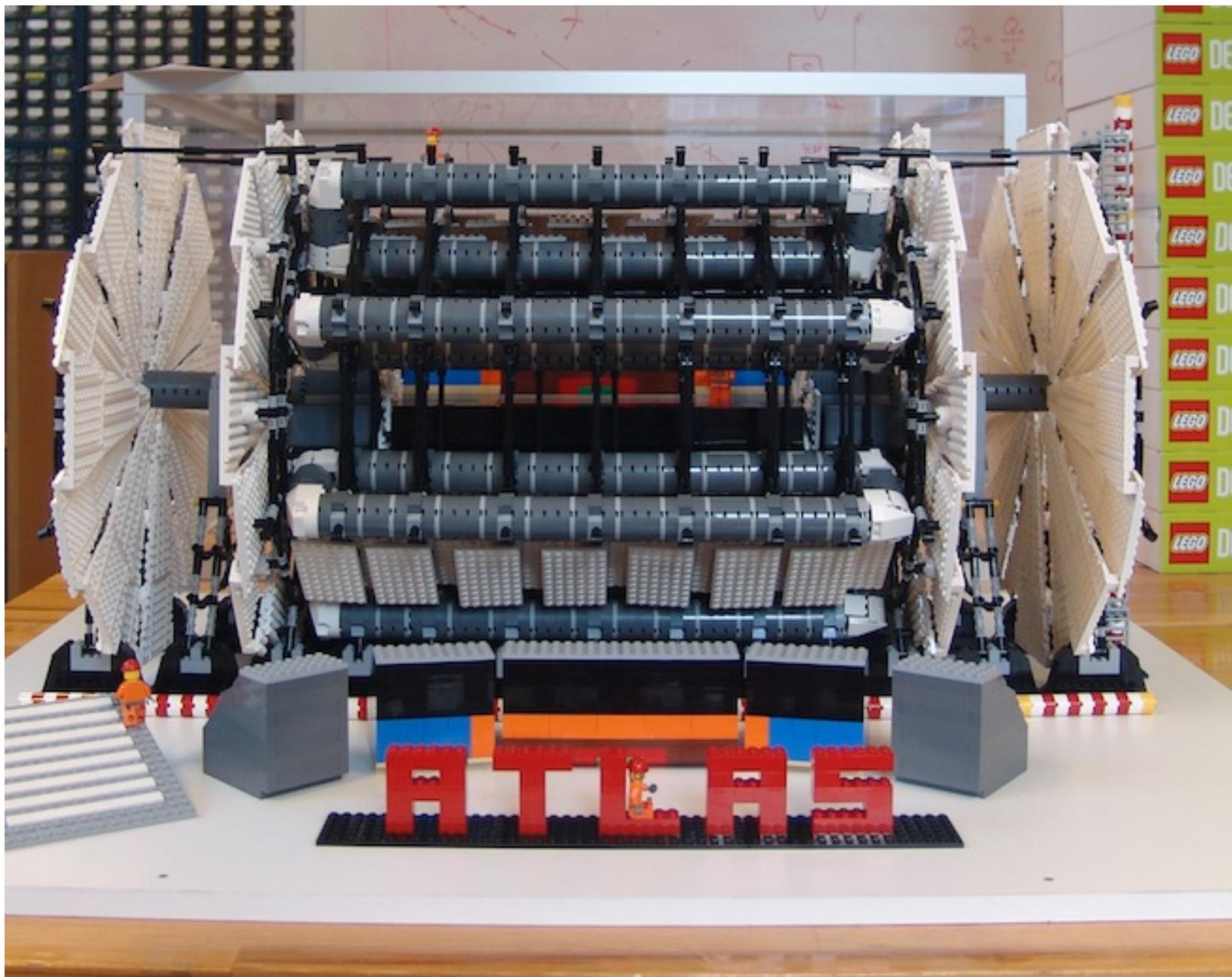
$$\sigma = 4\text{mb (PHOJET)}$$



Parameterisations based on old low energy data, particularly poor for DD

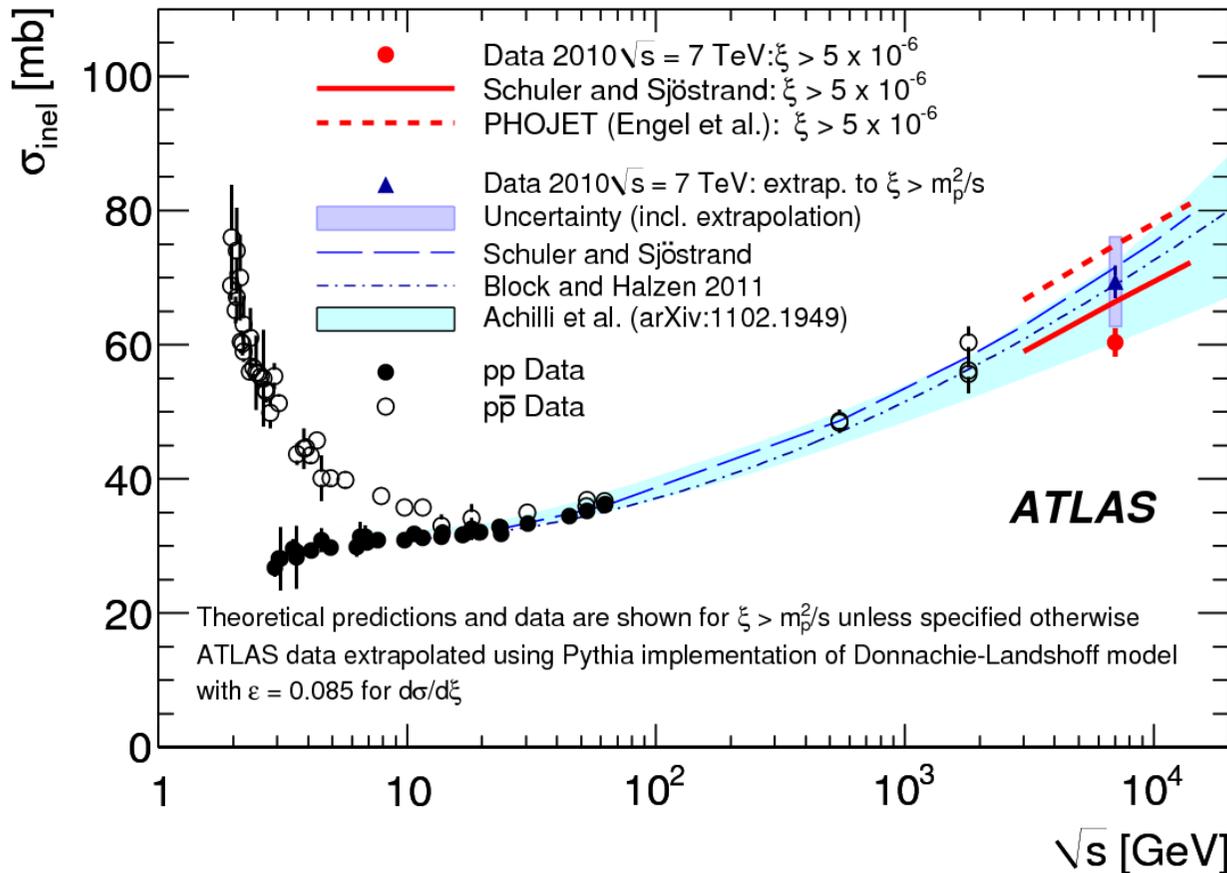
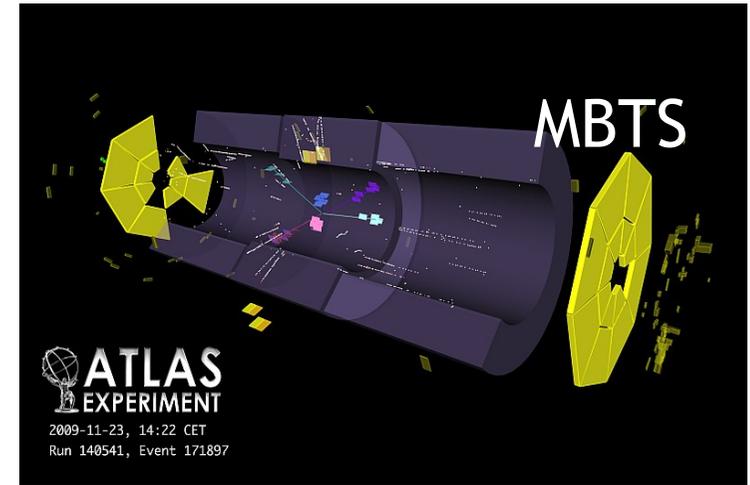


# ATLAS Detector



# Total Inelastic pp Cross Section

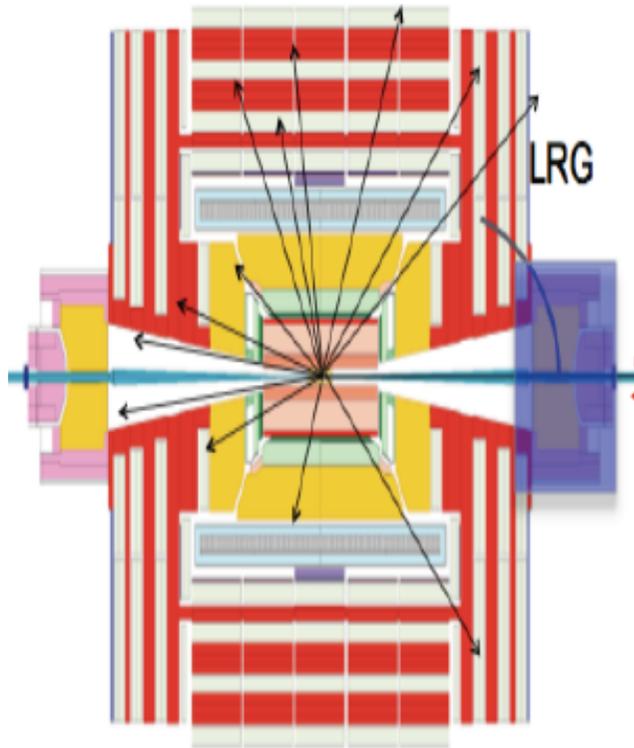
- Using MBTS trigger ( $2.1 < |\eta| < 3.8$ ), miss only elastic ( $pp \rightarrow pp$ ) and low mass diffraction ( $pp \rightarrow pX$  etc)



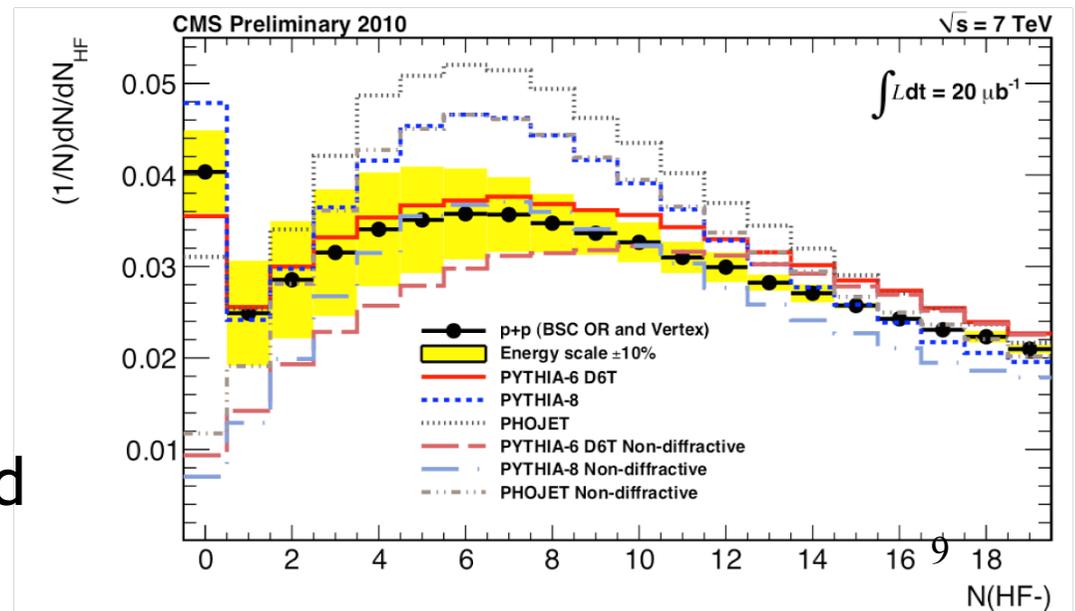
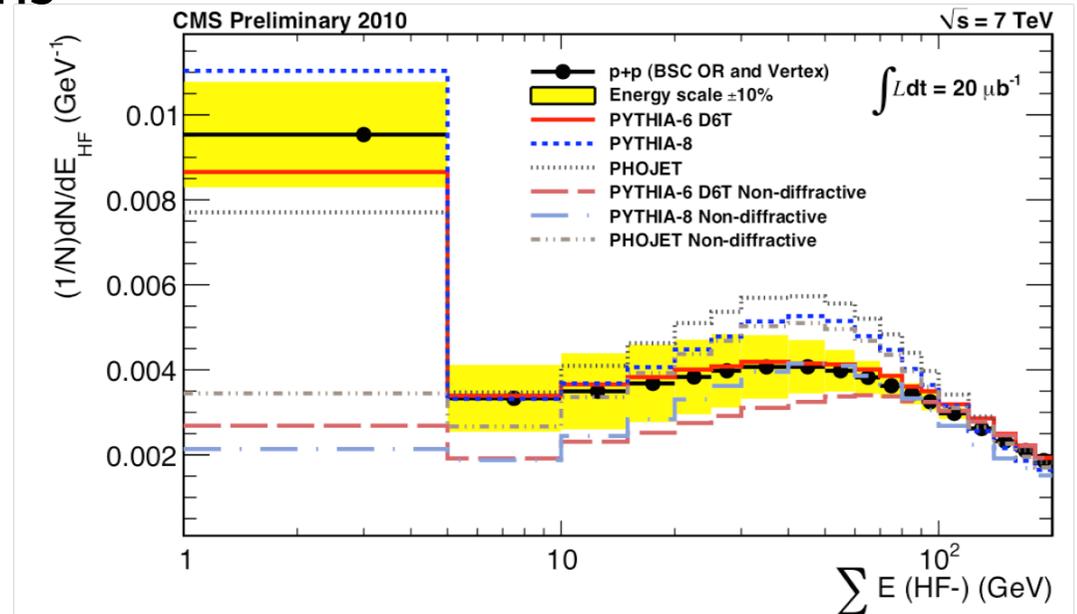
- Unextrapolated Result below PYTHIA and PHOJET
- 5-15% extrapolation yields total inelastic cross section
- Extrapolation includes large uncertainty on low  $\xi$  dissociation

# CMS: First Direct LHC Dissoc<sup>n</sup> Observation

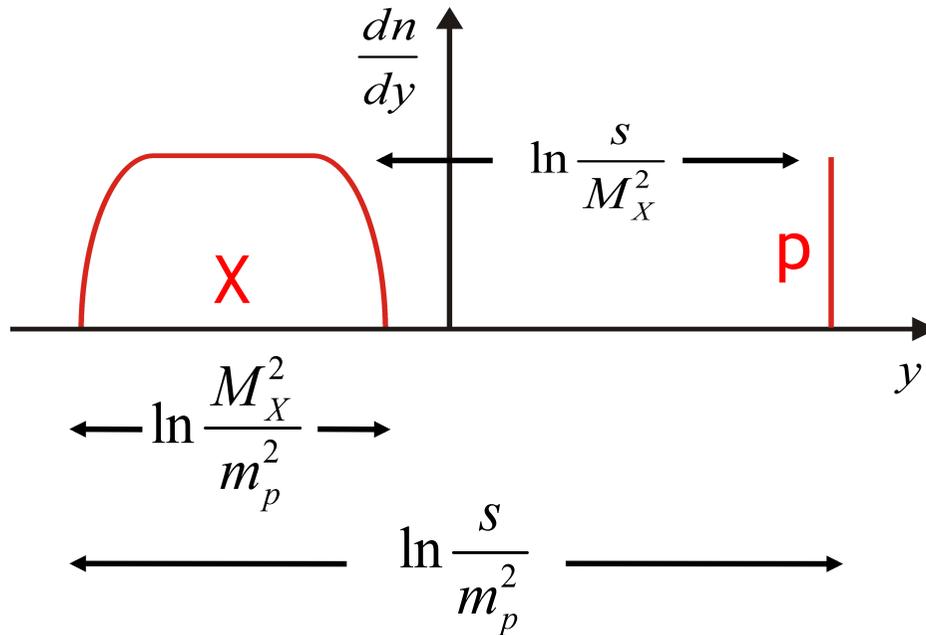
Inclusive min-bias distributions  
of forward HCAL activity  
( $2.9 < |\eta| < 5.2$ )



Excess of events with  
diffractive topology observed  
at all 3 LHC beam energies



# Alternative Approach: Rapidity Gaps



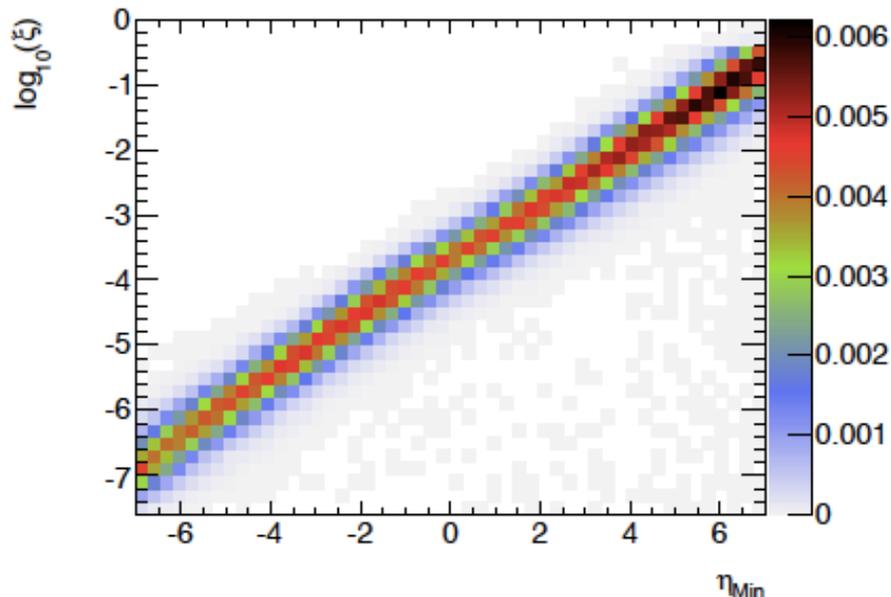
Up to event-by-event hadronisation fluctuations,  $\xi$  variables are predictable from empty rapidity regions

→ Large rapidity gaps

$$\Delta\eta \approx -\ln \xi$$

and ~ flat gap distributions

$$\frac{d\sigma}{d\Delta\eta} \approx \text{const.}$$

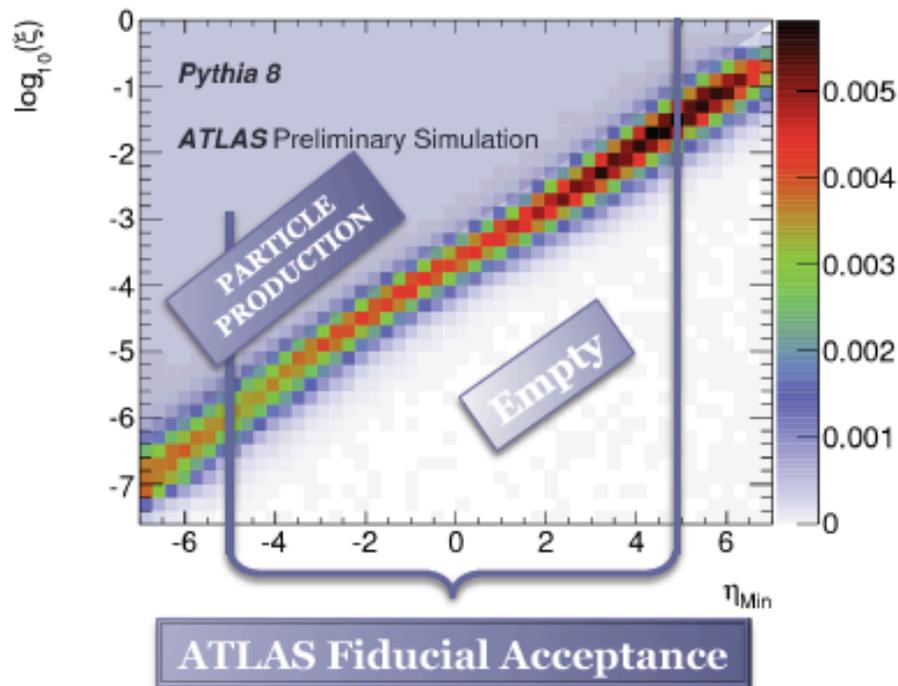
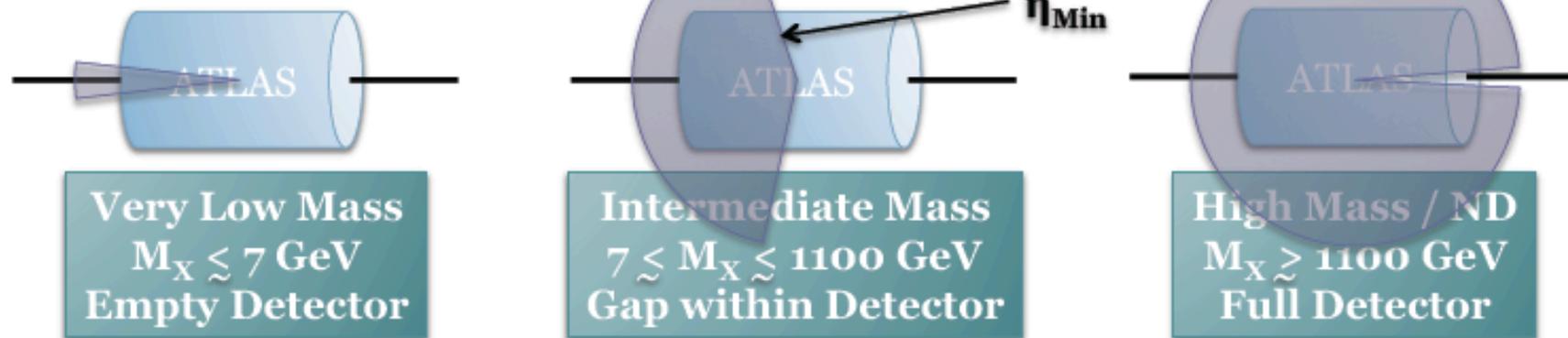


LHC coverage ( $|\eta| < 4.9$ ) gives sensitivity with large gap to:

$$10^{-6} < \sim \xi < \sim 10^{-2}$$

(equivalently  $7 < \sim M_X < \sim 700 \text{ GeV}$ )

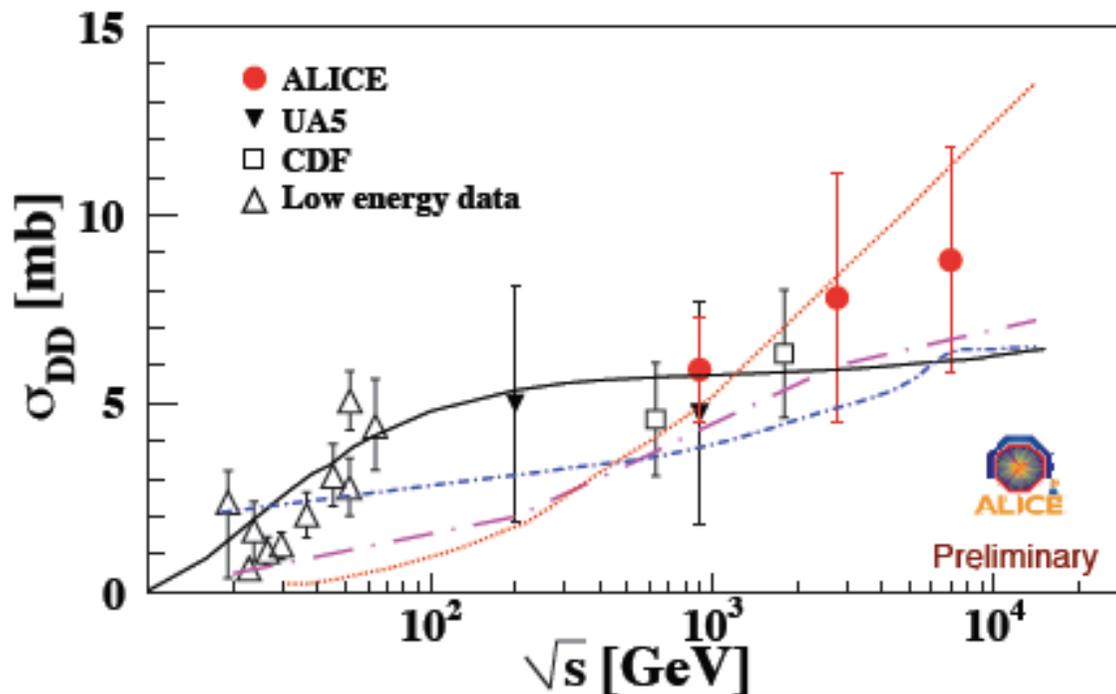
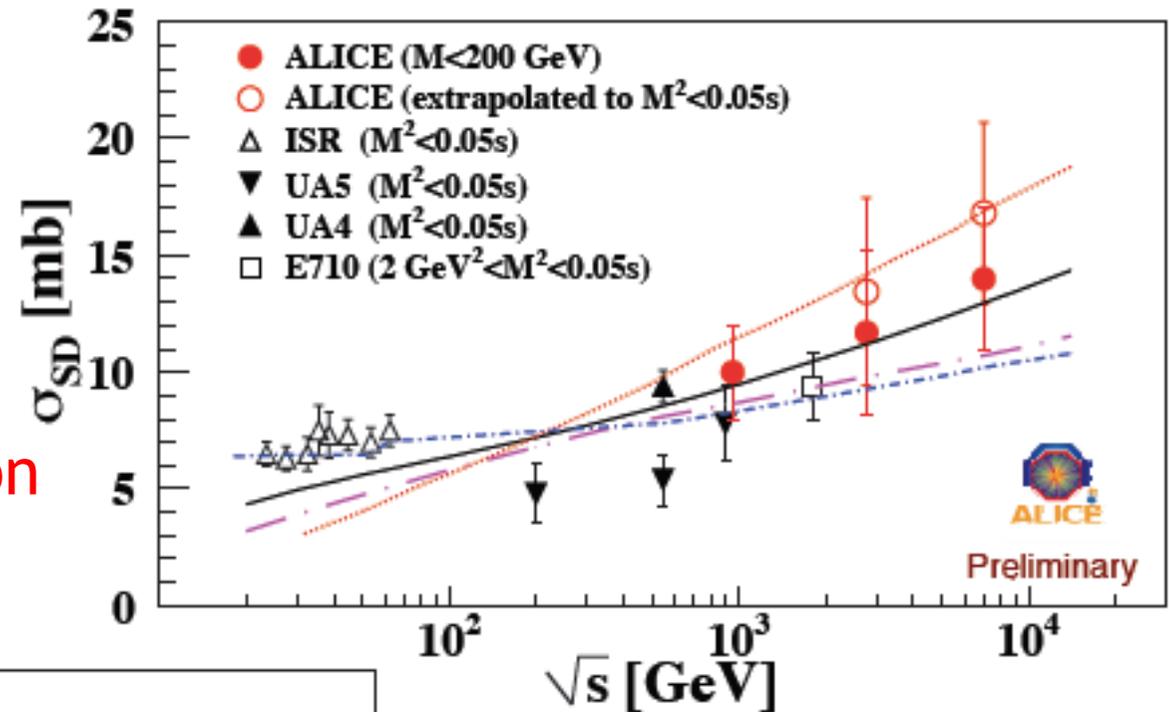
# Rapidity Gap Correlation.



- **Rapidity interval of final state kinematically linked** to size of **diffractive mass**.
- **Linear relation** between  $\eta$  of edge of diffractive system and  $\ln(M_X)$ , smeared out slightly by hadronisation effects.

# ALICE: Total SD and DD Cross Sections

ALICE: Unfold integrated SD and DD cross sections at all three CMS energies based on gap rates and topologies.  
 [implies some extrapolation into lowest  $\xi$  regions]

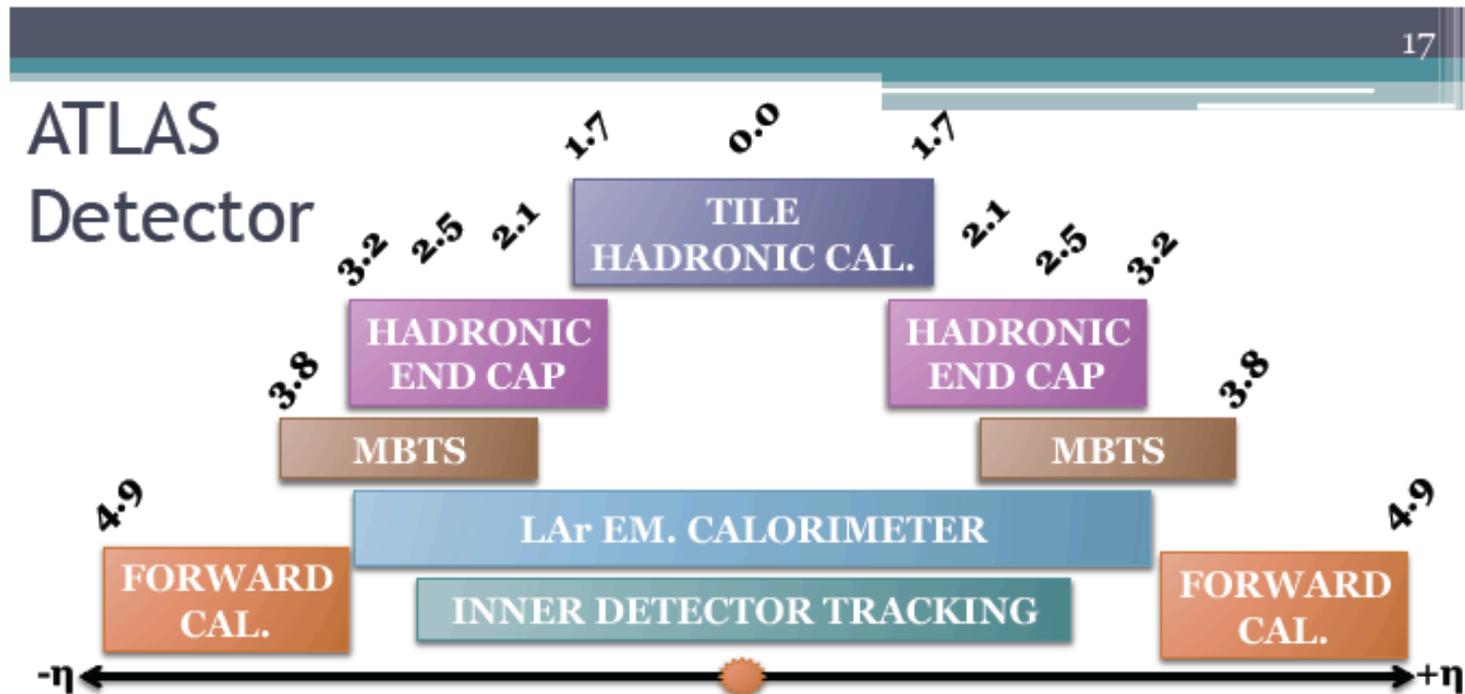


$\sigma(\text{SD})$  with  $\xi < 0.05$

$\sigma(\text{DD})$  with gap  $\Delta\eta > 3$

Good agreement with SPS data and wide range of model predictions

# ATLAS Acceptance



Rapidity gaps identified using full range of calorimetry ( $|\eta| < 4.9$ ) and inner tracking detector ( $|\eta| < 2.5$ )

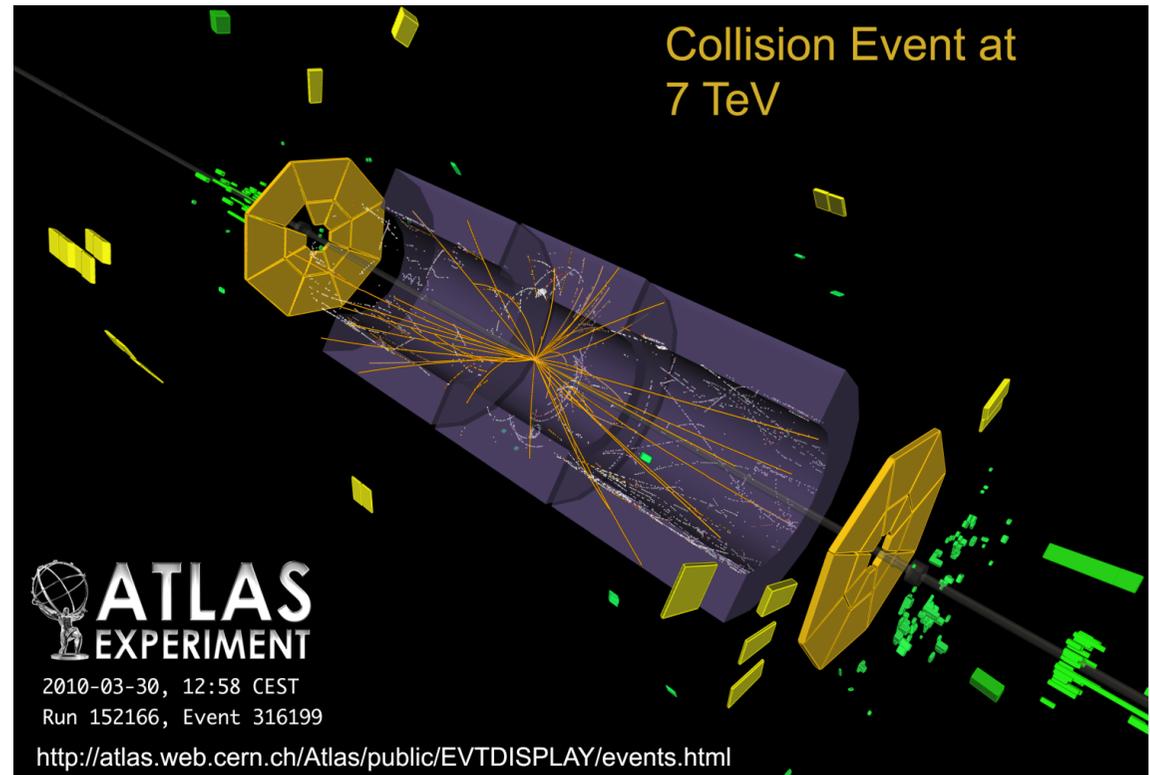
Detector is sensitive to particle production with  $p_T > 200$  MeV ... Measurements defined by this requirement

Higher  $p_T$  cuts also applied to investigate dependence

# ATLAS Measurement

Uses only the first  
ever physics run at  
 $\sqrt{s} = 7 \text{ TeV}$ .

30<sup>th</sup> March 2010,  
from 13.24 to 16.38



7 minutes shorter than `Lord of the Rings: Return of the King`

Pile-up occurs in less than 1 event in 1000

Integrated luminosity of  $7.1 \mu\text{b}^{-1}$

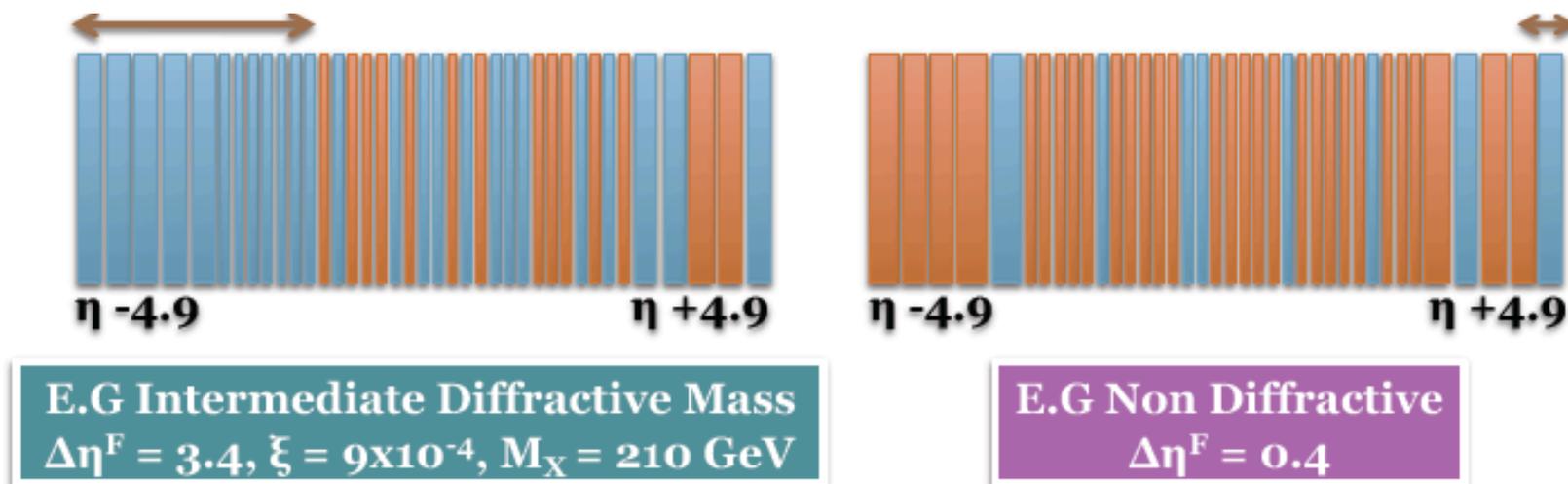
Peak instantaneous luminosity of  $1.1 \times 10^{27} \text{ cm}^{-2} \text{ s}^{-1}$  ☺

# Gap Finding Algorithm / Observable

Divide detector into rings of width usually  $\Delta\eta = 0.2$

Decide whether there are particles with  $p_T$  above threshold (usually 200 MeV) in each ring

Define  $\Delta\eta^F$  = larger continuous run of empty rings extending to limit of acceptance in forward or backward direction



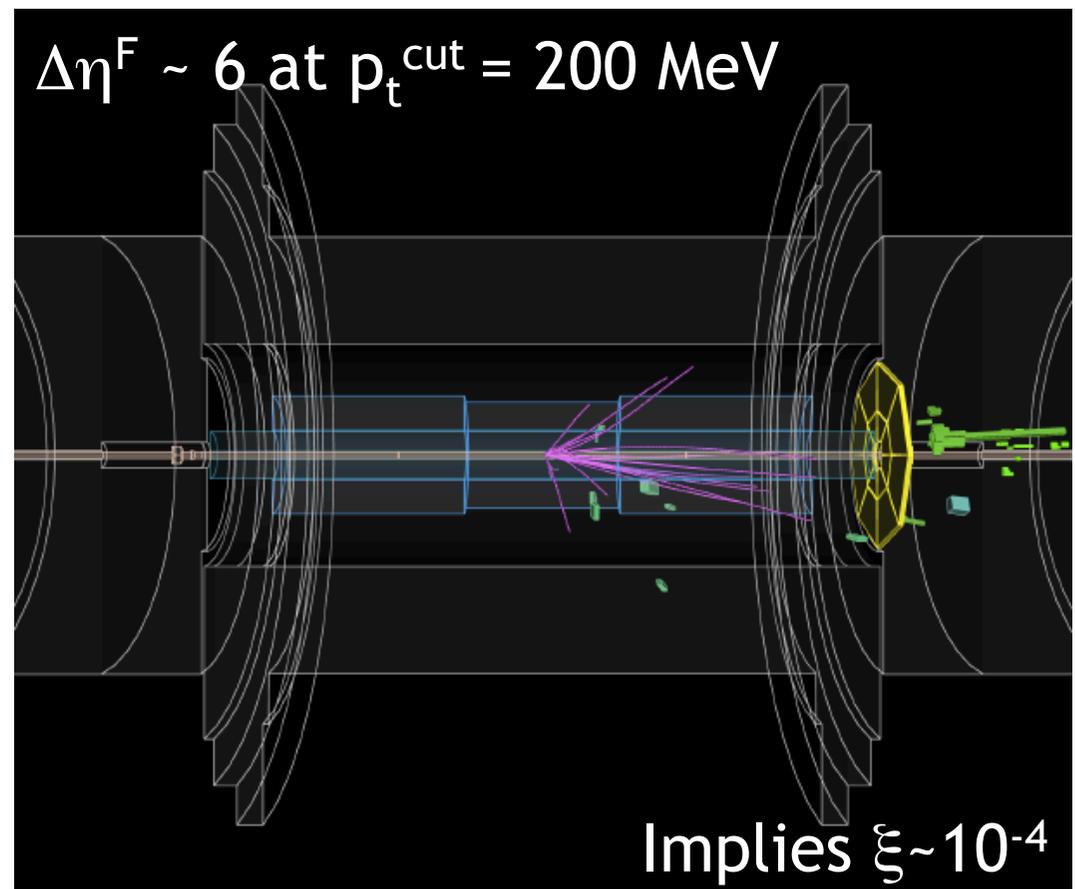
# ATLAS: Differential gap cross-sections

- Cross sections measured from first  $\sqrt{s} = 7$  TeV LHC run
- Differential in rapidity gap size  $\Delta\eta^F$
- $\Delta\eta^F$  extends from  $\eta = \pm 4.9$  to first particle with  $p_t > p_t^{\text{cut}}$

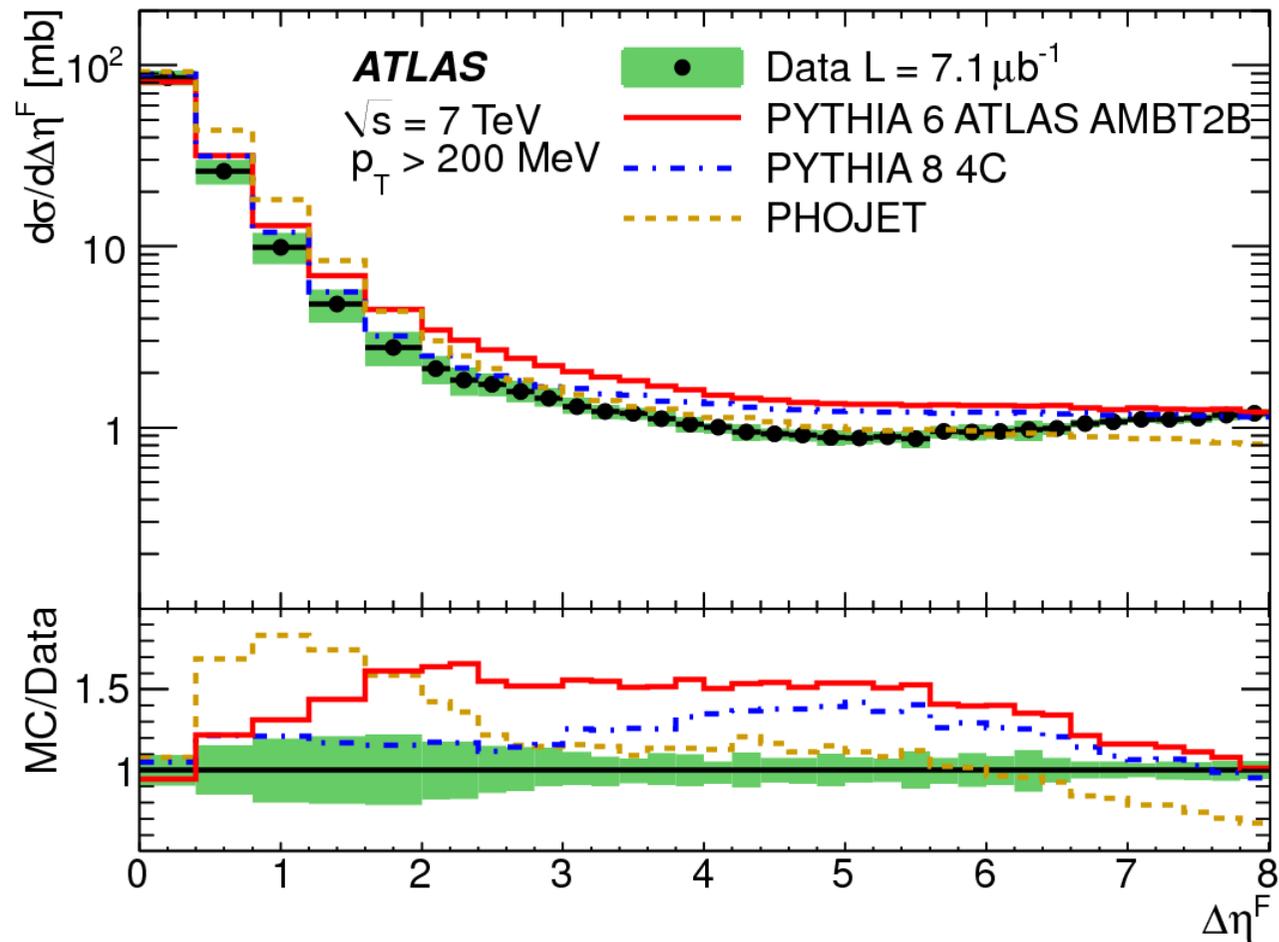
$$200 \text{ MeV} < p_t^{\text{cut}} < 800 \text{ MeV}$$

$$0 < \Delta\eta^F < 8$$

Corrected for experimental effects to level of stable hadrons



# ATLAS Differential Gap Cross Section



- Precision between ~8% (large gaps) and ~20% ( $\Delta\eta^F \sim 1.5$ )
- Small gaps sensitive to hadronisation fluctuations / MPI
- Large gaps measure x-sec for SD [+ DD with  $M_\gamma < \sim 7 \text{ GeV}$ ]

# Small Gaps & Hadronisation Fluctuations

## Diffraction and correlations at the LHC: definitions and observables

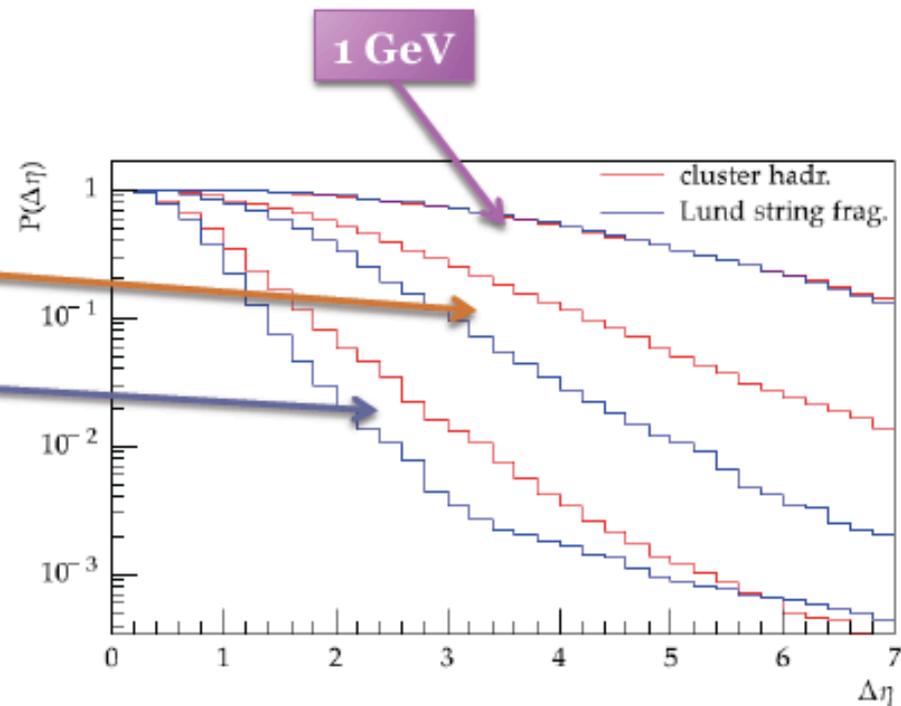
V.A. Khoze<sup>1,a</sup>, F. Krauss<sup>1</sup>, A.D. Martin<sup>1</sup>, M.G. Ryskin<sup>1,2</sup>, K.C. Zapp<sup>1,b</sup>

<sup>1</sup>Institute for Particle Physics Phenomenology, University of Durham, Durham, DH1 3LE, UK

<sup>2</sup>Petersburg Nuclear Physics Institute, Gatchina, St. Petersburg 188300, Russia

500 MeV

100 MeV

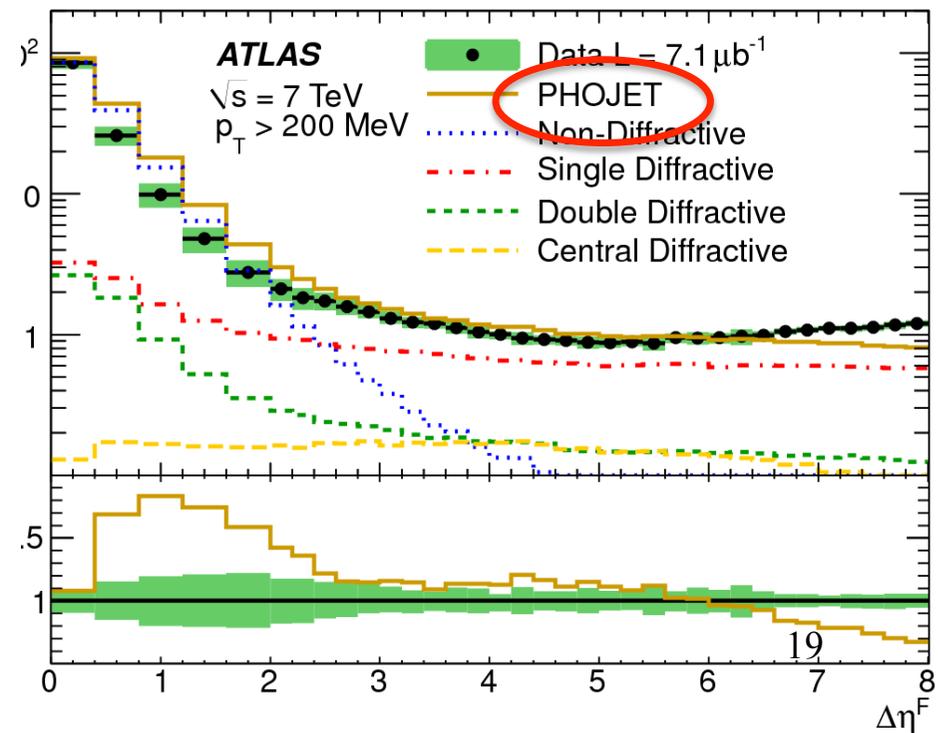
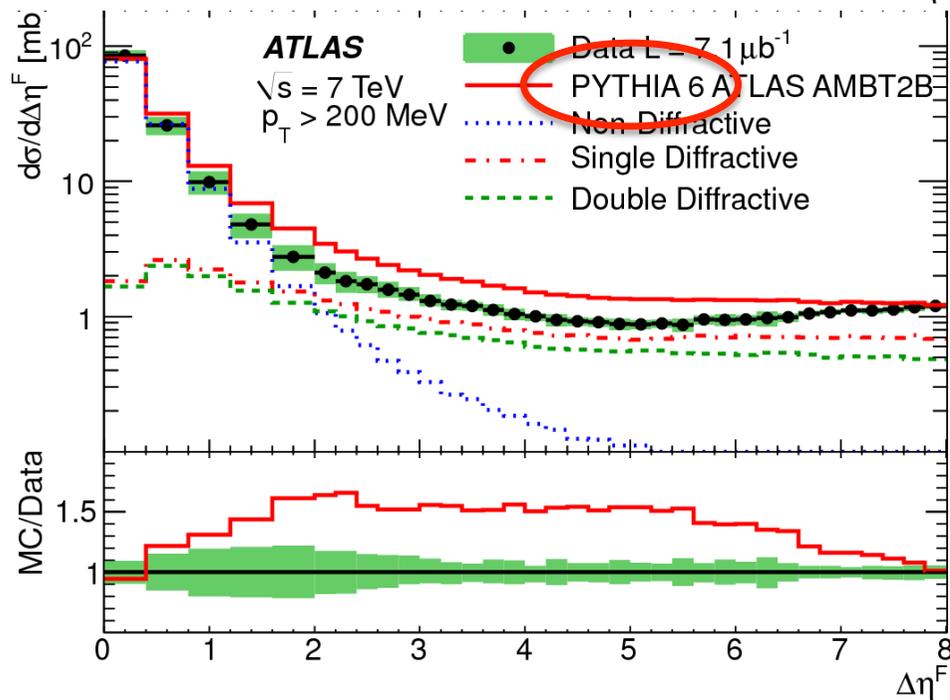
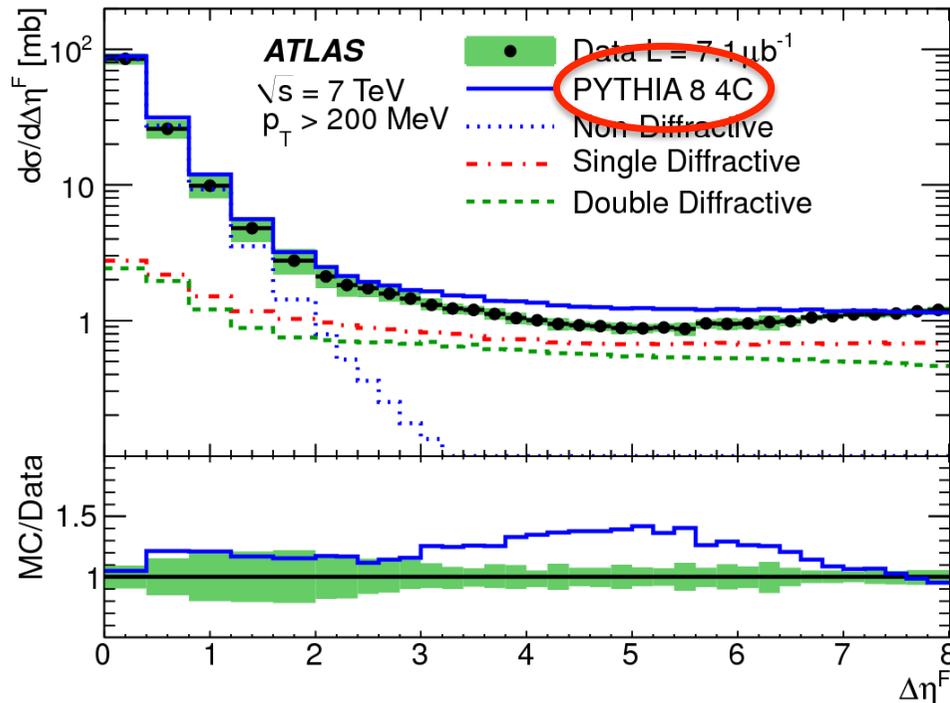


**Fig. 4** Probability for finding a rapidity gap (definition ‘all’) larger than  $\Delta\eta$  in an inclusive QCD event for different threshold  $p_{\perp}$ . From top to bottom the thresholds are  $p_{\perp,\text{cut}} = 1.0, 0.5, 0.1$  GeV. Note that the lines for cluster and string hadronisation lie on top of each other for  $p_{\perp,\text{cut}} = 1.0$  GeV. No trigger condition was required,  $\sqrt{s} = 7$  TeV

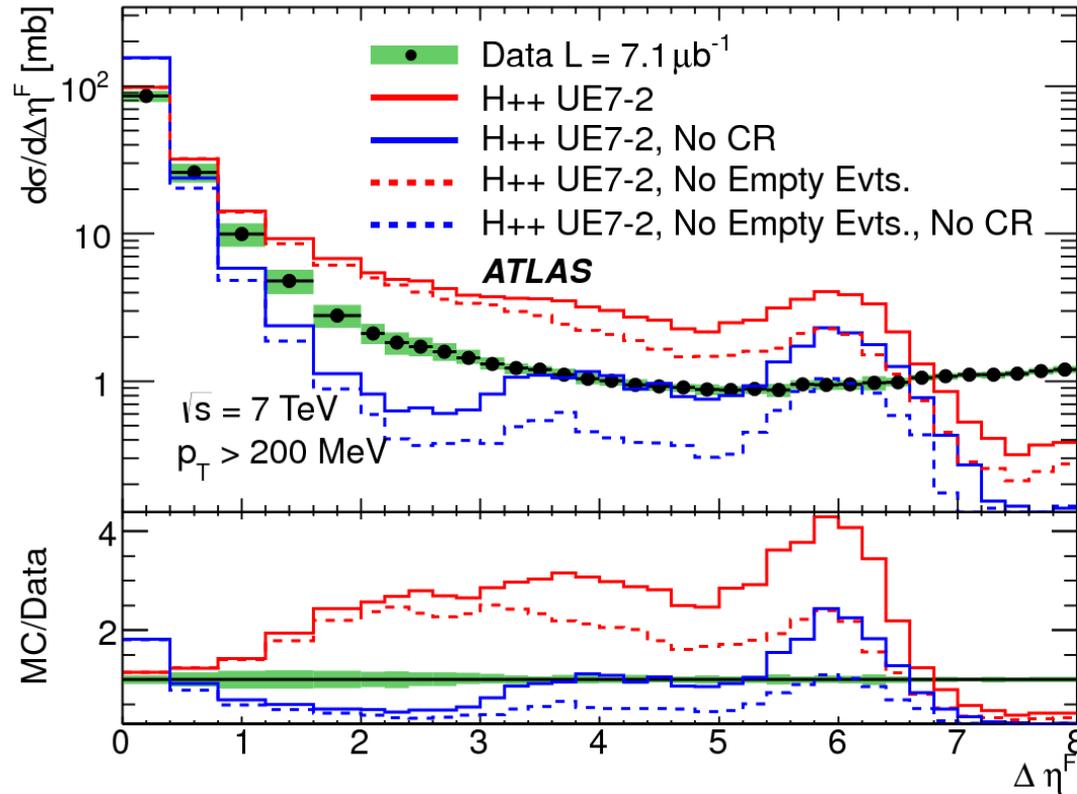
Very large uncertainties  
in probability for  
hadronisation fluctuations  
in non-diffractive events  
to produce large gaps

# Small Gaps and Hadronisation

- Big variation between MCs in small non-zero gap production via ND  $\rightarrow$  fluctuations / UE
- PYTHIA8 best at small gaps
- PHOJET  $> 50\%$  high at  $\Delta\eta^F \sim 1.5$



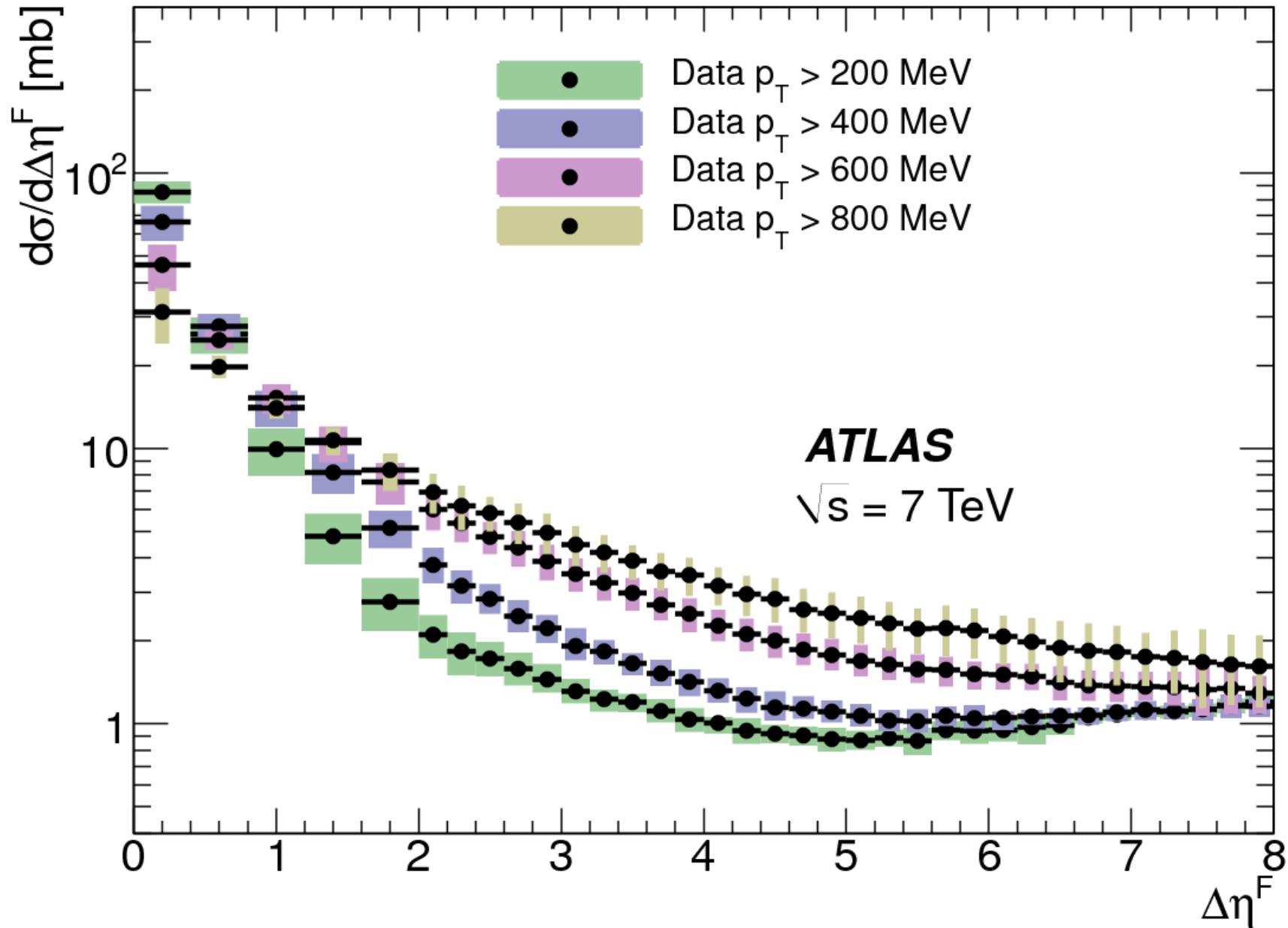
# Cluster Fragmentation: HERWIG++



- HERWIG++ with underlying event tune UE7-2 contains no explicit model of diffraction, but produces large gaps at higher than measured rate and a “bump” near  $\Delta\eta^F = 6$

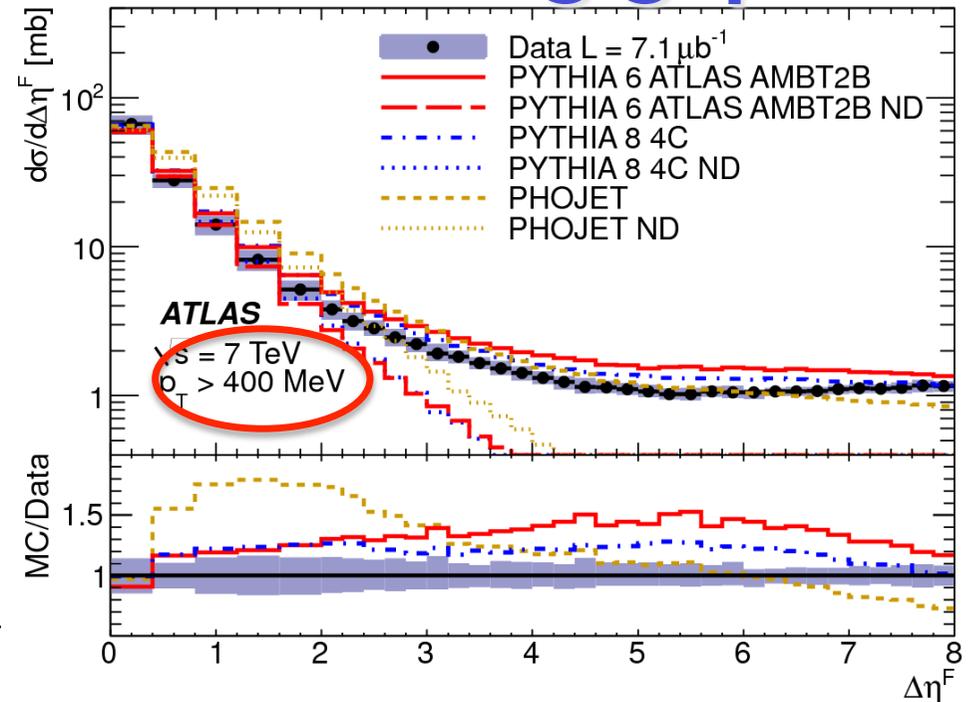
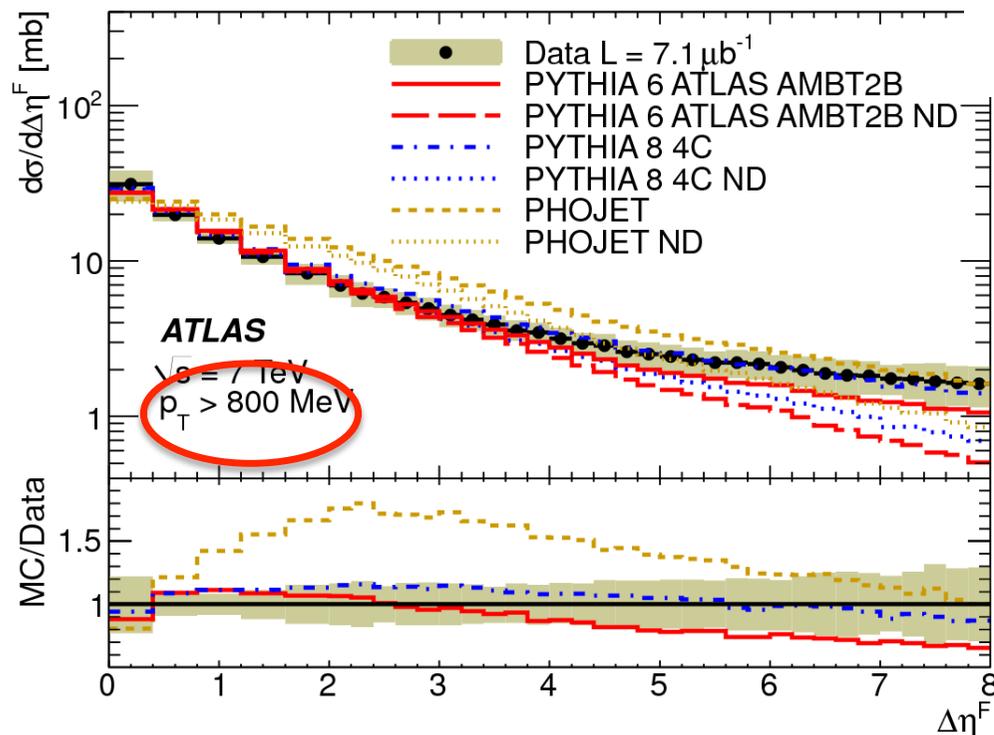
- Effect not killed by removing colour reconnection or events with zero soft or semi-hard scatters in eikonal model

# Increasing the pt cut defining gaps



# Increasing the $p_t$ cut defining gaps

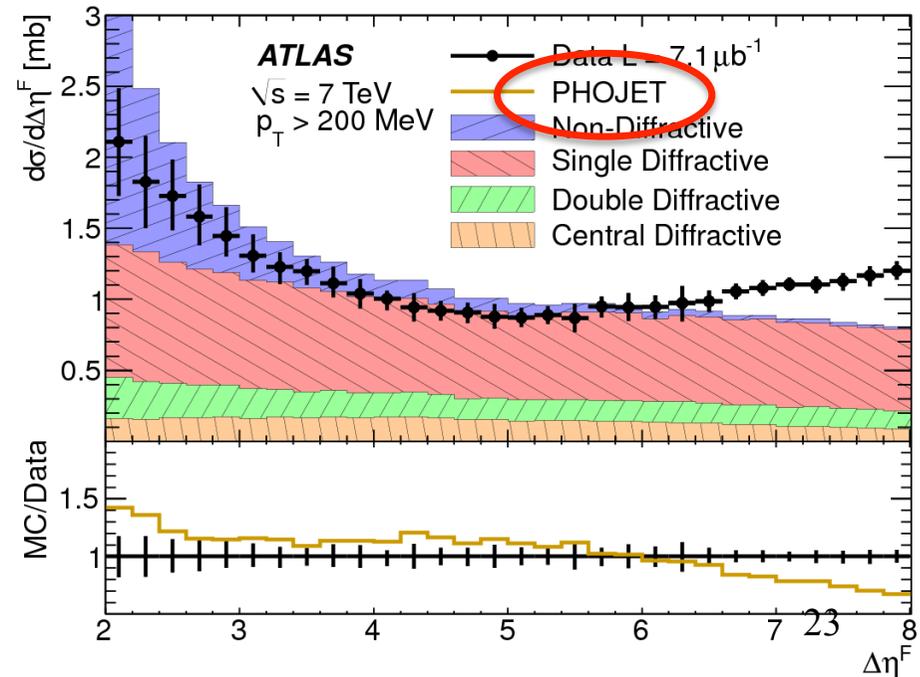
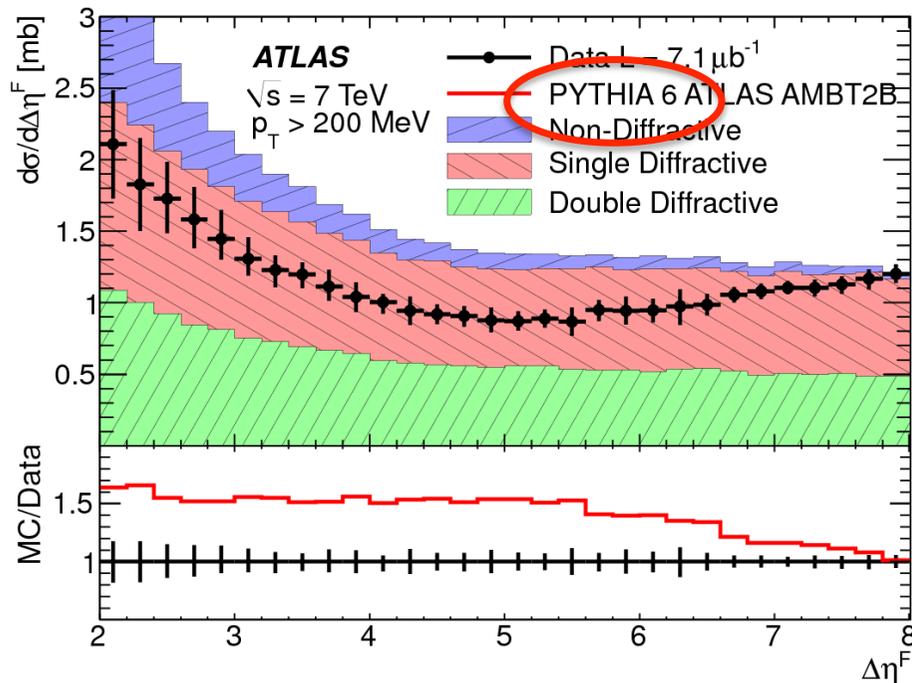
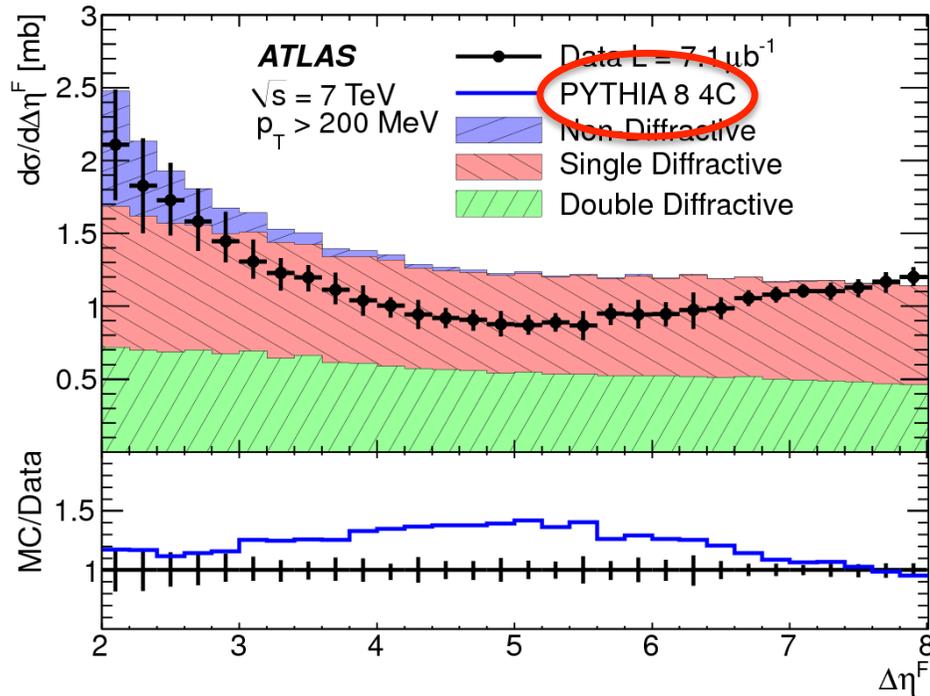
As  $p_t^{\text{cut}}$  increases, data shift to larger  $\Delta\eta^F$  in a manner sensitive to hadronisation fluctuations and underlying event



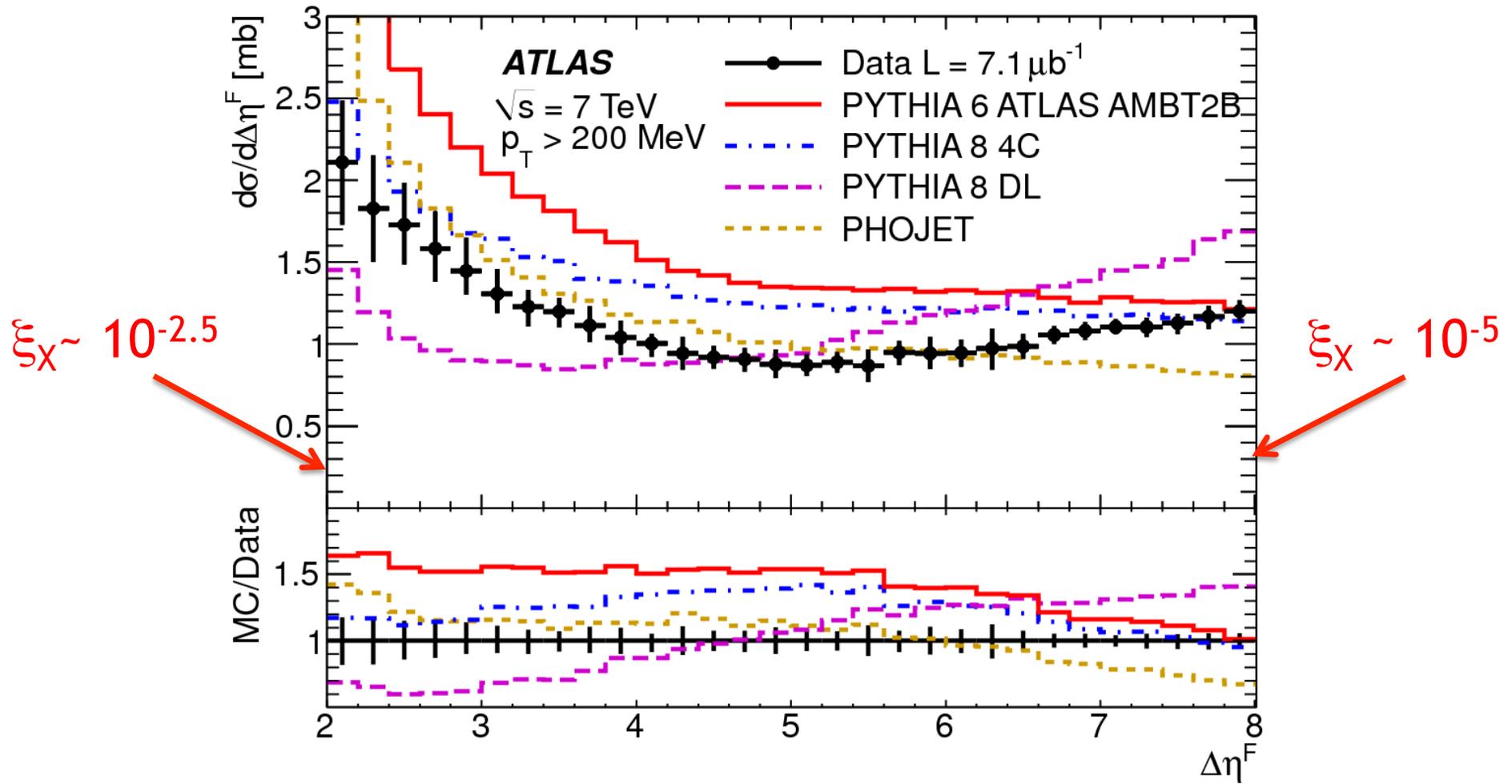
- Switching to  $p_t^{\text{cut}} = 400 \text{ MeV}$  doesn't change qualitative picture
- Diffractive / non-diffractive processes barely distinguished at  $p_t^{\text{cut}} = 800 \text{ MeV}$

# Large Gaps and Diffractive Dynamics

- Diffractive plateau with  $\sim 1$  mb per unit of gap size for  $\Delta\eta^F > 3$  broadly described by models
- PYTHIA high (DD much larger than in PHOJET)
- PHOJET low at high  $\Delta\eta^F$



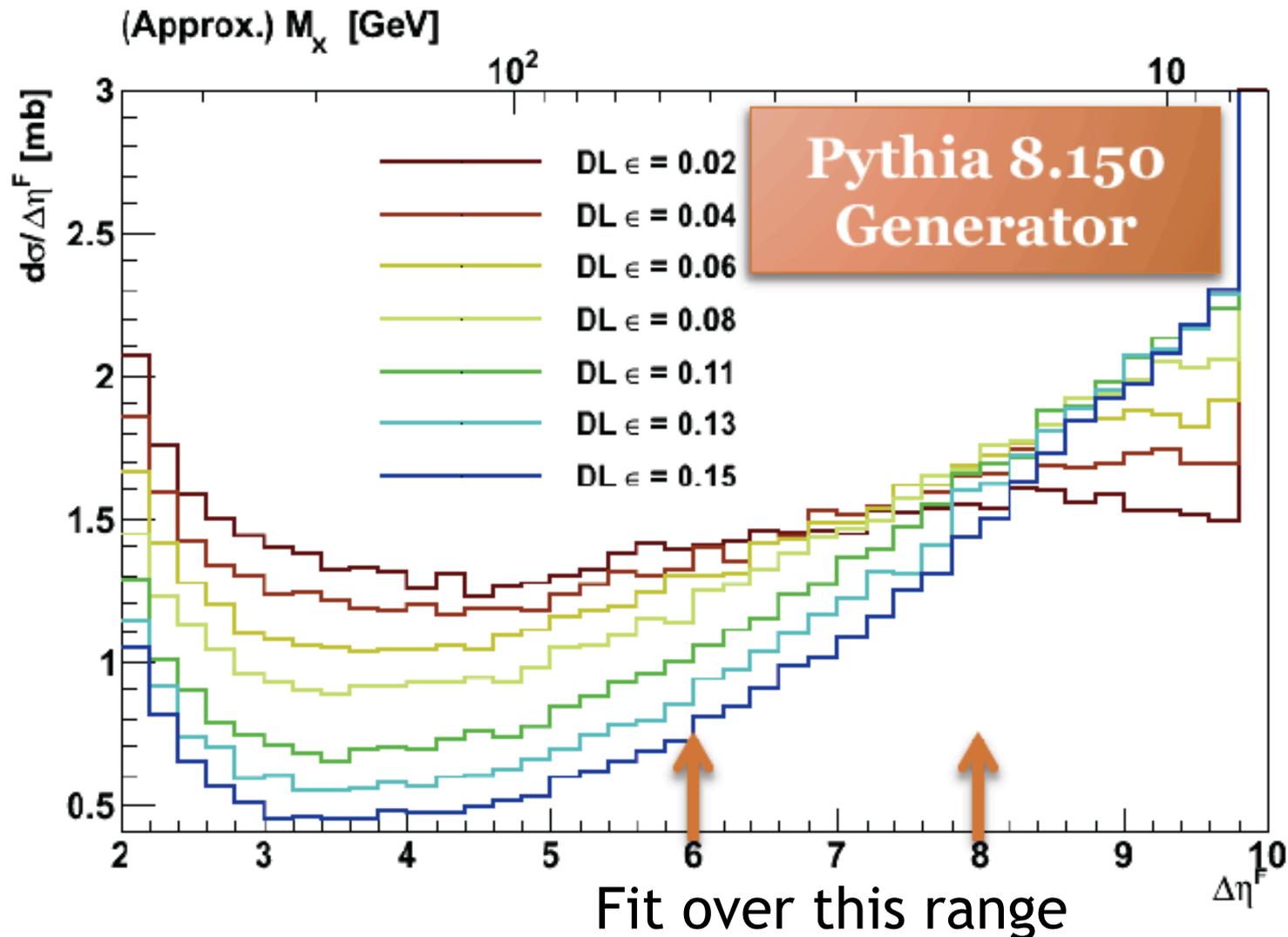
# Large Gaps and Diffractive Dynamics



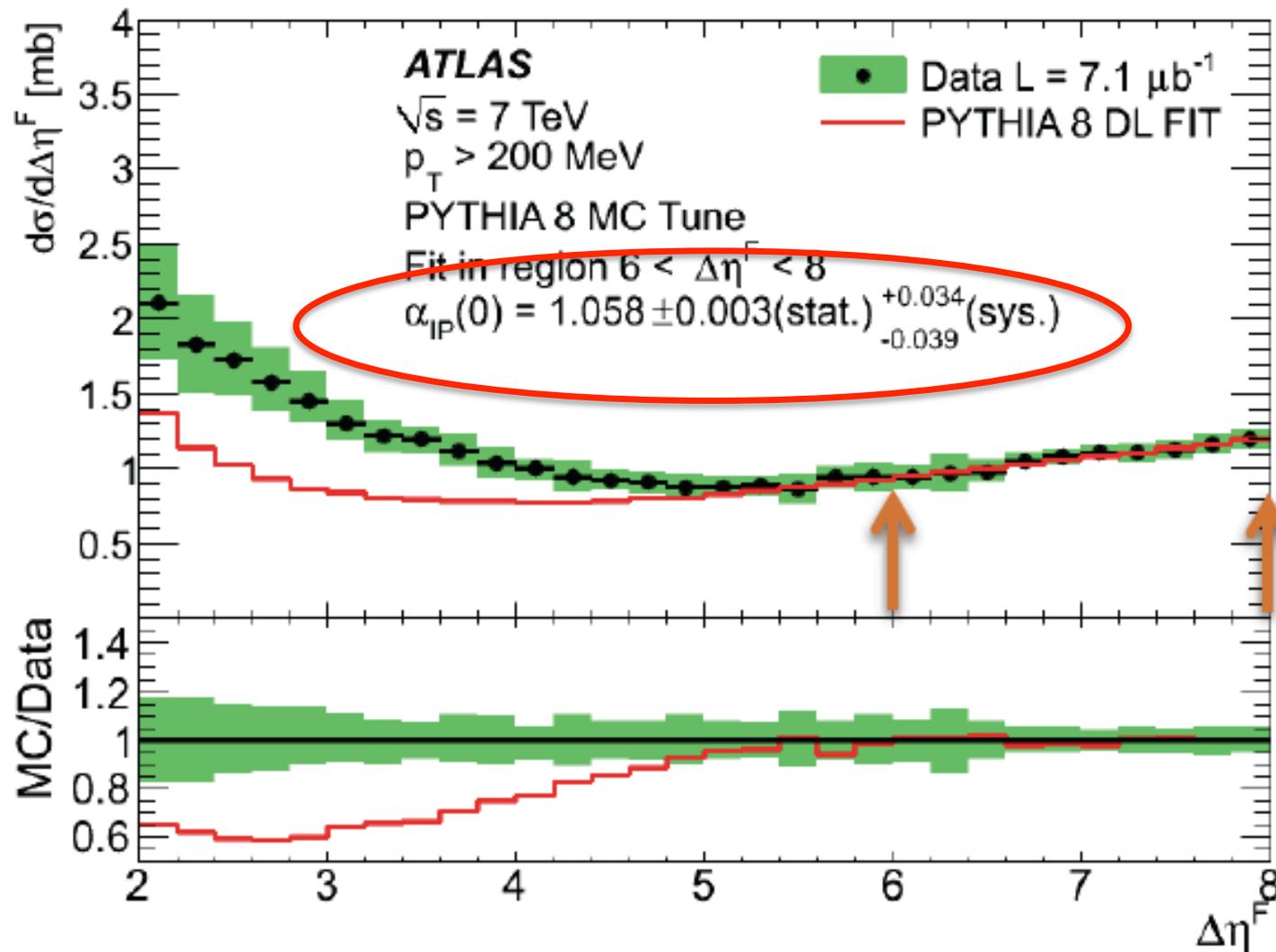
Default PHOJET and PYTHIA models have  $\alpha_{IP}(0) = 1$   
 Donnachie-Landshoff flux has  $\alpha_{IP}(0) = 1.085$   
 Data exhibit slope in between these models at large  $\Delta\eta_{24}^F$   
 [No absorptive corrections in either case]

# Sensitivity to Pomeron Intercept

Extract  $\alpha_{\text{IP}}(0) = 1 + \varepsilon$  by optimising description by PYTHIA8 as  $\varepsilon$  varies in a region where ND contributions are negligible

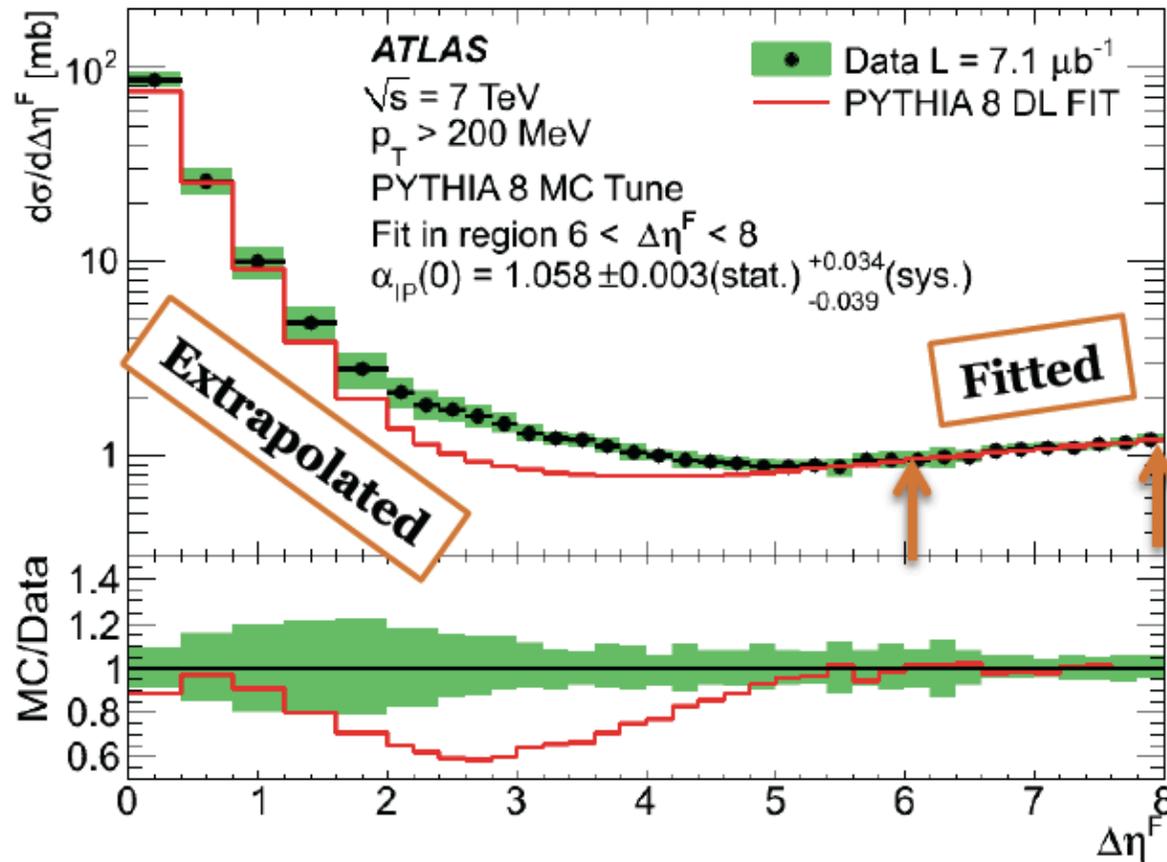


# Pomeron Intercept in Simple Pole Model



Uncertainty heavily dominated (factor 10) by model dependence of hadronisation in correcting to truth level

# An attempt to tune PYTHIA8

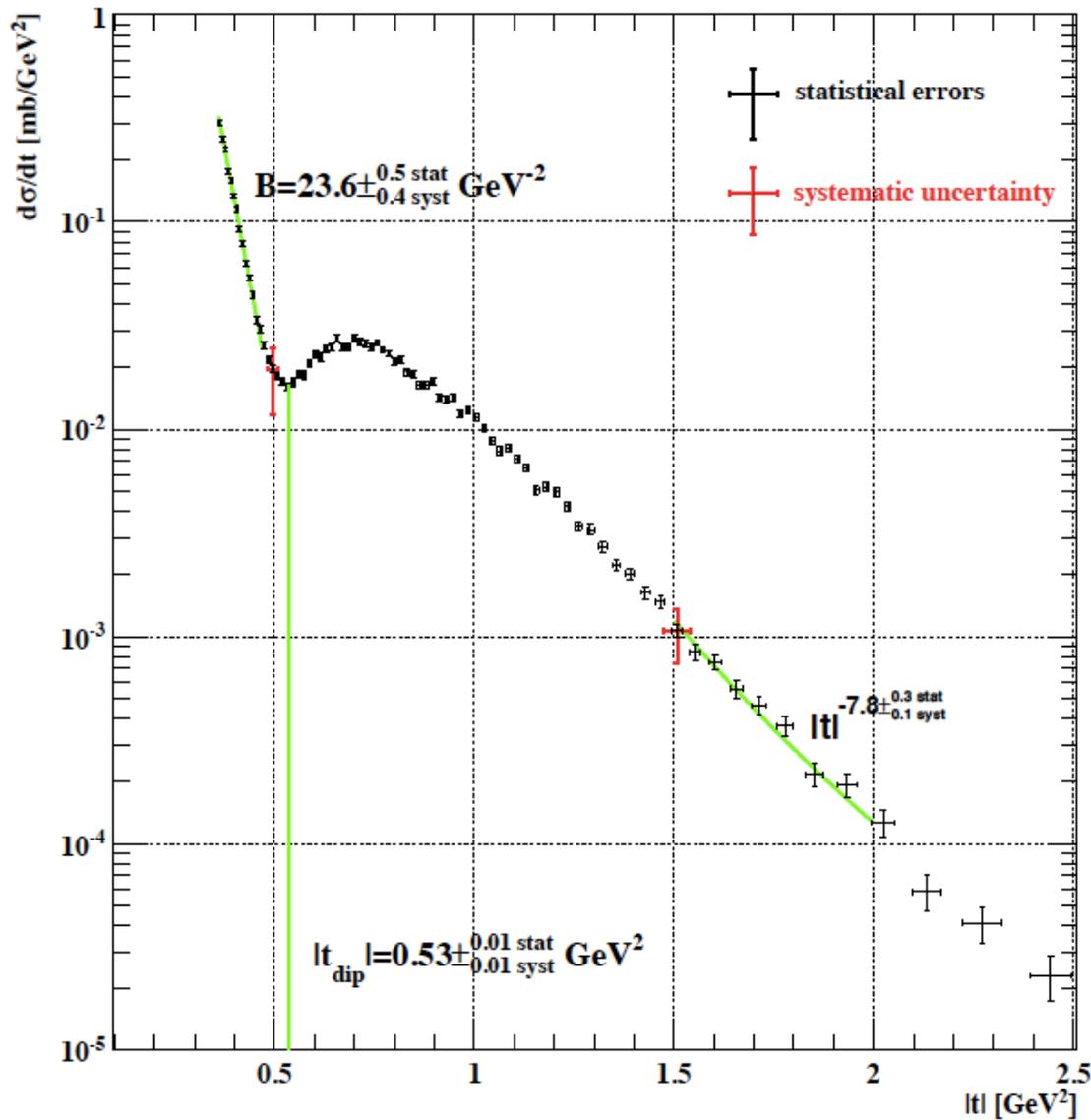


Input to tuning is just  $\alpha_{IP}(0)$  from fit and overall fraction of diffractive events (crudely) extracted in inelastic cross section paper.

→ describes small gaps well, but not transition between non-diffractive and diffractive regions



# Elastic Cross Section from TOTEM



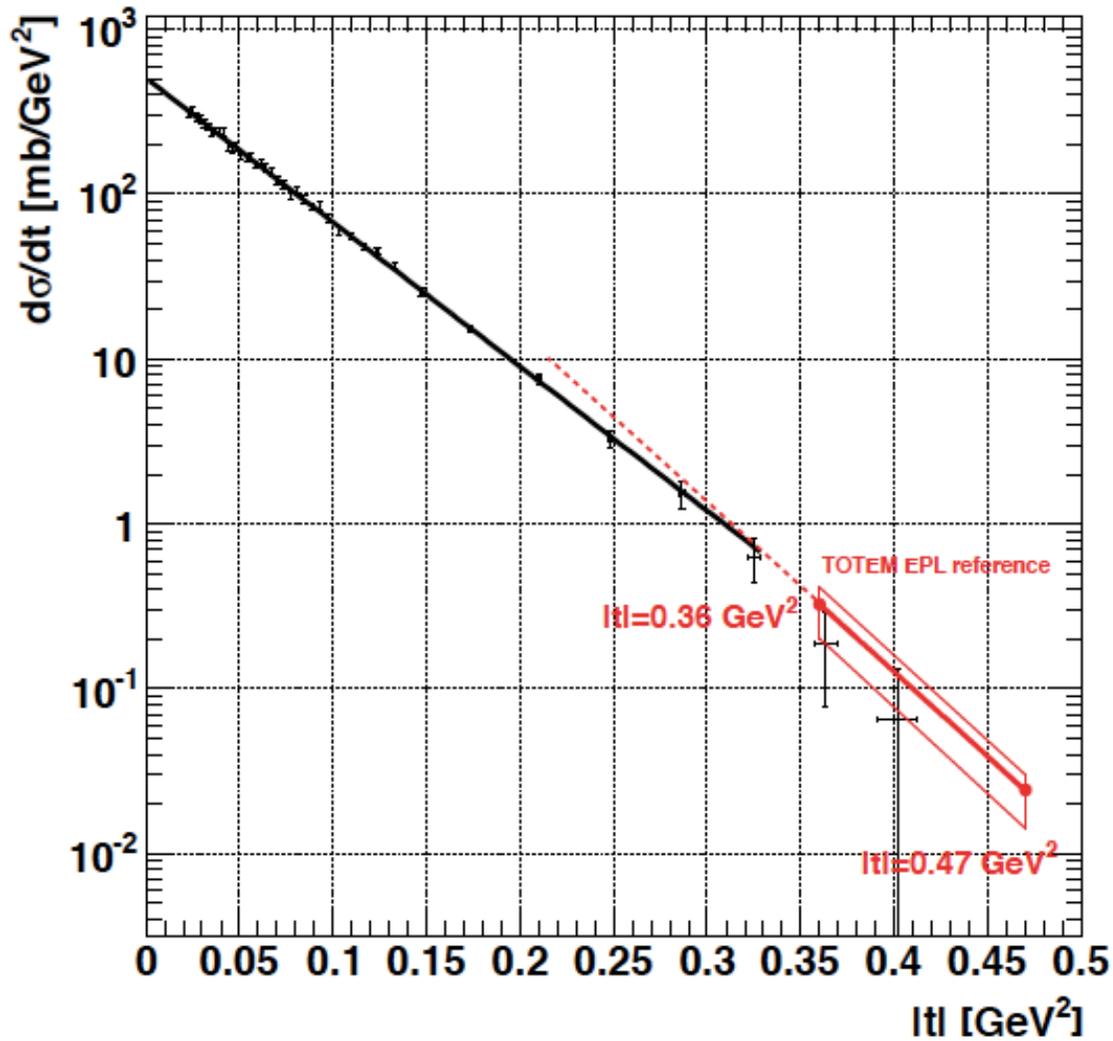
Precise  $t$  dependence  
of elastic ( $pp \rightarrow pp$ )  
cross section for  
 $|t| > 0.36 \text{ GeV}^2$

$$\frac{d\sigma}{dt} \propto e^{bt} \quad \text{at small } |t|$$

Position of dip  
characteristic of  
transverse size  
of proton (moves to  
smaller  $|t|$  as  $s$   
Increases)

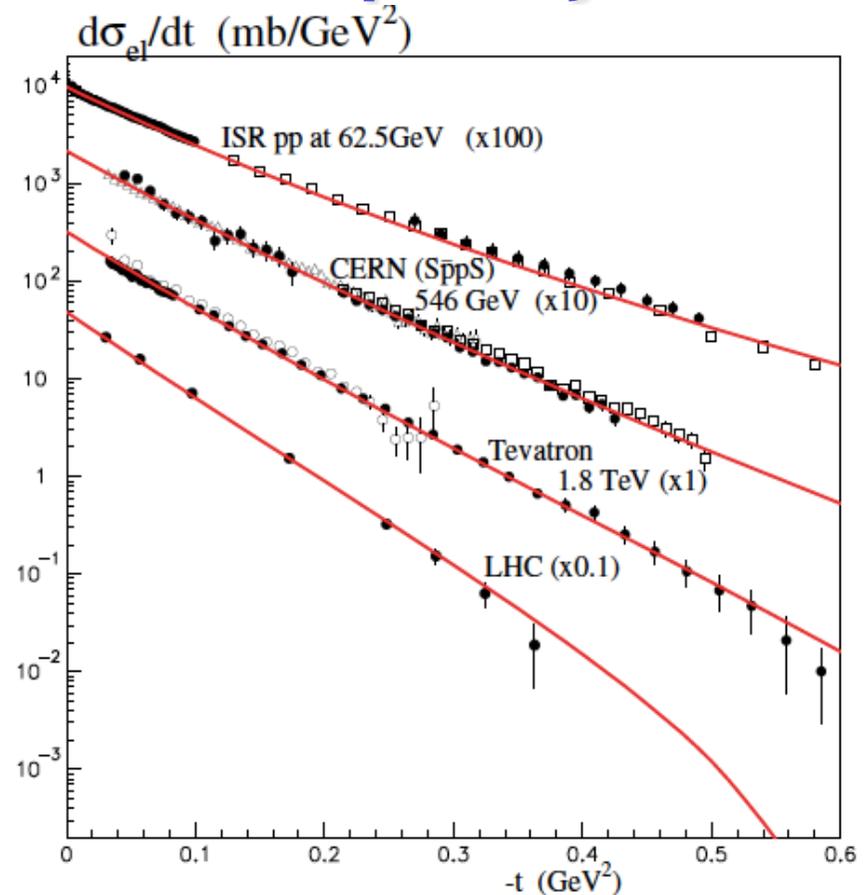
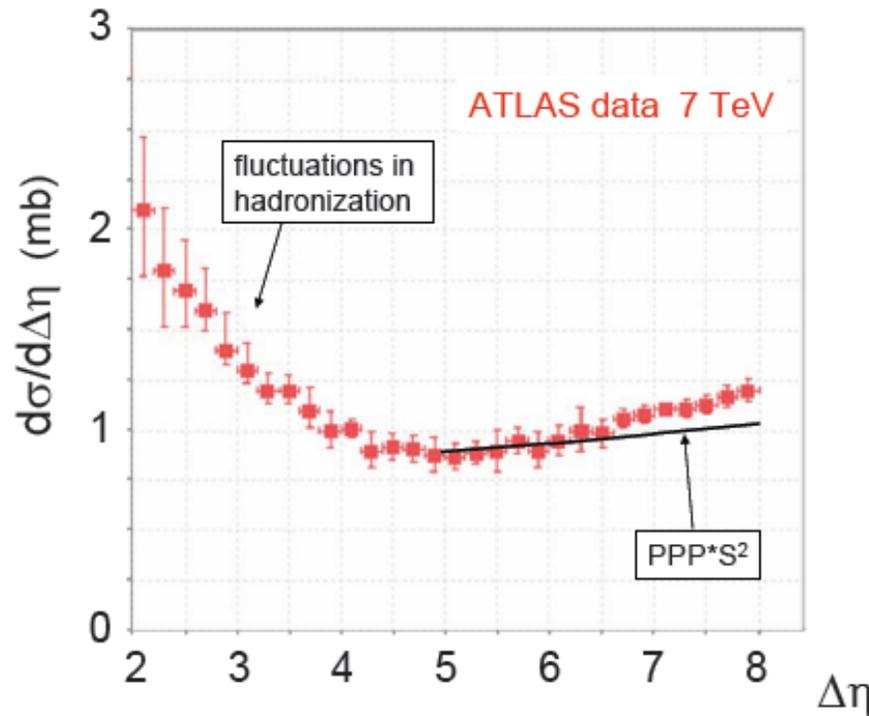
# Low $|t|$ Elastic Cross Section from TOTEM

Dedicated run with special optics allows measurement down to  $|t| = 0.02 \text{ GeV}^2$



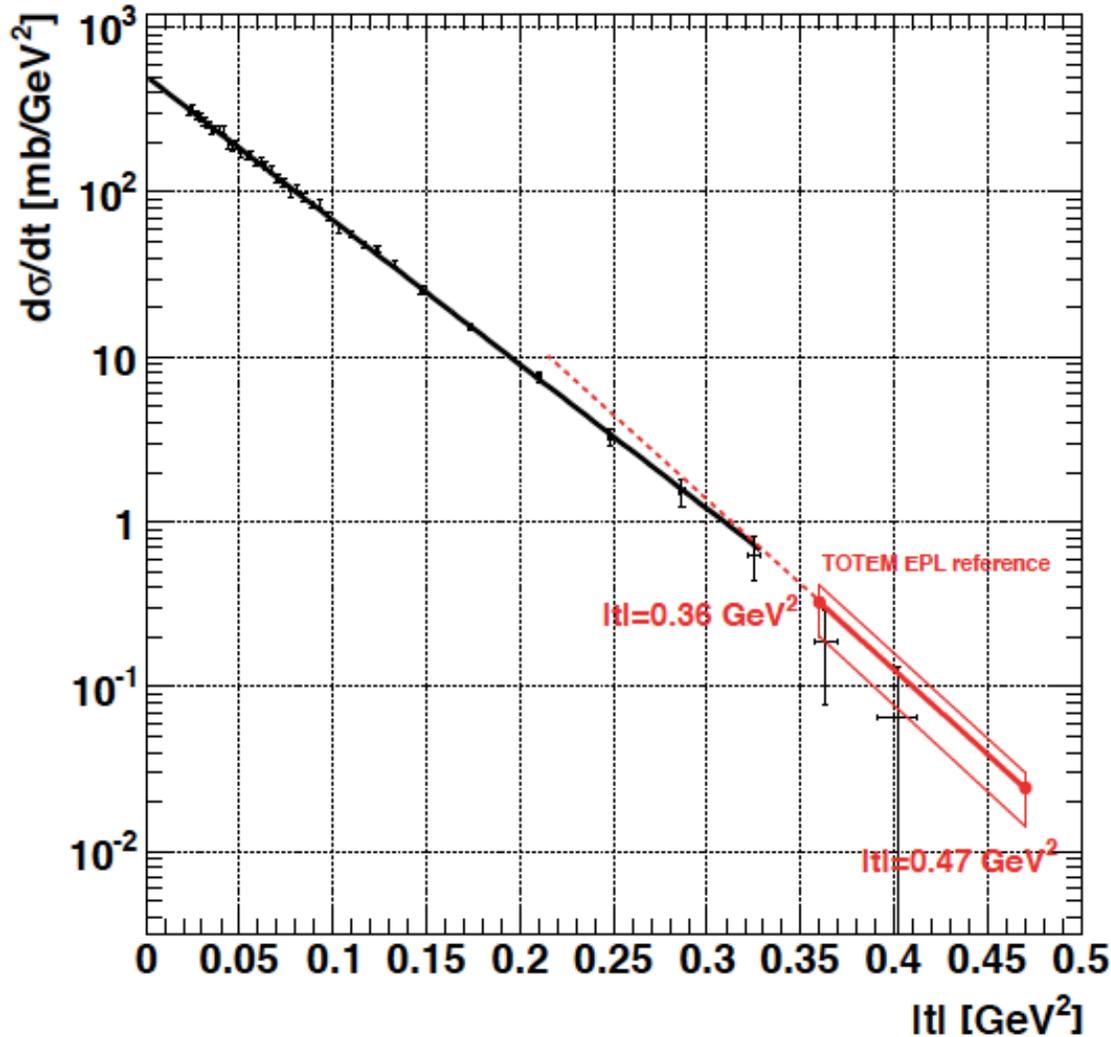
# KMR Model with Proton Opacity

arXiv:1201.6298



... simultaneous description of ATLAS gaps data and elastic cross section data from ISR to Totem based on a single pomeron in a 3-channel eikonal model, with significant absorptive corrections in gaps / dissociation case

# Low |t| Elastic Cross Section from TOTEM



Dedicated run with special optics allows measurement down to  $|t| = 0.02 \text{ GeV}^2$

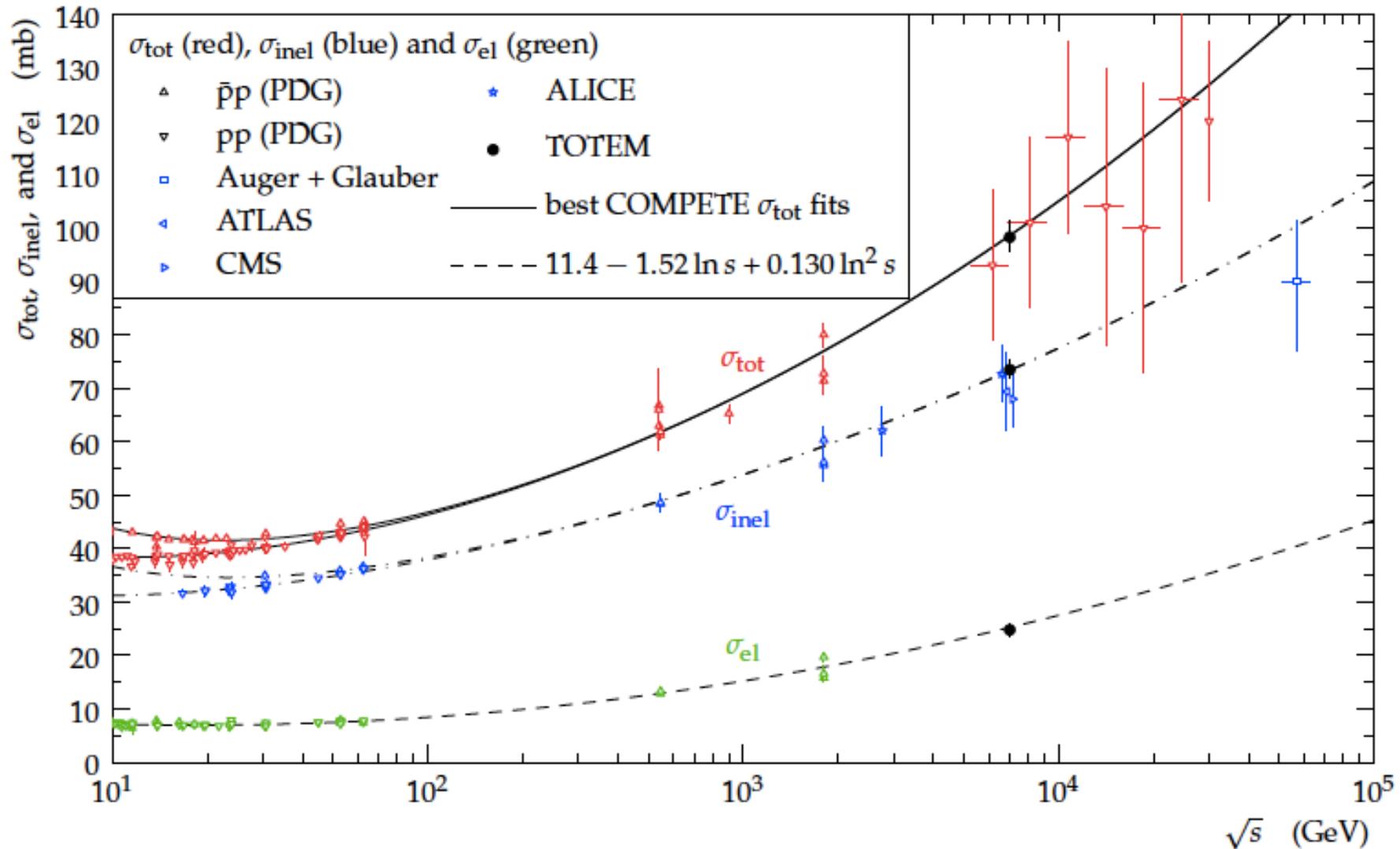
Small extrapolation to  $t=0$  yields total cross section via optical theorem

$$\sigma_{TOT}^2 = \frac{16\pi(\hbar c)^2}{1 + \rho^2} \cdot \left. \frac{d\sigma_{EL}}{dt} \right|_{t=0}$$

- Luminosity measurement from CMS
- $\rho$  = ratio of real to imaginary parts of forward elastic amplitude from fits to previous data.

# Totem Total (and Elastic) Cross Section

$$\sigma_{el} = \left( 24.8 \pm 0.2^{(stat)} \pm 1.2^{(syst)} \right) \text{mb} \quad \sigma_T = \left( 98.3 \pm 0.2^{(stat)} \pm 2.7^{(syst)} \begin{bmatrix} +0.8 \\ -0.2 \end{bmatrix}^{(syst \text{ from } \rho)} \right) \text{mb}$$

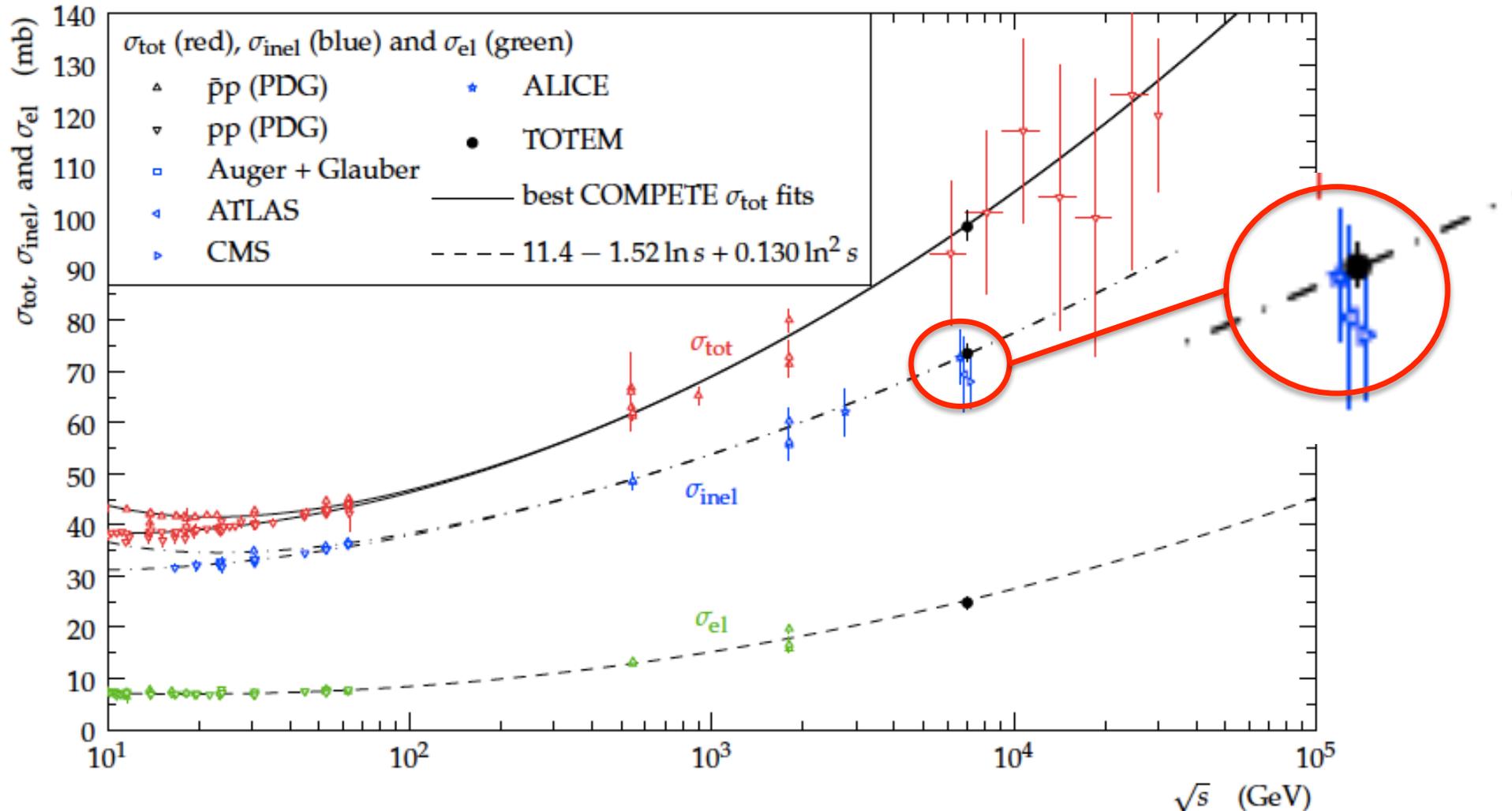


## Totem Inelastic Cross-Section

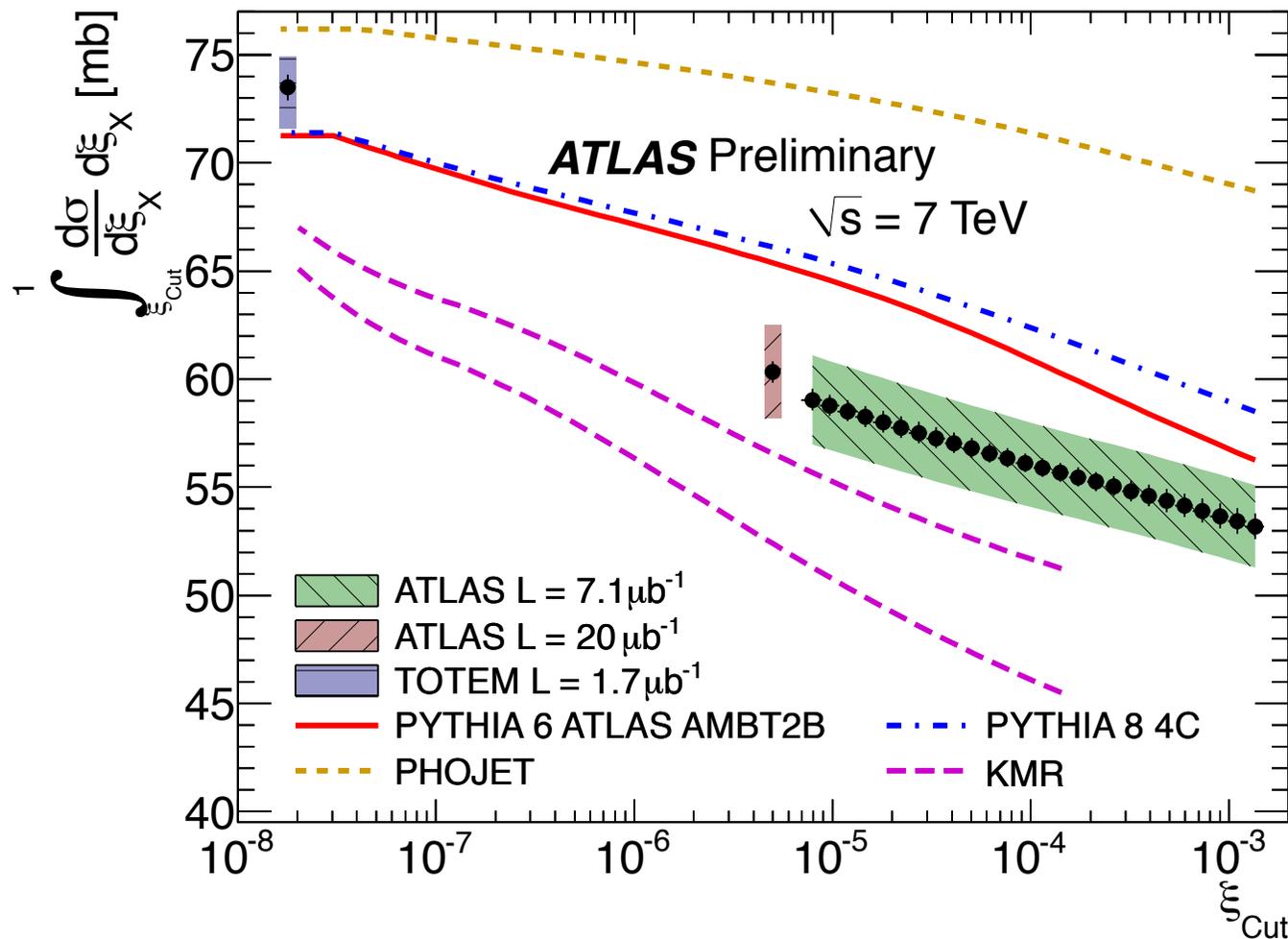
$$\sigma_{inel} = \sigma_{tot} - \sigma_{el} = \left( 73.5 \pm 0.6^{(stat)} \left[ \begin{array}{c} +1.8 \\ -1.3 \end{array} \right]^{(syst)} \right) \text{ mb}$$

$$\begin{aligned} \sigma_{inel} \text{ (CMS)} &= (68.0 \pm 2.0^{(syst)} \pm 2.4^{(lumi)} \pm 4.0^{(extrap)}) \text{ mb} \\ \sigma_{inel} \text{ (ATLAS)} &= (69.4 \pm 2.4^{(exp)} \pm 6.9^{(extrap)}) \text{ mb} \\ \sigma_{inel} \text{ (ALICE)} &= (72.7 \pm 1.1^{(mod)} \pm 5.1^{(lumi)}) \text{ mb} \end{aligned}$$

ATLAS, CMS  
extrapolations to  
low  $\xi$  yield lower  
 $\sigma_{inel}$  than Totem?



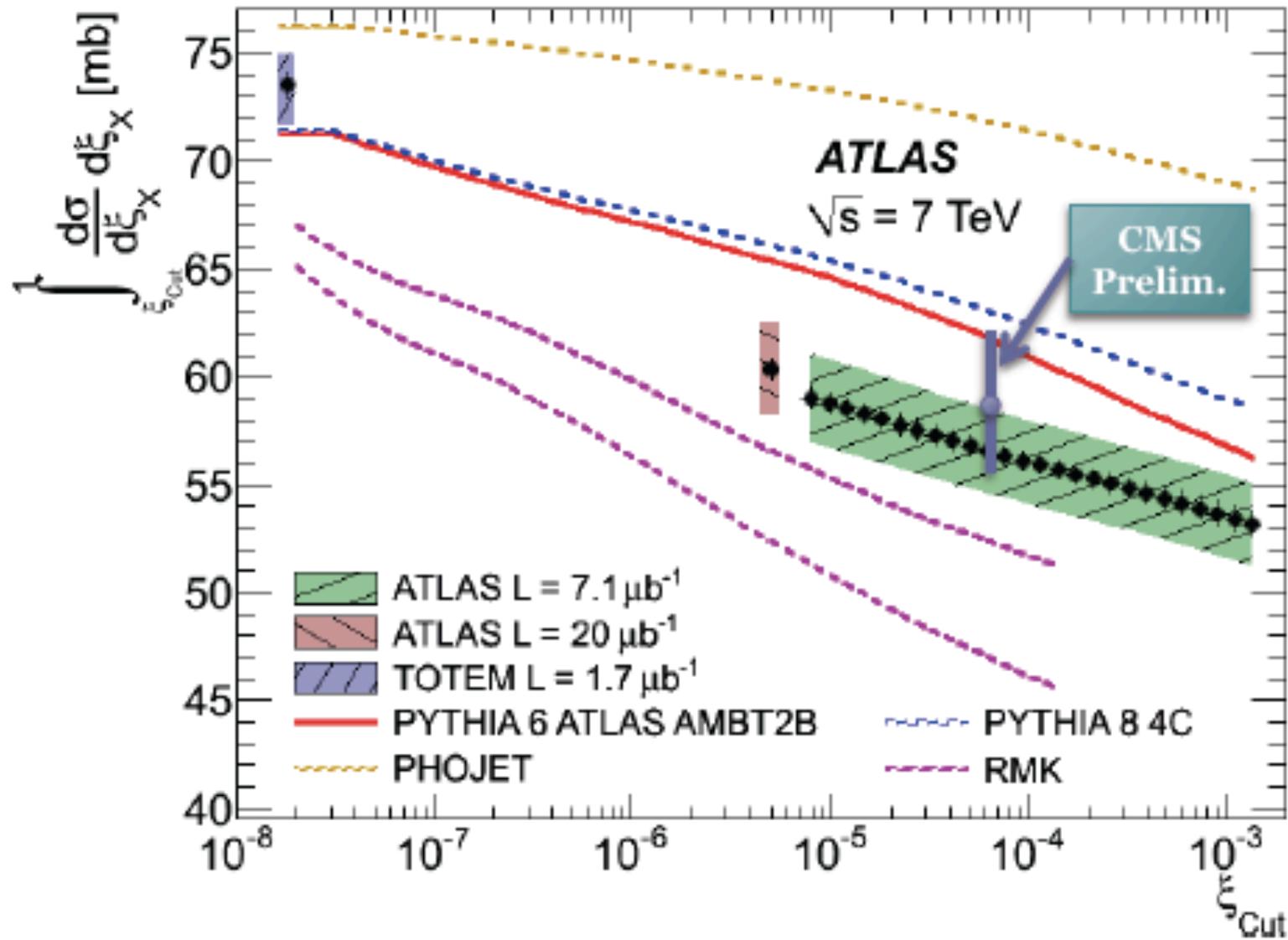
# Investigating the Low $\xi$ Extrapolations



[Inelastic cross section excluding diffractive channels with  $\xi < \xi_{\text{cut}}$ ]

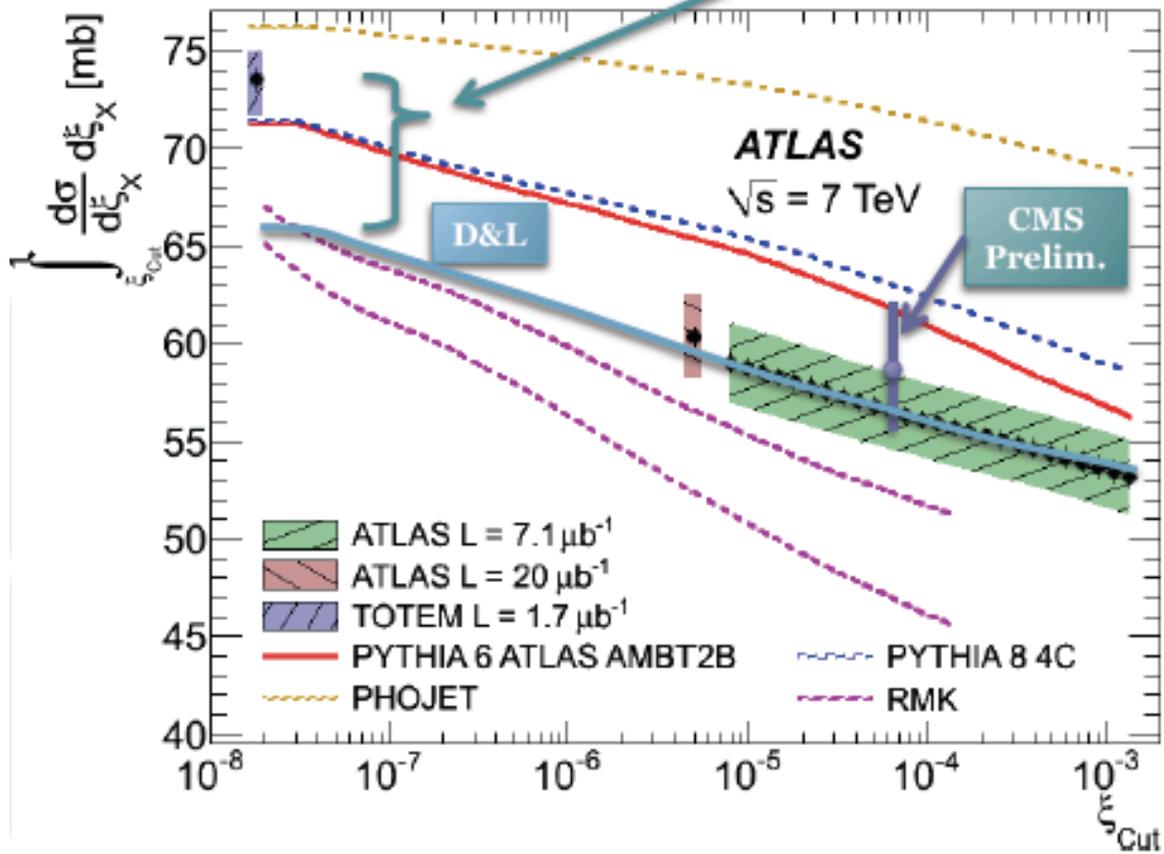
- Integrating ATLAS gap cross section up to some max  $\Delta\eta^F$  (equivalently min  $\xi_x$ ) and comparing with TOTEM indicates that small  $\xi_x$  region underestimated in PHOJET and PYTHIA:
- 14 mb with  $\xi < 10^{-5}$ , compared to 6 (3) mb in PYTHIA (PHOJET)

# Investigating the Low $\xi$ Extrapolations



# Investigating the Low $\xi$ Extrapolations

Tension of  $\sim 7$  mb of low mass diffractive cross section.



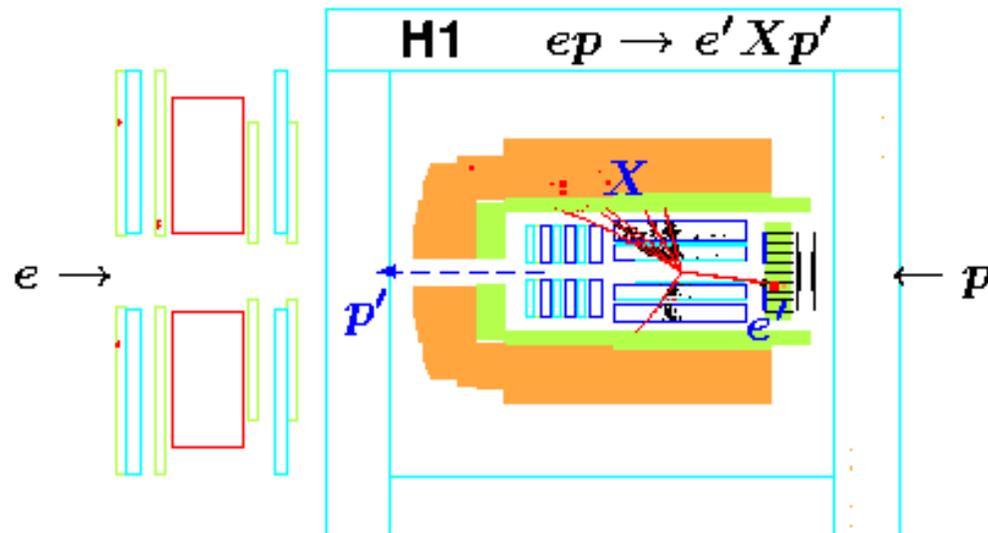
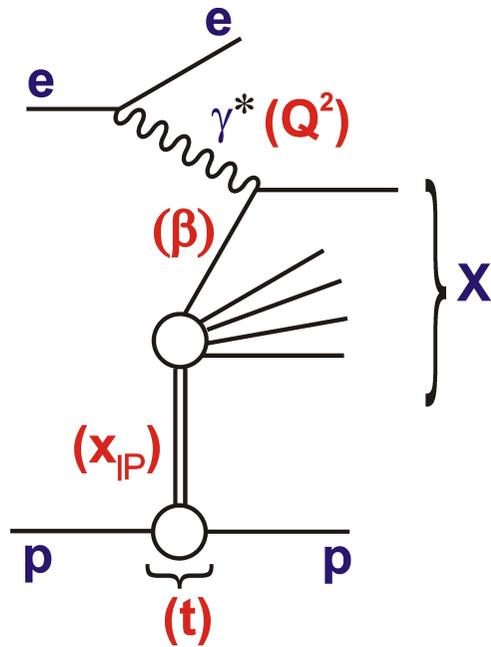
Not solved by increasing  $a_{IP}(0)$  to Donnachie-Landshoff

... required dependence more like  $1/\xi^3$  than  $1/\xi^2$  [PPR triple Regge term]

Success for Durham model (RMK) with enhanced low mass diffraction ( $\sim$  Good & Walker - elastic scattering of excited proton eigenstates<sup>37</sup>)

ATLAS (ALFA) result eagerly awaited to confirm TOTEM

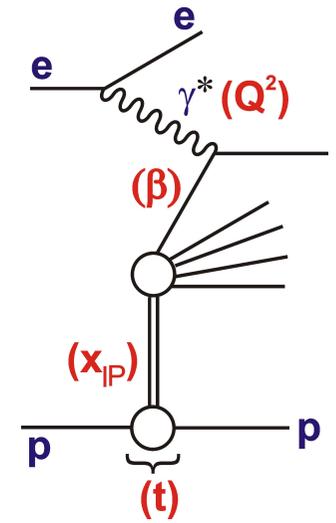
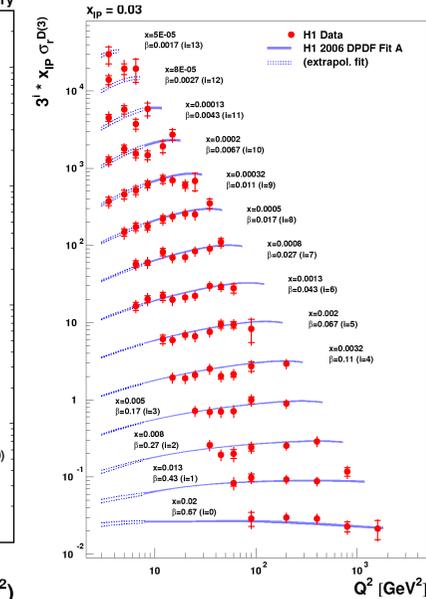
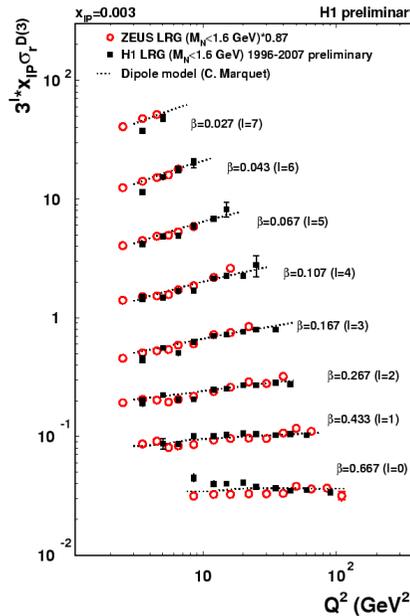
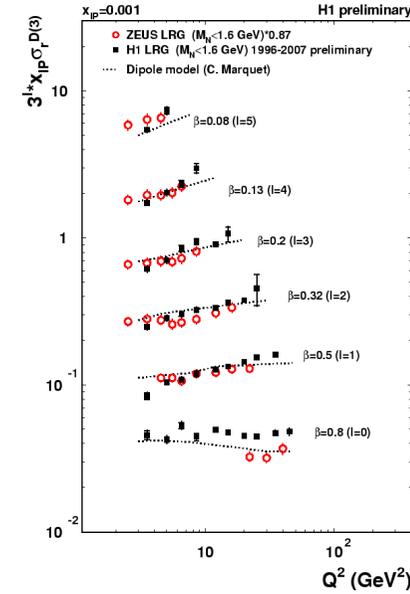
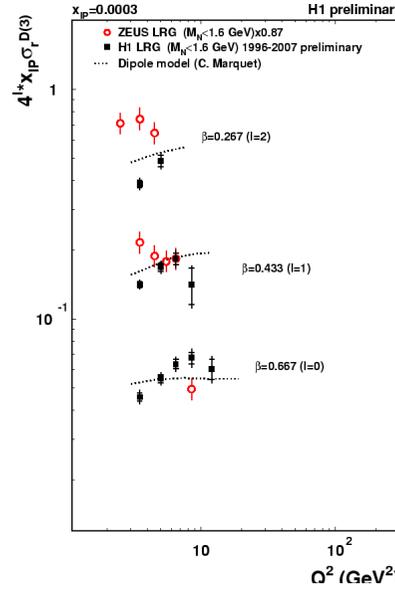
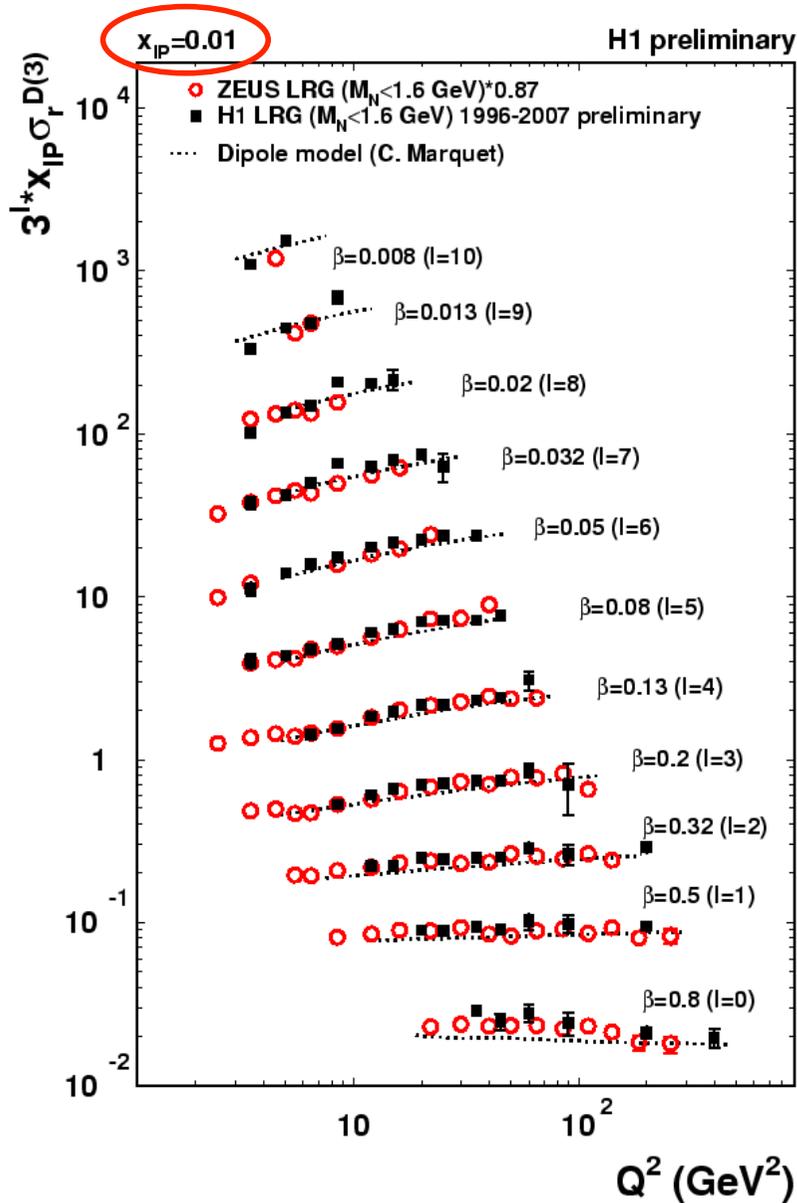
# HERA & Hard Diffraction



Virtual photon probes pomeron partonic structure rather like inclusive DIS ...

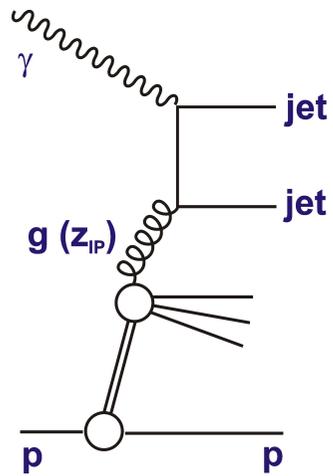
>100 papers later ...

# ZEUS v H1 Diffractive DIS Data

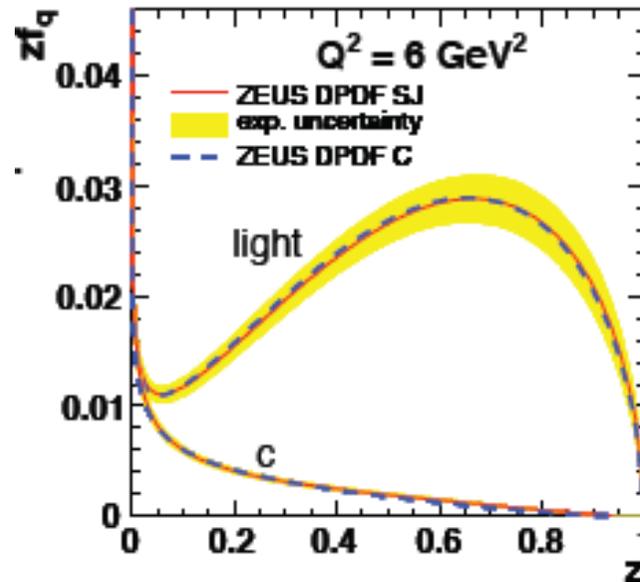
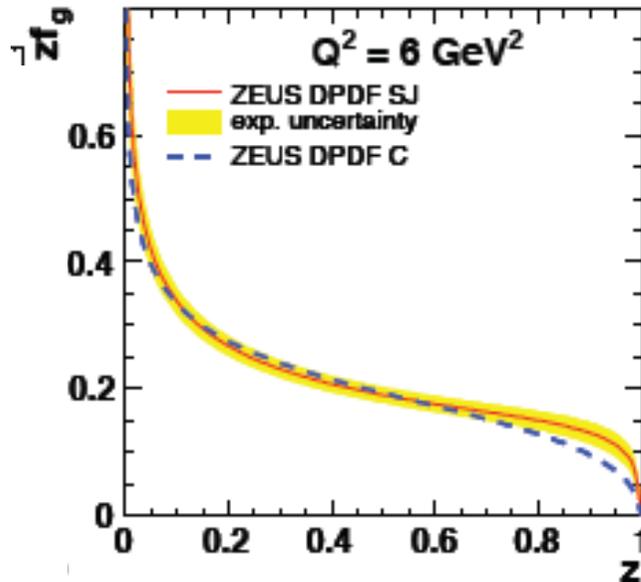
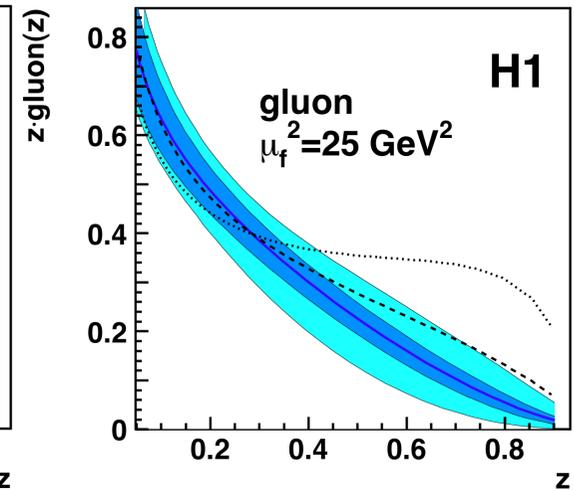
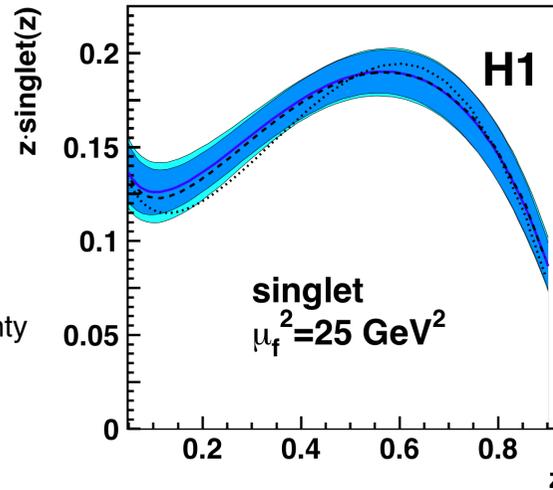


Few % precision over wide kinematic range  
Reasonable agreement between H1 and ZEUS

# Diffractive Parton Densities (DPDFs)



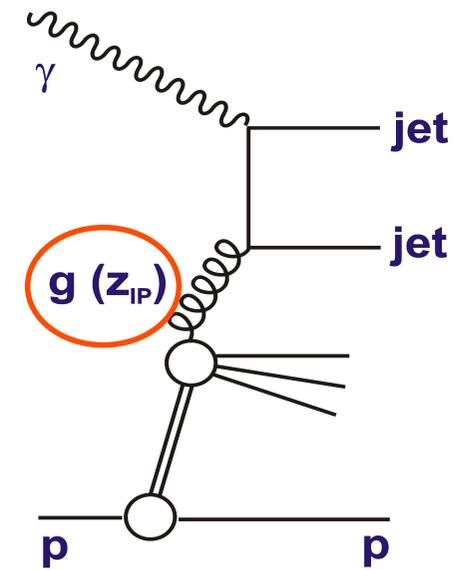
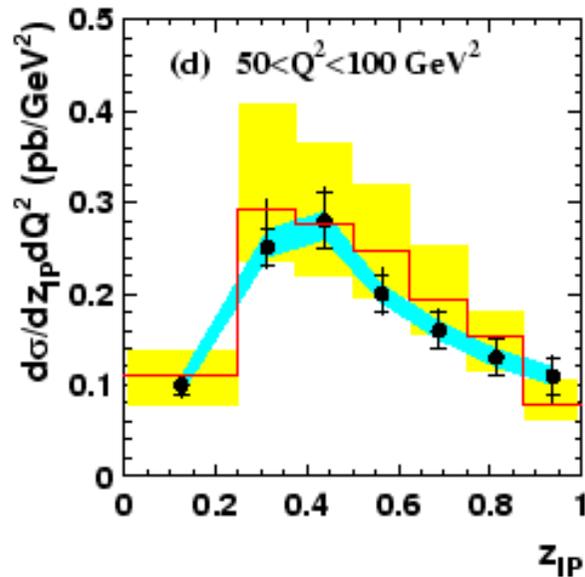
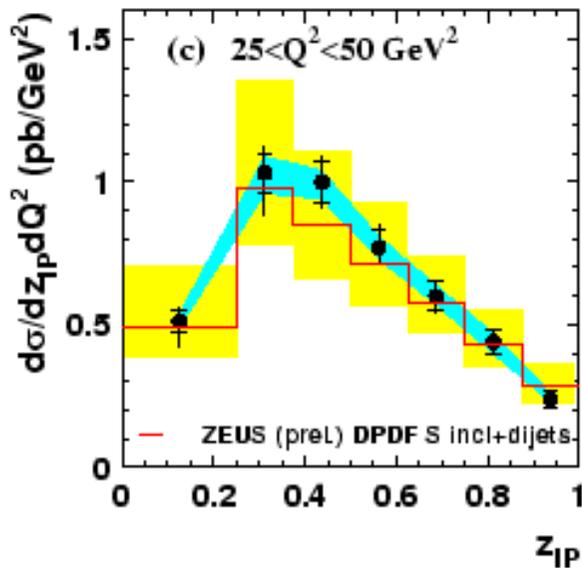
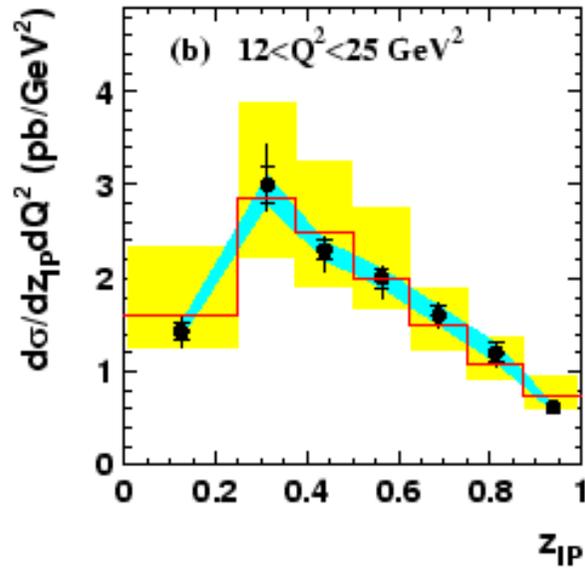
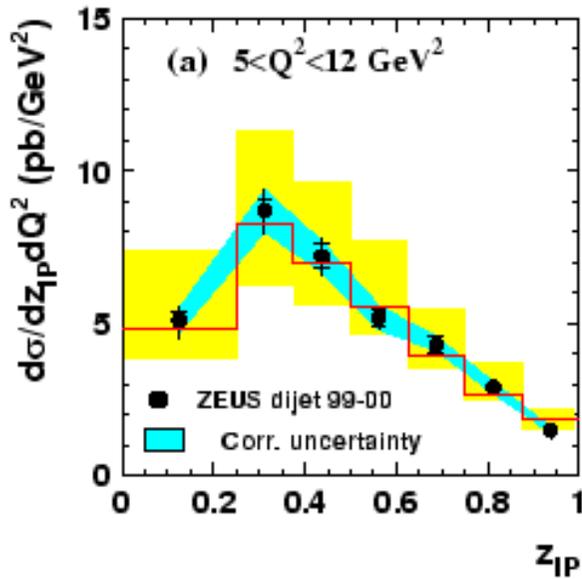
- H1 2007 Jets DPDF
- exp. uncertainty
- exp. + theo. uncertainty
- H1 2006 DPDF fit A
- H1 2006 DPDF fit B



NLO DPDFs  
lead to  
impressive  
descriptions of  
all hard  
diffractive  
DIS data

DPDFs dominated by a gluon density which extends to large  $z$

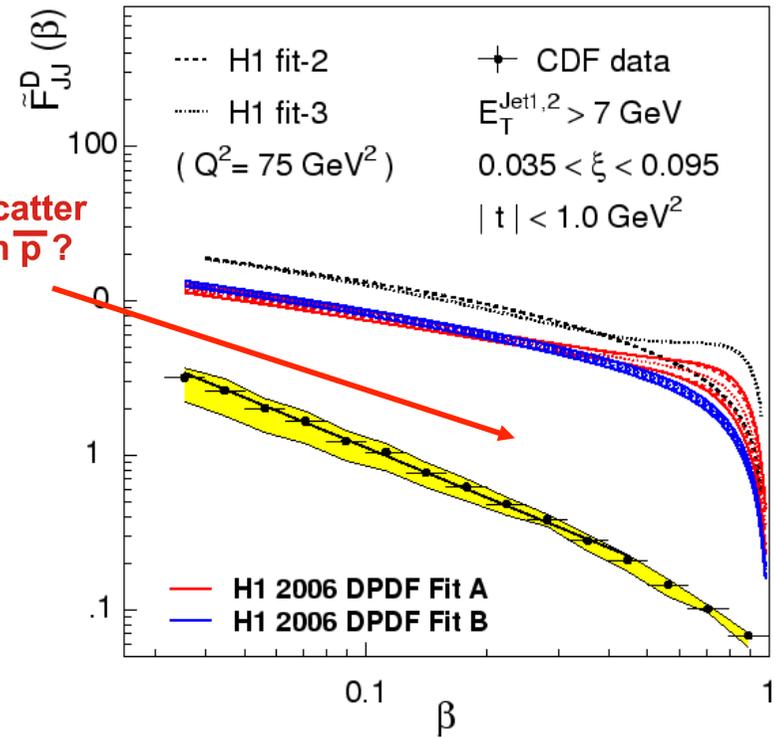
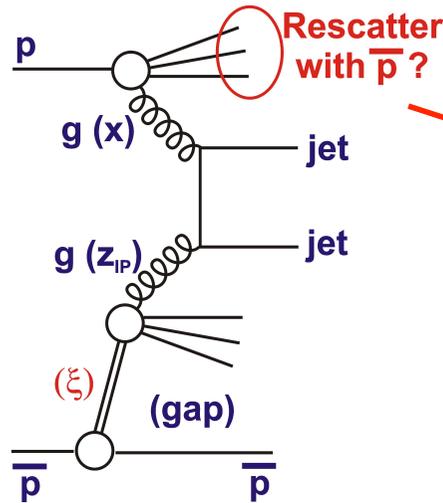
# Example of DPDFs Predicting Diffractive DIS



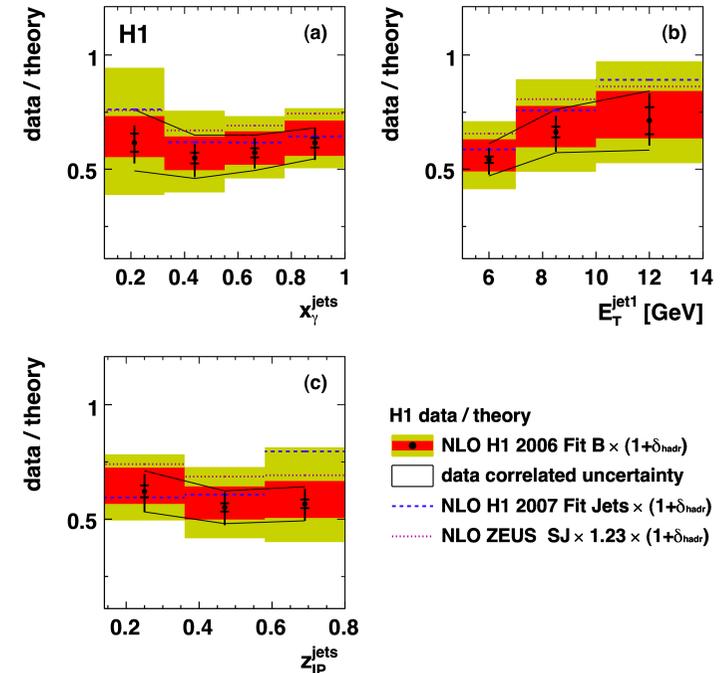
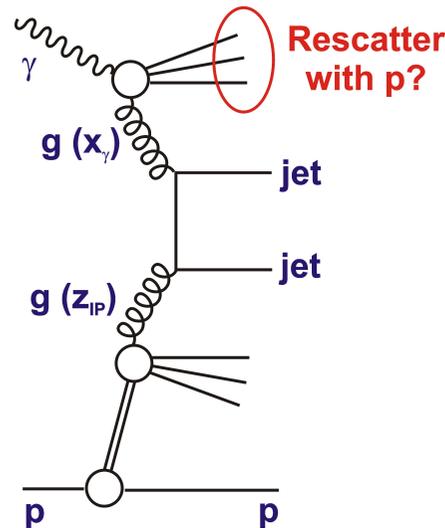
[Precision of tests limited by theory scale Uncertainties]

# .. meanwhile in pp(bar) ...

Strong evidence for absorptive effects in comparing Tevatron diffractive dijets with HERA DPDFs ...  
 `rapidity gap survival probability'  $S^2 \sim 0.1$

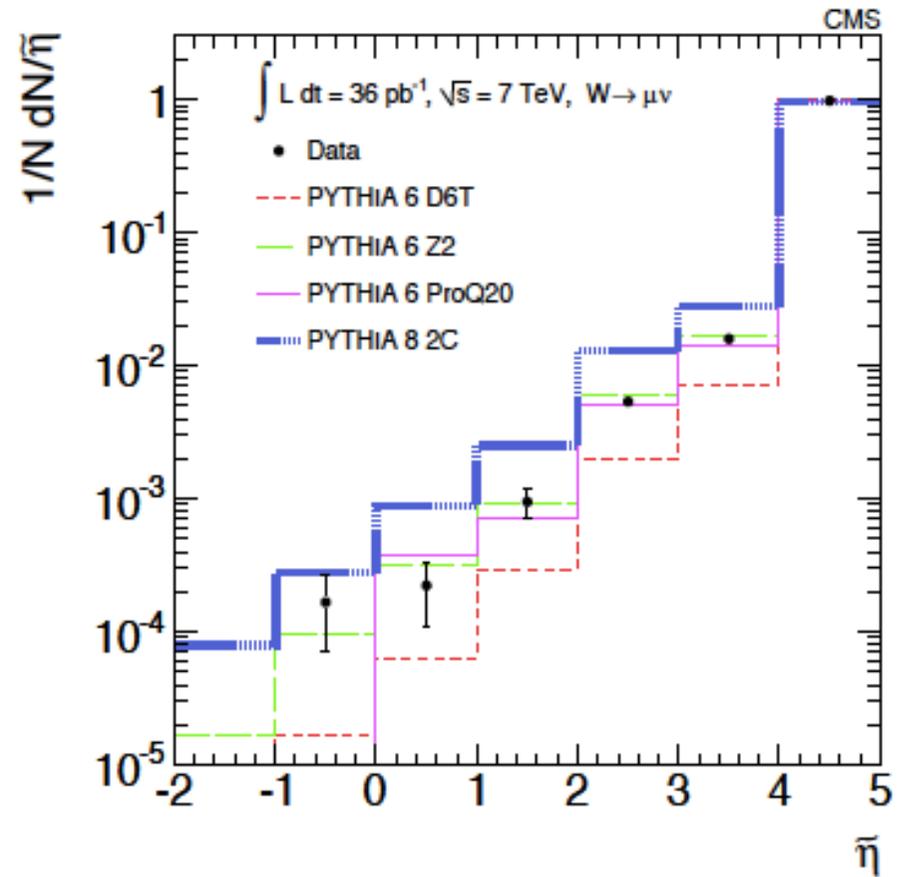
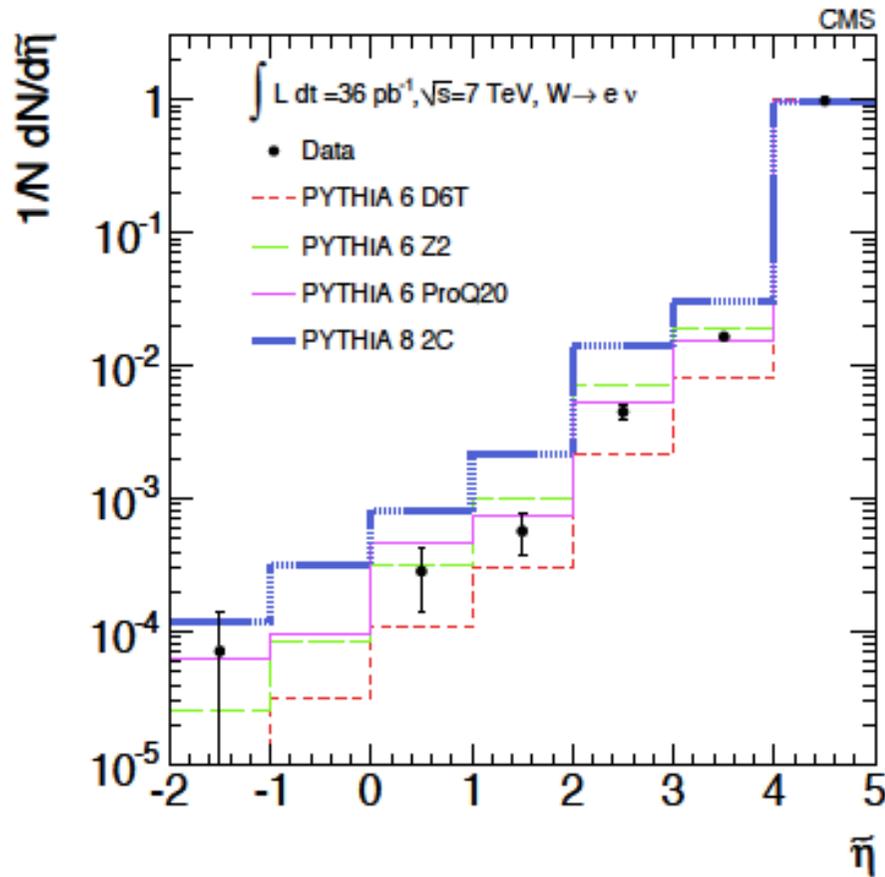


... photoproduction jets suggestive of similar effects at level of A factor of 2 [Hard to describe theoretically]



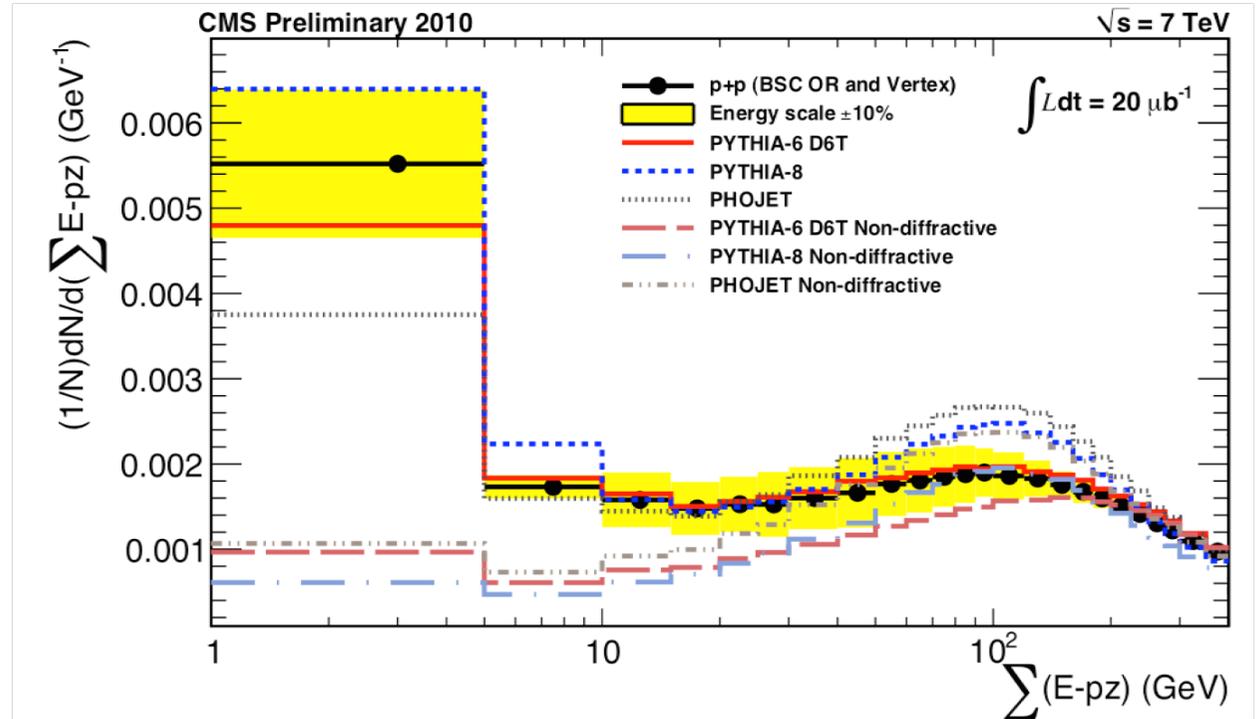
# W and Z events with gaps at CMS

After pile-up corrections, ~1% of W and Z events exhibit no activity above noise thresholds over range  $3 < \pm\eta < 4.9$   
... interpretation complicated by non-diffractive hadronisation fluctuations ...



$\tilde{\eta}$  ( $= 4.9 - \Delta\eta$ ) end-point of gap - starting at acceptance limit

# A Promising Variable to Reconstruct $\xi_X$ in Hard Diffractive Processes



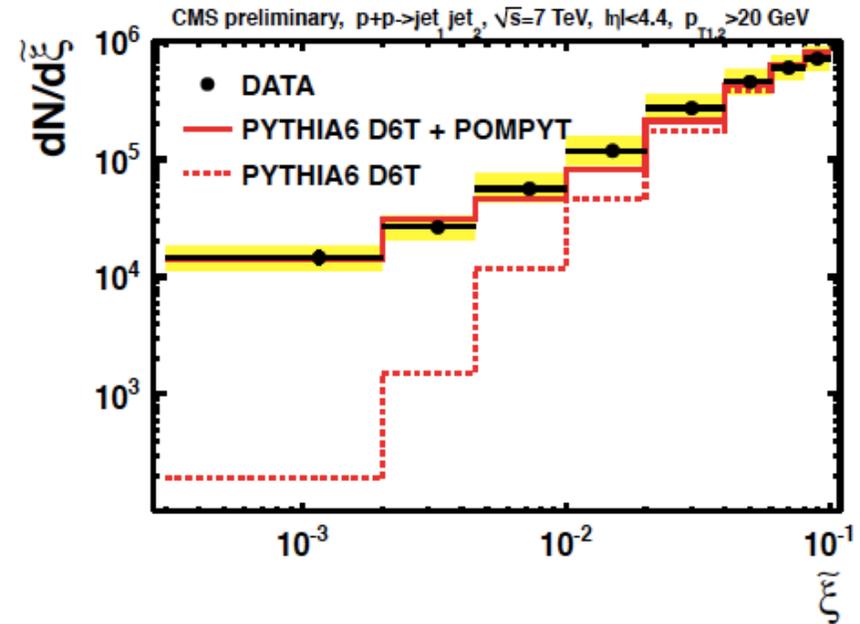
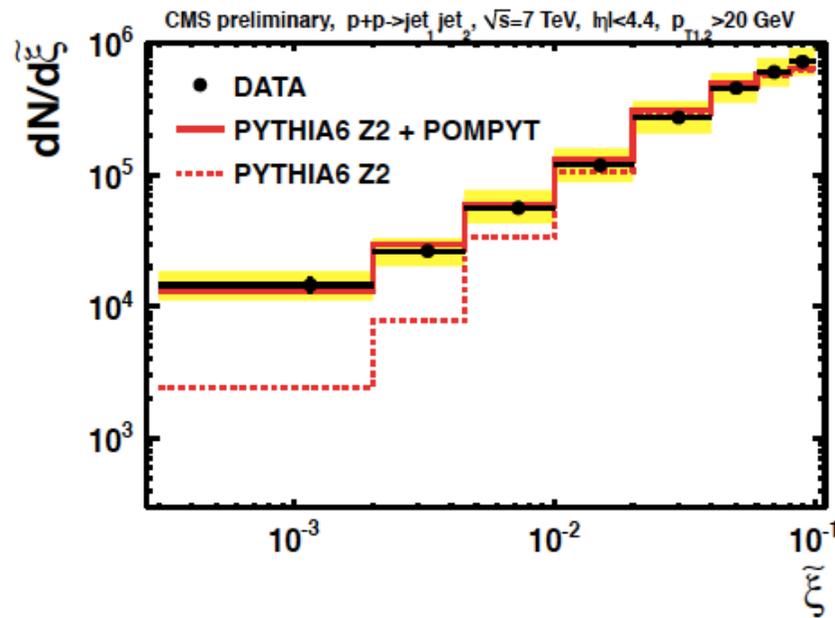
$$\sum_X E - p_z \approx 2E_p \cdot \xi_X$$

for dissociation system in +z direction  
 ... and lost particles have  $E - p_z \sim 0$

$$\tilde{\xi}^+ = C \frac{\sum (E^i + p_z^i)}{\sqrt{s}}$$

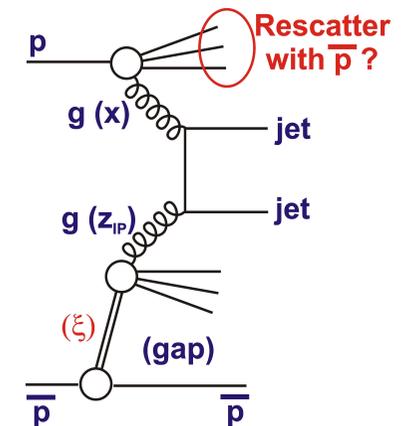
Define for dissociation system in the  
 -z direction (and  $E + p_z$  for +z dissociation).  
 ... well correlated with  $\xi$  at low  $\xi$

# CMS Dijets with Low $E_{\pm}p_z$



Fit linear combination of PYTHIA (ND) and POMPYT (DPDF-based diffraction)

Depending on ND model, gap survival probability  $\sim 0.17 - 0.23$  (larger than Tevatron, and compared with predictions  $\sim 0.03!$ )



Non-diffractive gap fluctuations? Need proton-tagged data?

# Summary

## Precise LHC soft diffractive, elastic, total cross section data

- Broadly described by single pomeron with intercept larger than unity:  
 $\alpha_{\text{IP}}(0) \sim 1.06$
- Possible to simultaneously describe ATLAS diffractive dissociation and TOTEM elastic scattering if absorptive corrections included.
- Low mass diffractive dissociation is large!

## First data on diffractive hard scattering

- Suggestion of surprisingly large gap survival probability
- Need improved understanding of hadronisation fluctuations leading to large gaps in non-diff data
- Proton tagging can by-pass this issue



# Hard Diffraction: Tevatron

Most recent paper from CDF: Phys Rev D82 (2010) 112004:  
Using Roman pot proton taggers ...

Diffraction with  $0.03 < \xi < 0.1$ ,  $|t| < 1 \text{ GeV}^2$  accounts for

- $1.00 \pm 0.05$  (stat.)  $\pm 0.10$  (syst.) % of W production
- $0.88 \pm 0.21$  (stat.)  $\pm 0.08$  (syst.) % of Z production

at the Tevatron (suggests small gap survival probability)

Comparable with lots of other diffractive processes  
measured using large rapidity gap approach ...

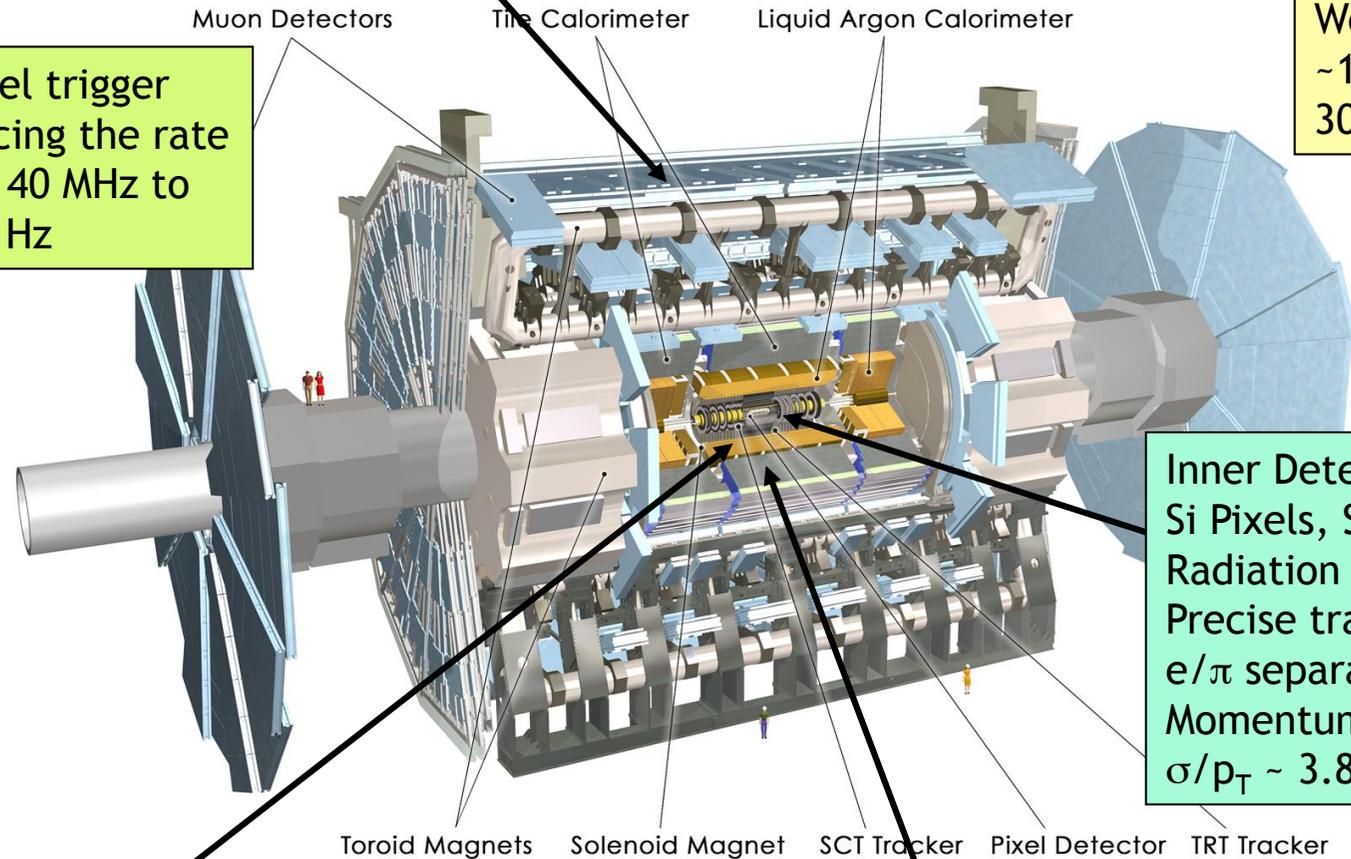
Hard component	Fraction ( R ) %
Dijet	$0.75 \pm 0.10$
W	$1.15 \pm 0.55$
b	$0.62 \pm 0.25$
J/ $\psi$	$1.45 \pm 0.25$

Universal suppression relative to factorised predictions?

Muon Spectrometer ( $|\eta| < 2.7$ ) : air-core toroids with gas-based muon chambers  
Muon trigger and measurement with momentum resolution  $< 10\%$  up to  $E_\mu \sim 1$  TeV

Length :  $\sim 46$  m  
Radius :  $\sim 12$  m  
Weight :  $\sim 7000$  tons  
 $\sim 10^8$  electronic channels  
3000 km of cables

3-level trigger  
reducing the rate  
from 40 MHz to  
 $\sim 200$  Hz



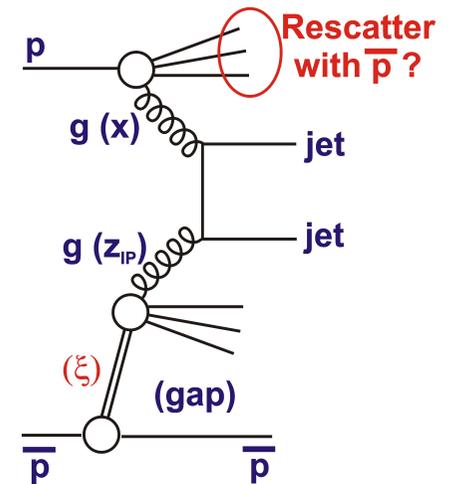
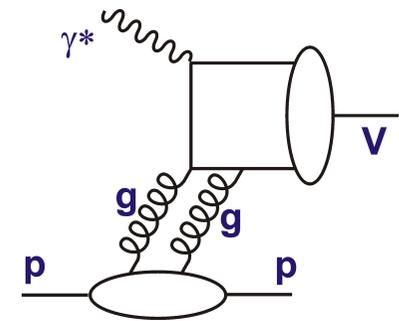
Inner Detector ( $|\eta| < 2.5$ ,  $B=2$ T):  
Si Pixels, Si strips, Transition  
Radiation detector (straws)  
Precise tracking and vertexing,  
 $e/\pi$  separation  
Momentum resolution:  
 $\sigma/p_T \sim 3.8 \times 10^{-4} p_T$  (GeV)  $\oplus 0.015$

EM calorimeter: Pb-LAr Accordion  
 $e/\gamma$  trigger, identification and measurement  
E-resolution:  $\sigma/E \sim 10\%/\sqrt{E}$

HAD calorimetry ( $|\eta| < 5$ ): segmentation, hermeticity  
Fe/scintillator Tiles (central), Cu/W-LAr (fwd)  
Trigger and measurement of jets and missing  $E_T$   
E-resolution:  $\sigma/E \sim 50\%/\sqrt{E} \oplus 0.03$

# Diffraction & Multi-Parton Interactions

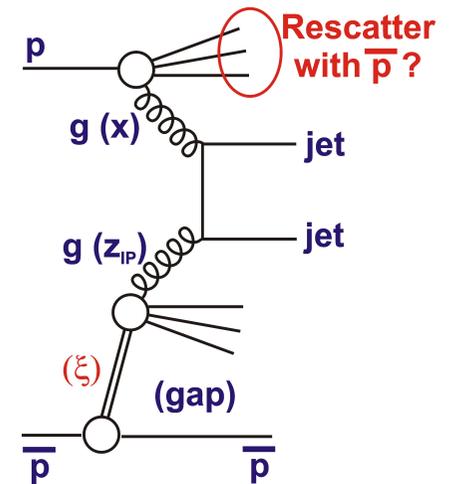
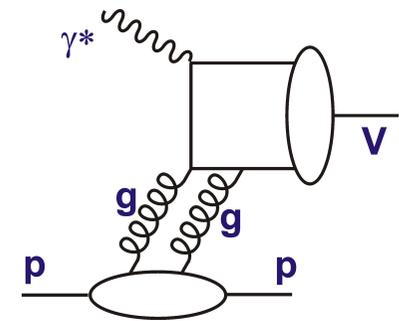
- Trivially, more than 1 parton in t channel
- Gap survival probabilities / absorption:  
... multiple interactions with large impact parameters
- Absorptive effects due to multiple soft exchanges in minimum bias models
- Less obviously, small rapidity gaps as sensitive probe of hadronisation fluctuations and underlying event



$$\Omega_{ik} = \left[ \begin{array}{c} \rightarrow i \\ | \\ \rightarrow k \end{array} + \begin{array}{c} i \\ \diagdown \quad \diagup \\ \bullet \\ | \\ k \end{array} \right] M + \begin{array}{c} \diagdown \quad \diagup \\ \bullet \\ | \\ \bullet \\ \diagdown \quad \diagup \end{array} + \dots + \begin{array}{c} \diagdown \quad \diagup \\ \bullet \\ | \\ \bullet \\ \diagdown \quad \diagup \end{array} + \dots$$

# Diffraction & Multi-Parton Interactions

- Trivially, more than 1 parton in t channel
- Gap survival probabilities / absorption:  
... multiple interactions with large impact parameters
- Absorptive effects due to multiple soft exchanges in minimum bias models
- Less obviously, small rapidity gaps as sensitive probe of hadronisation fluctuations and underlying event



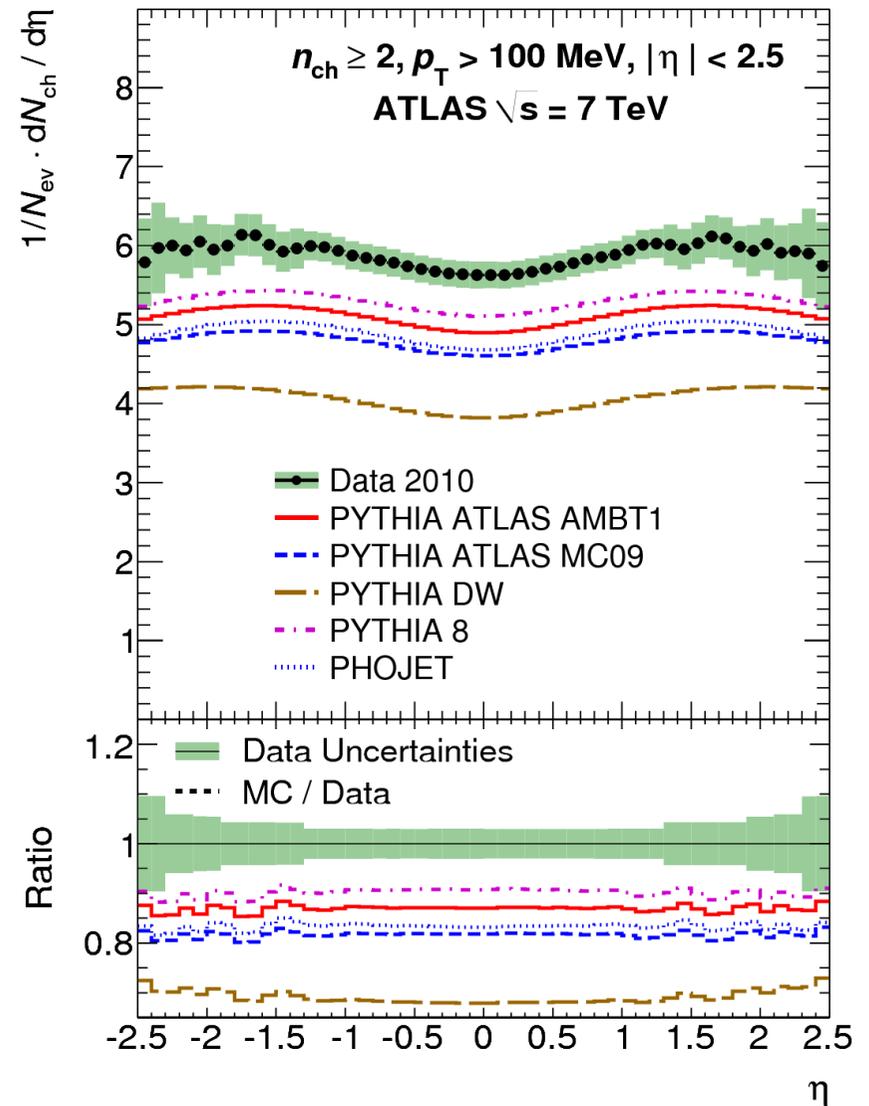
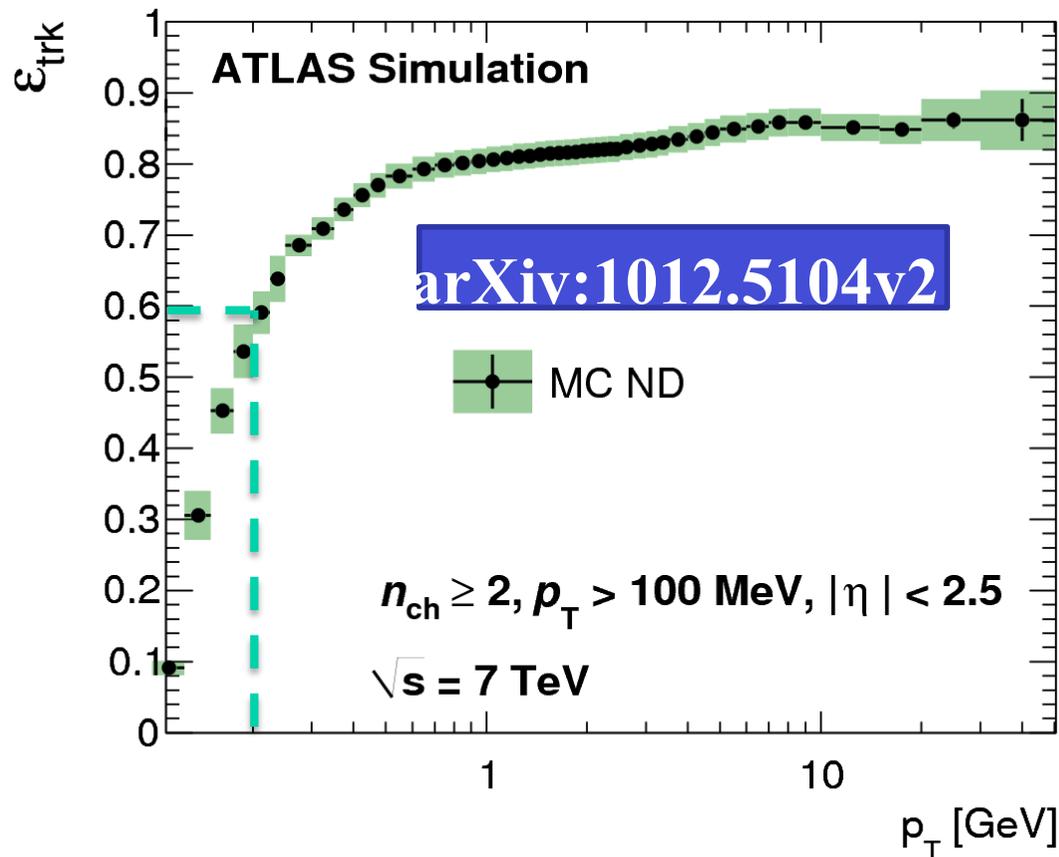
## Not covered here

- Elastic scattering in pp / ppbar (see Ken Osterberg)
- Exclusive vector mesons in ep and pp (see Marcella Capua)<sup>50</sup>

# Inner Detector

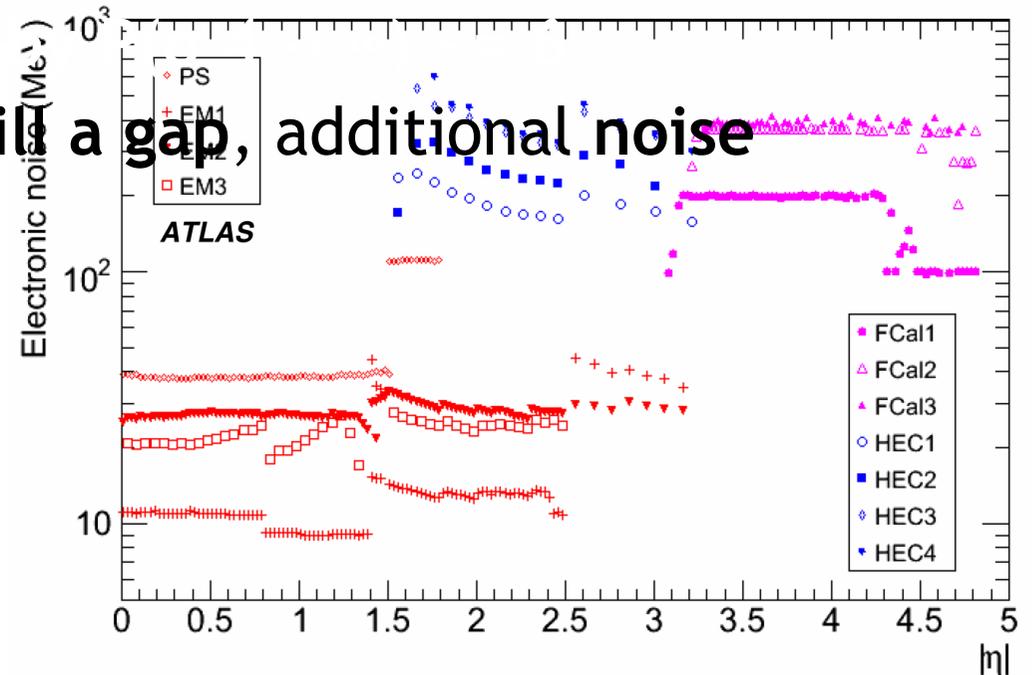
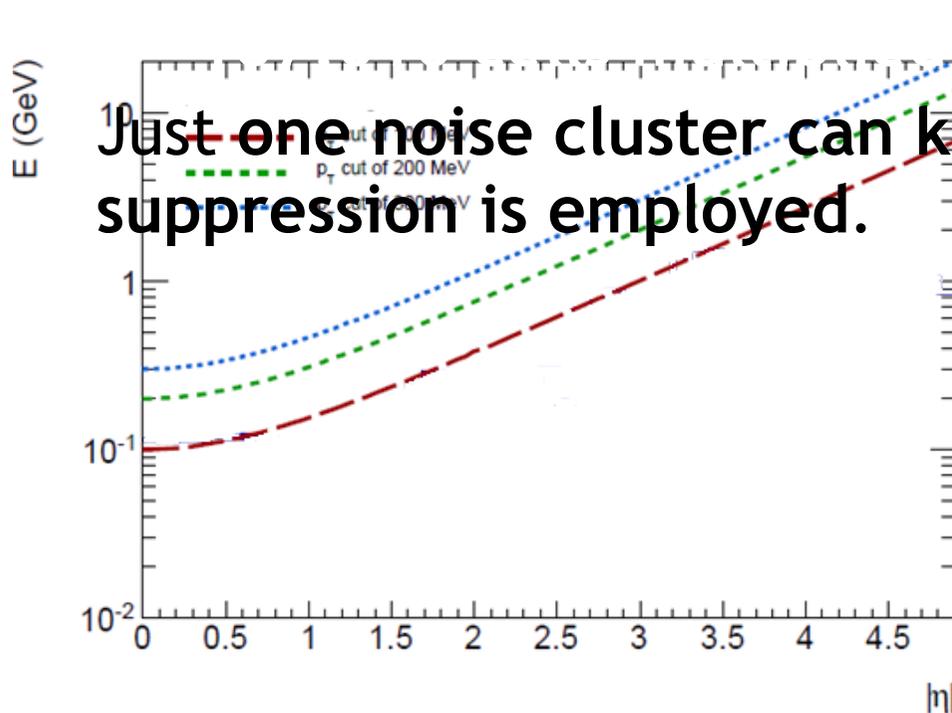
We have plenty of experience with low- $p_T$ , minimum bias tracking in

ATLAS



# Calorimeters

In the calorimeters **electronic noise is the primary concern**.  
 We use the **standard ATLAS Topological clustering of cells**.  
 The seed cell is required to have an **energy significance  $\sigma = E / \sigma_{\text{Noise}} > 4$** .  
 Statistically, we



# Total Inelastic pp Cross Section

Optical Theorem: 
$$\sigma_{TOT}^2 = \frac{16\pi(\hbar c)^2}{1 + \rho^2} \cdot \left. \frac{d\sigma_{EL}}{dt} \right|_{t=0}$$

Using luminosity from CMS: 
$$\frac{d\sigma_{EL}}{dt} = \frac{1}{L} \cdot \frac{dN_{EL}}{dt}$$

$\rho$  from COMPETE fit: 
$$\rho = 0.14^{+0.01}_{-0.08}$$

$$\sigma_{TOT} = \sqrt{19.20 \text{ mb GeV}^2 \cdot \left. \frac{d\sigma_{EL}}{dt} \right|_{t=0}}$$

# Single Diffractive Kinematics

For photon virtuality  $Q^2 \rightarrow 0$ :

$W$  =  $\gamma p$  centre of mass energy

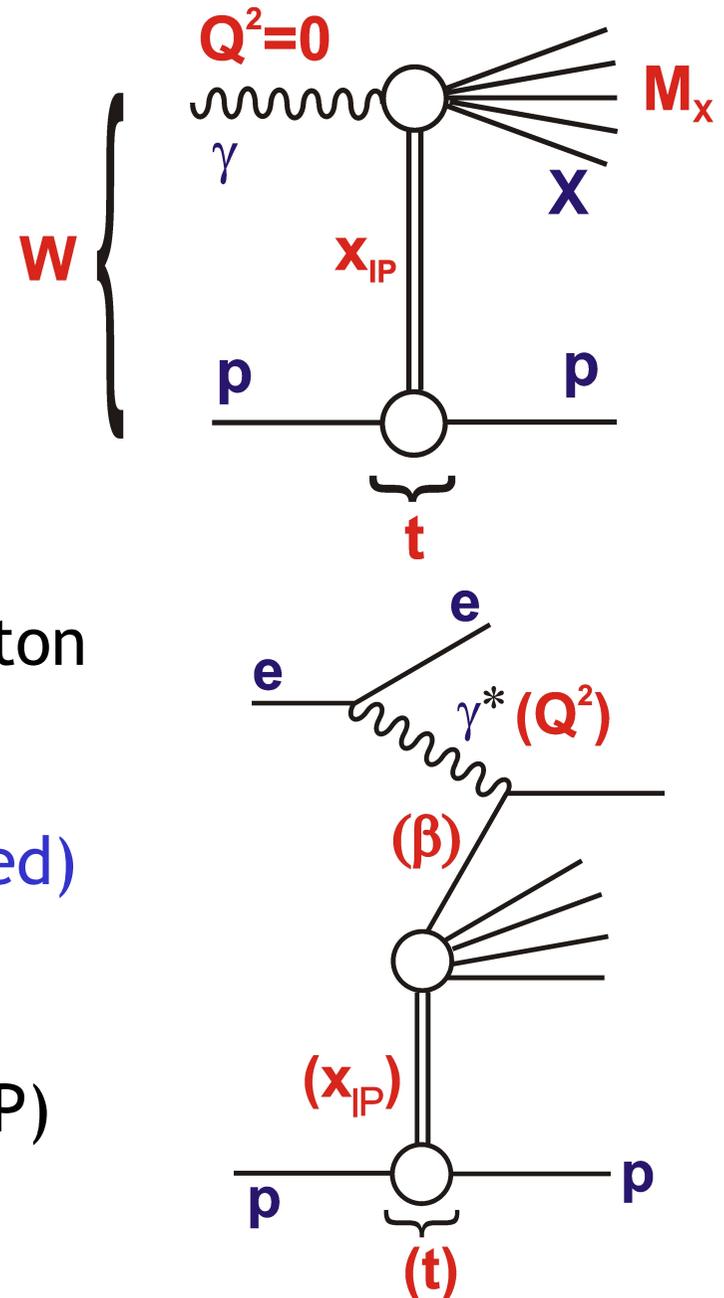
$t$  = squared 4-momentum transfer at proton vertex

$x_{IP} = \xi = M_X^2 / W^2$   
 = fractional momentum loss of proton  
 (momentum fraction IP/p)

For large  $Q^2$  (partonic structure resolved)

$\beta = x / x_{IP}$   
 (momentum fraction, struck q / IP)

NOT NEEDED????????

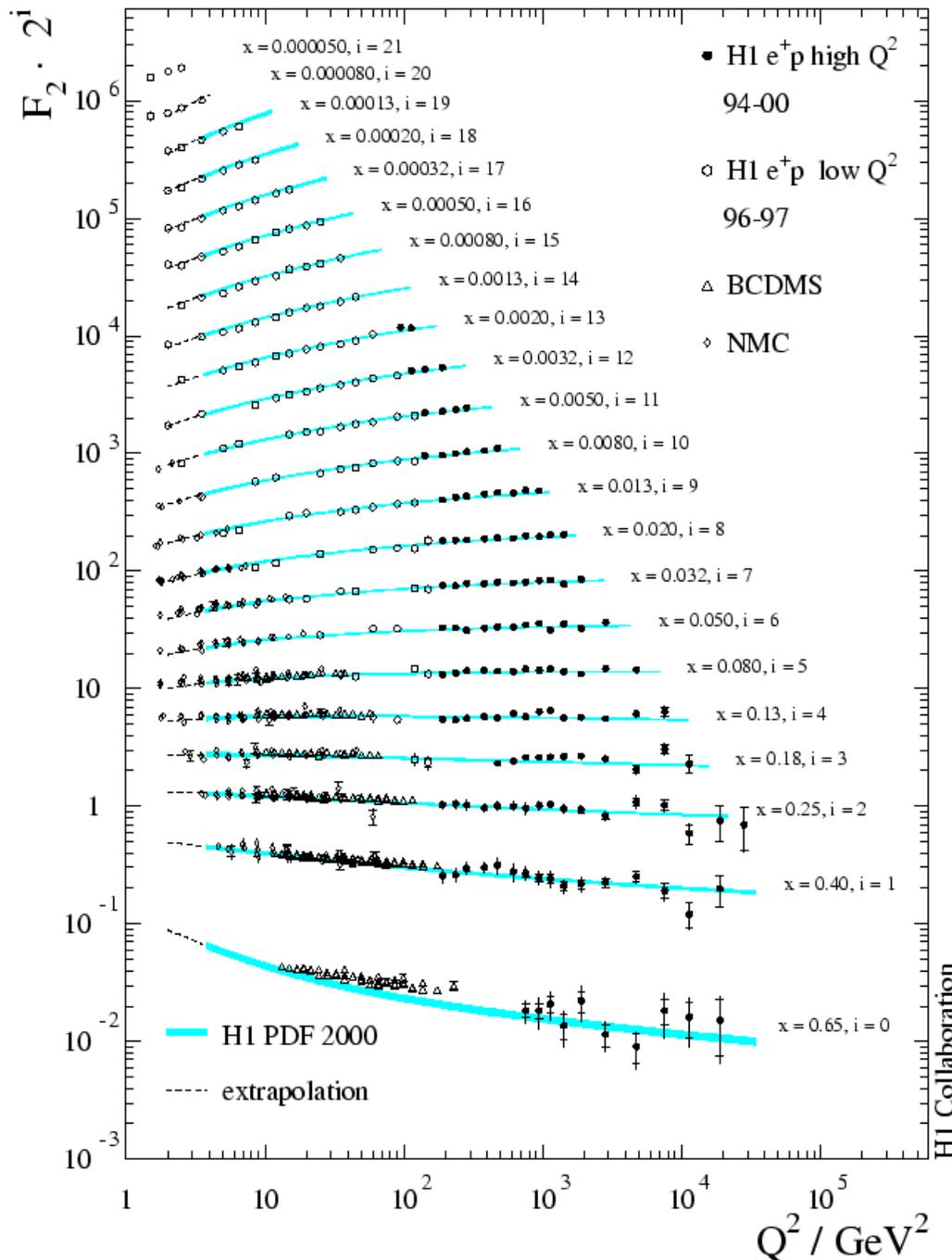


# The Gluon Density!

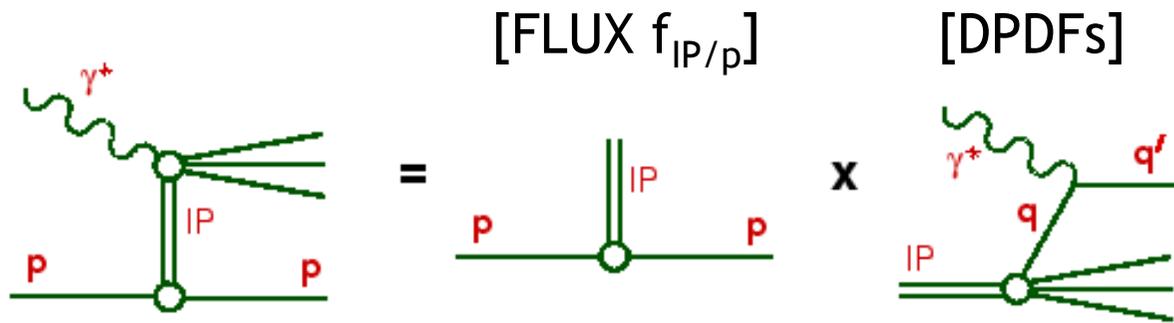
$Q^2$  evolution of  $F_2$  is used to extract gluon density, assuming DGLAP evolution.

$$\frac{dF_2}{d \ln Q^2} \sim \alpha_s (P_{qg} \otimes g + P_{qq} \otimes q)$$

Internally self-consistent, but (unlike quark density extractions), this is model (DGLAP) dependent!

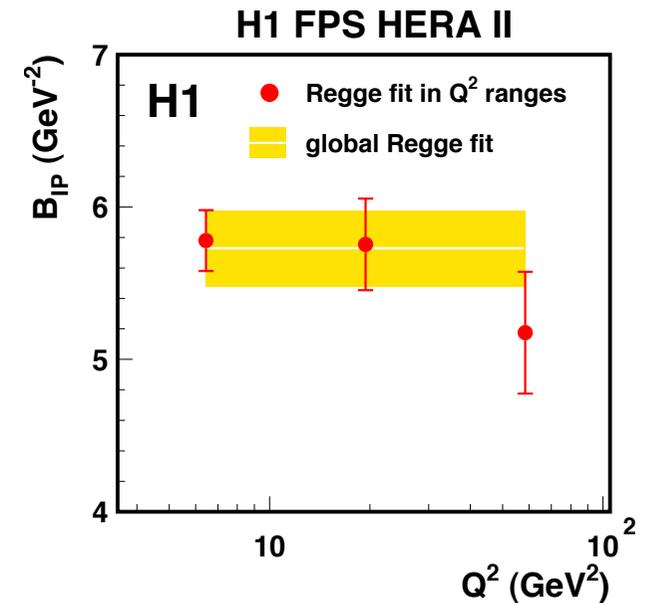
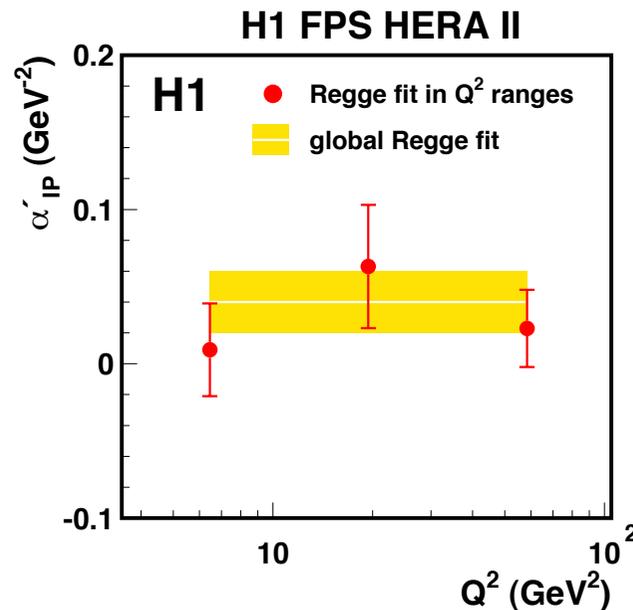
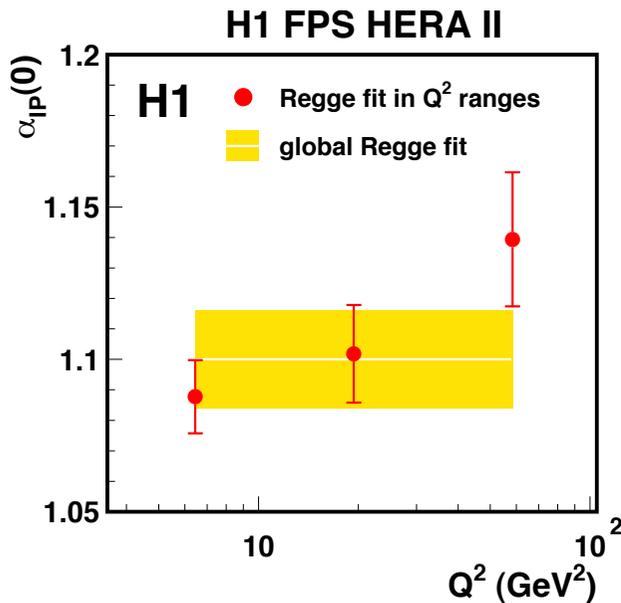


# Factorisation and Pomeron Trajectory



$$f_{IP/p}(x_{IP}, t) = \frac{e^{B_{IP}t}}{x_{IP}^{2\alpha_{IP}(t)-1}}$$

$$\alpha_{IP}(t) = \alpha_{IP}(0) + \alpha'_{IP}t$$



No evidence for  $Q^2$  or  $\beta$  dependence of  $\alpha_{IP}(t)$  or  $t$  slope

$\alpha_{IP}(0)$  consistent with soft IP

$\alpha'_{IP}$  smaller than soft IP

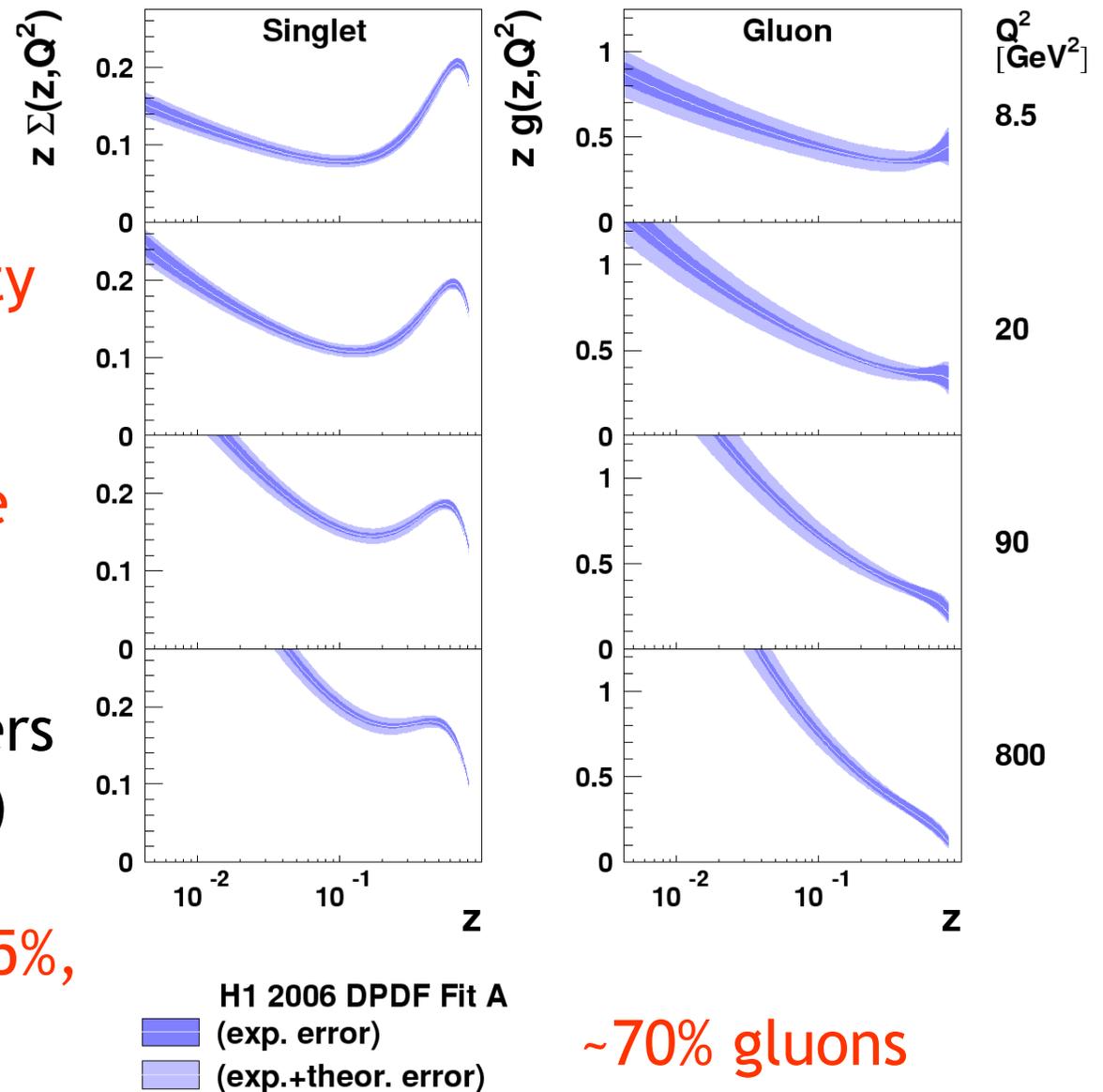
→ Dominantly soft exchange

→ Absorptive effects?... <sup>56</sup>

# 'H1 2006 DPDF Fit A' (log z scale)

$\chi^2 \sim 158 / 183$  d.o.f.

- Experimental uncertainty obtained by propagating errors on data through  $\chi^2$  minimisation procedure
- Theoretical uncertainty by varying fixed parameters of fit and  $Q^2_0$  (s.t.  $\Delta\chi^2 = 1$ )
- Singlet constrained to  $\sim 5\%$ , gluon to  $\sim 15\%$  at low  $z$ , growing a lot at high  $z$



$\sim 70\%$  gluons integrated over  $z$

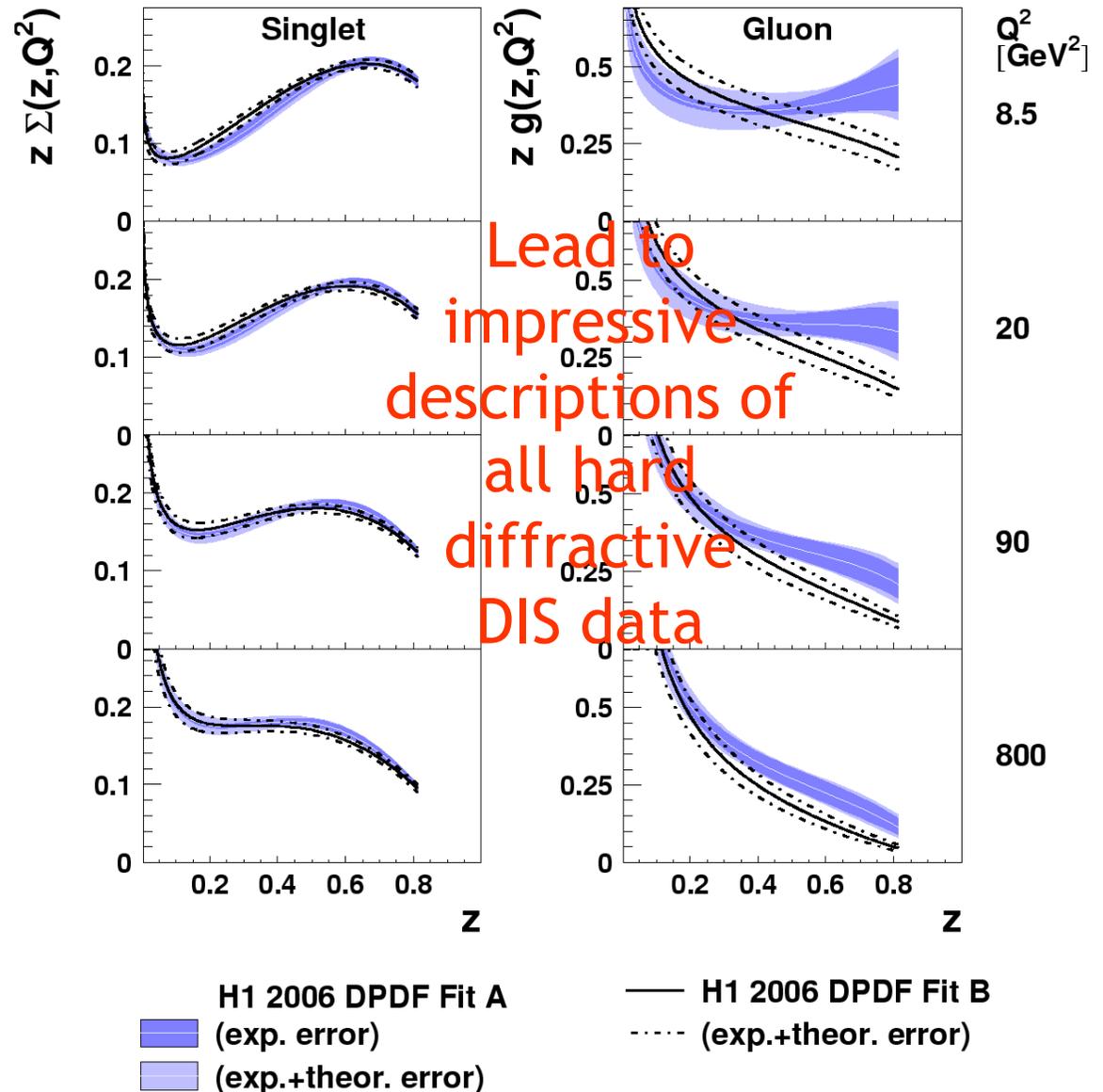
# 'Fit A' and 'Fit B' DPDFs (linear z scale)

- Lack of sensitivity to high z gluon confirmed by dropping (high z)  $C_g$  parameter, so gluon is a constant at starting scale!

## • Fit B

$\chi^2 \sim 164 / 184$  d.o.f.

- Quarks very stable
- Gluon similar at low z
- Substantial change to gluon at high z

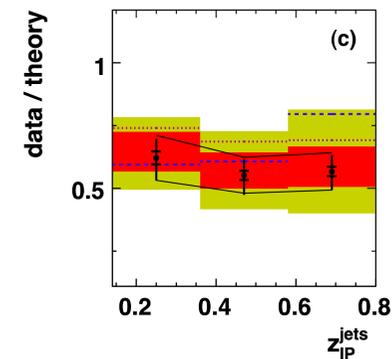
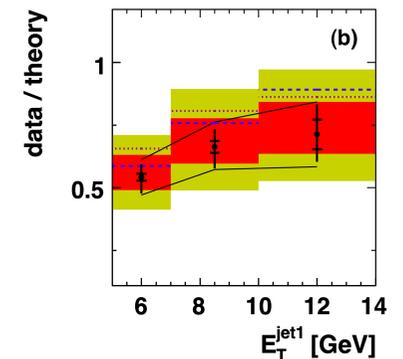
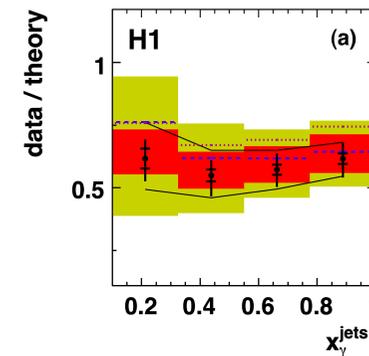
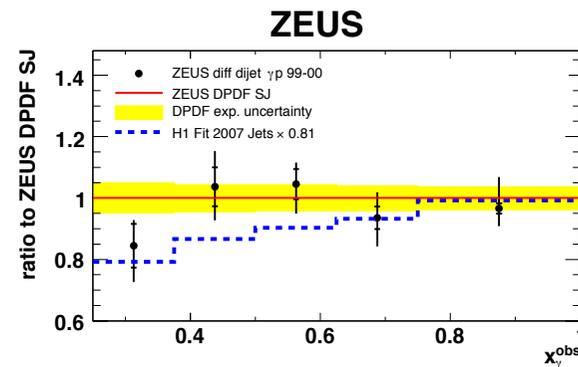
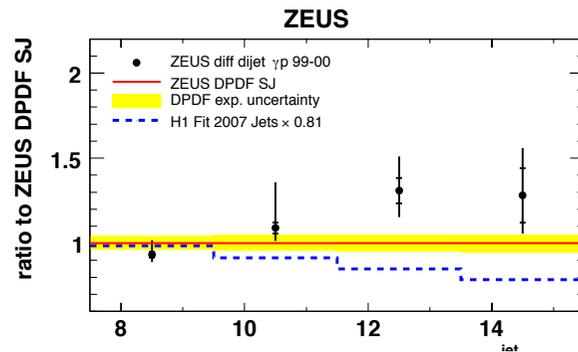
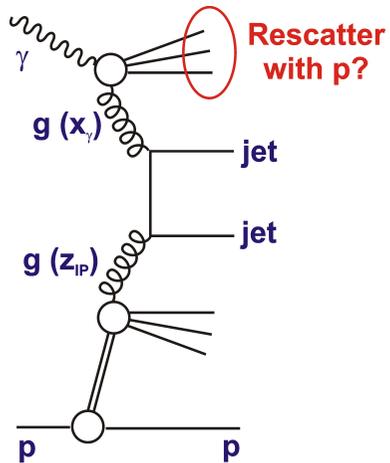


# Rapidity Gap Survival Probability in Diffractive Dijet Photoproduction

ZEUS [ $E_T^1 > 7.5$  GeV]... No evidence for any gap destruction

H1 [ $E_T^1 > 5$  GeV]... Survival probability  $< 1$  at  $2\sigma$  significance

$$\sigma(\text{H1 data}) / \sigma(\text{NLO}) = 0.58 \pm 0.12 (\text{exp.}) \pm 0.14 (\text{scale}) \pm 0.09 (\text{DPDF})$$



- Gap survival unexpectedly has little dependence on  $x_\gamma$
- Hint of a dependence on jet  $E_T$ ?

# Refined gap Survival Model (KKMR)

[hep-ph/0911.3716]

Direct contribution remains unsuppressed

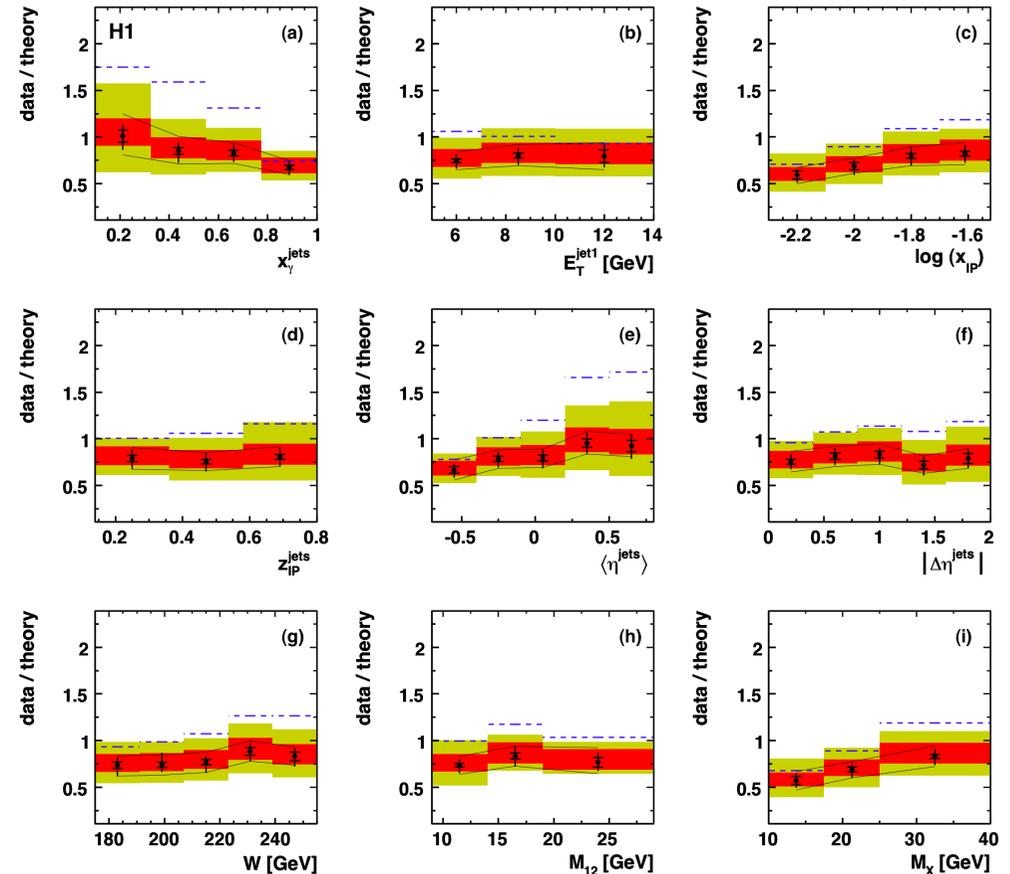
Suppression factor 0.34 applies to Hadron-like (VMD) part of photon structure only (low  $x_\gamma < 0.1$ )

Point-like (anomalous) part of photon structure has less suppression ( $\sim 0.7-0.8$ )

Smaller gap destruction effects with some  $E_T$  dependence

H1 data / theory

- NLO H1 2006 Fit B, KKMR suppressed  $\times (1 + \delta_{\text{hadr}})$
- data correlated uncertainty
- - - NLO H1 2006 Fit B, resolved  $\times 0.34 \times (1 + \delta_{\text{hadr}})$



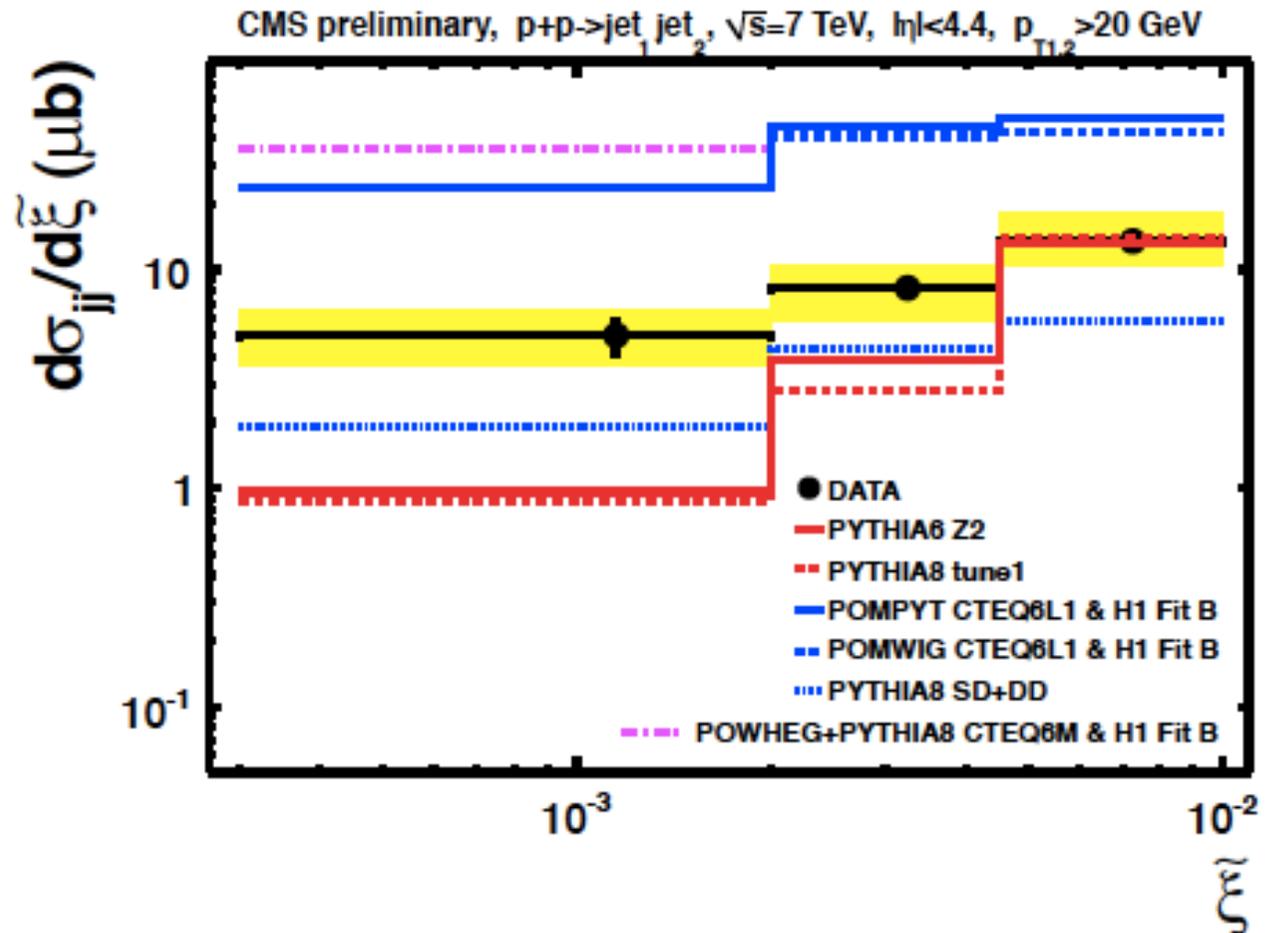
Fair agreement with both H1 and ZEUS data ...

# Now CMS Jets

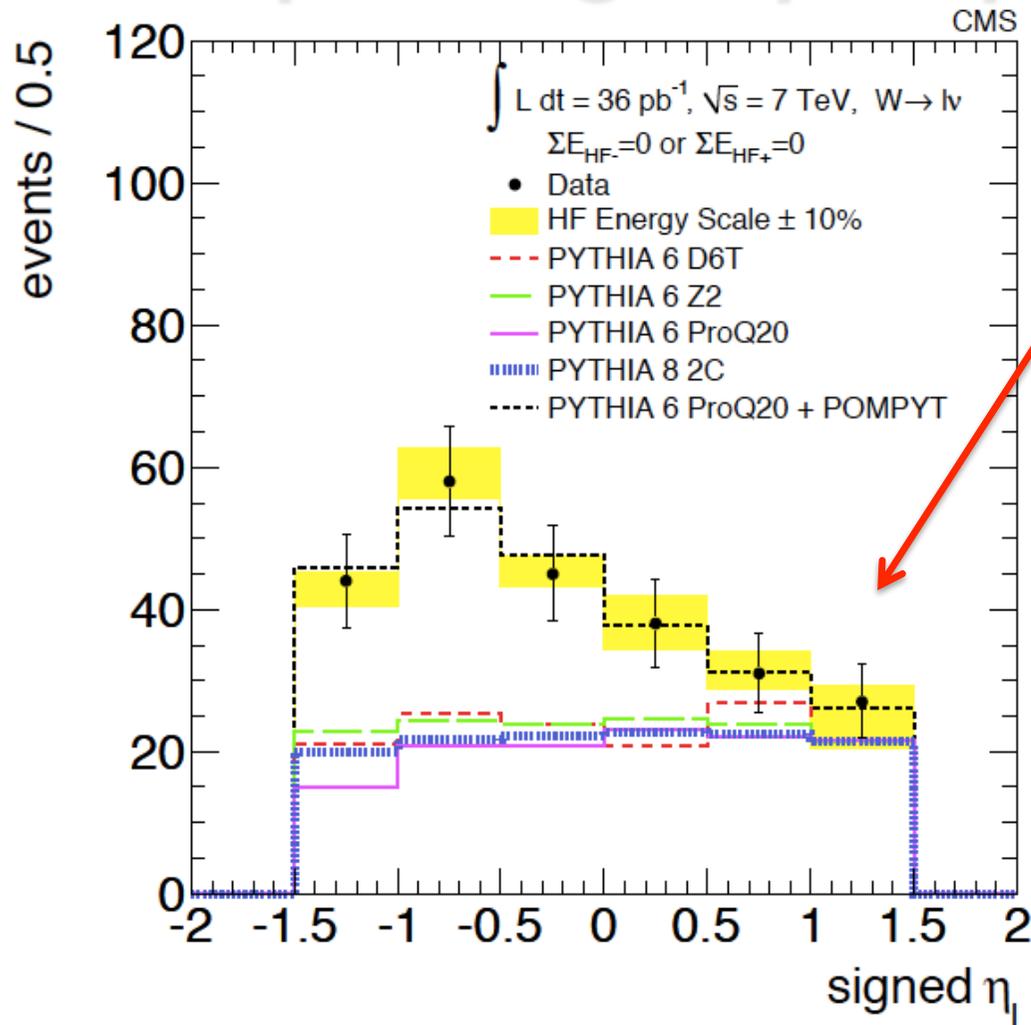
... after gap cut and correction to cross section level ...

It's a mystery!

Only proton-tagged  
Data can resolve  
Really complicated  
Issue of tails of  
ND distribution to  
Large gaps



# Exploiting Gap-Lepton $\eta$ Correlation



Lepton pseudorapidity with + sign if lepton in same hemisphere as gap, else - sign.

Fit to combination of PYTHIA and POMPYT hard diffraction model suggests significant (~50%) diffractive contribution

Extraction of (limits on?) gap survival probabilities at the LHC from diffractive W/Z and jet production eagerly awaited ... survival may be small (~3% according to phenomenology)